

# Introduction to Medical Imaging

BME/EECS 516

Douglas C. Noll

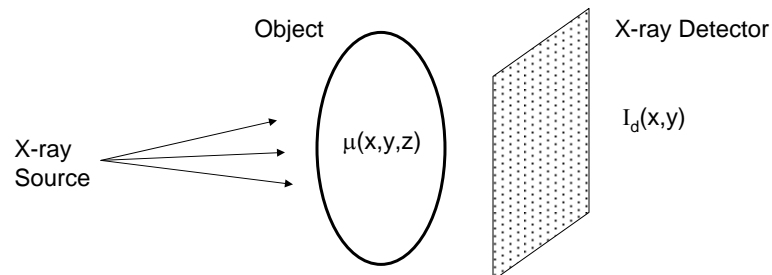
## Medical Imaging

- Non-invasive visualization of internal organs, tissue, etc.
  - I typically don't include endoscopy as an imaging modality
- Image – a two-dimensional signal,  $I(x,y)$ 
  - I typically include non-imaging sensing (e.g. 1D techniques) as an imaging modality

## Major Modalities

- Projection X-ray
- X-ray Computed Tomography
- Nuclear Medicine
- Ultrasound
- Magnetic Resonance Imaging

## Projection X-ray Imaging

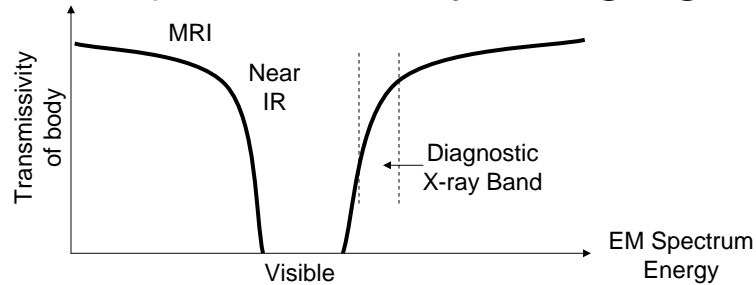


- Image records transmission of x-rays through object

$$I_d(x, y) = I_0 \exp\left(-\int \mu(x, y, z) d\vec{l}\right)$$

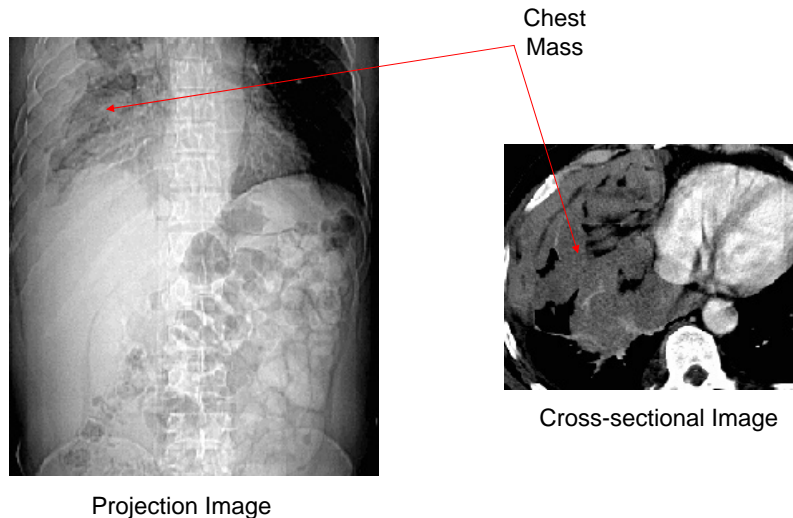
- The integral is a line-integral or a “projection” through obj
- $\mu(x,y,z)$  – x-ray attenuation coefficient, a tissue property, a function of electron density, atomic #, ...

## Projection X-ray Imaging

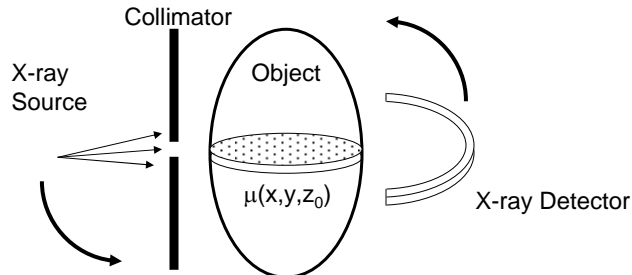


- X-ray imaging requires interactions of x-ray photons with object – work in a specific energy band
  - Above this band – body is too transparent
  - Below this band – body is too opaque, photons scatter
  - Well below this band – wavelengths are too long (poor resolution)
- One problem with x-ray imaging: no depth (z) info

## Projection X-ray Imaging

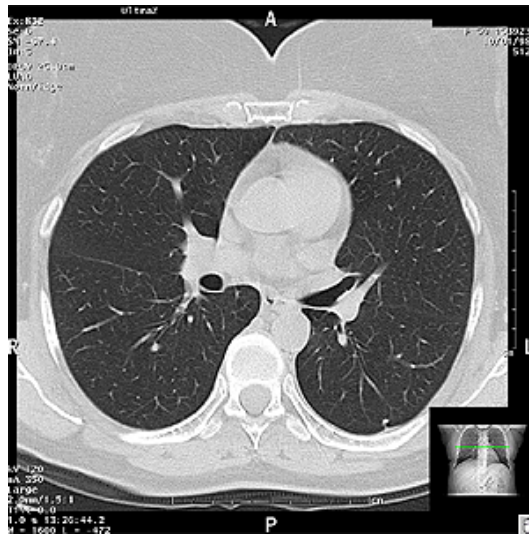


## X-ray Computed Tomography

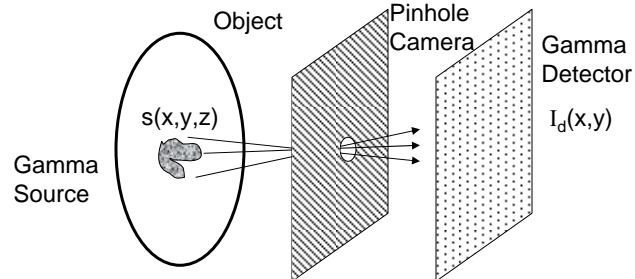


- Uses x-rays, but exposure is limited to a slice (or a couple of slices) by a collimator
- Source and detector rotate around object – projections from many angles
- The desired image,  $I(x,y) = \mu(x,y,z_0)$ , is computed from the projections

## X-ray Computed Tomography



# Nuclear Medicine



- The body is the gamma ray source and the image records transmission of gamma photons

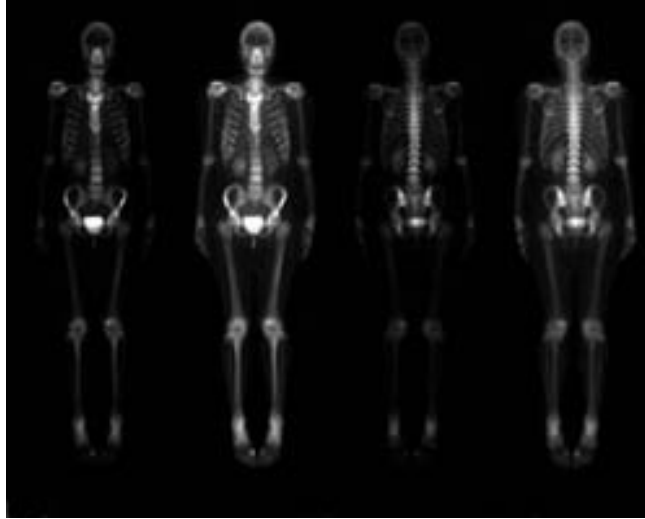
$$I_d(x, y) = \int s(x, y, z) d\vec{l}$$

- The integral is a line-integral or a “projection” through obj
- Source  $s(x,y,z)$  usually represents a selective uptake of a radio-labeled pharmaceutical

# Nuclear Medicine

- Issue: Pinhole Size
  - Large pinhole – more photons, better SNR
  - Large pinhole – more blur, reduced resolution
- Issue: Half-life
  - Long half lives are easier to handle, but continue to irradiate patient after imaging is done
- Issue: Functional Specificity
  - Pharmaceuticals must be specific to function of interest
  - E.g. Thallium, Technicium
- Issue: No depth info
  - Nuclear Medicine Computed Tomography (SPECT, PET)

## Nuclear Medicine (SPECT)



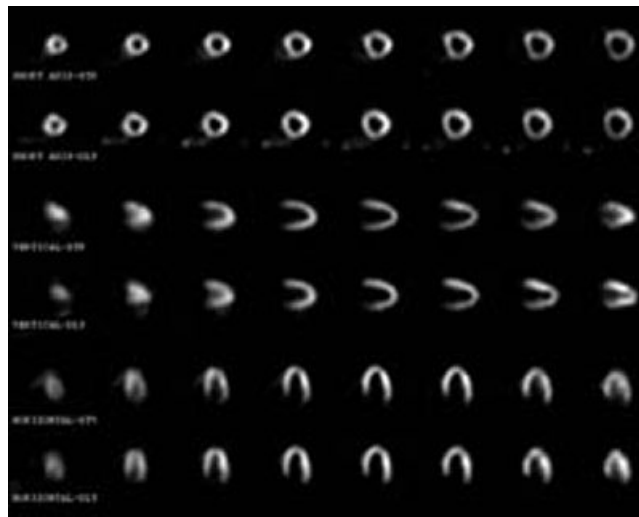
Bone Scan

## Nuclear Medicine (SPECT)

Short Axis

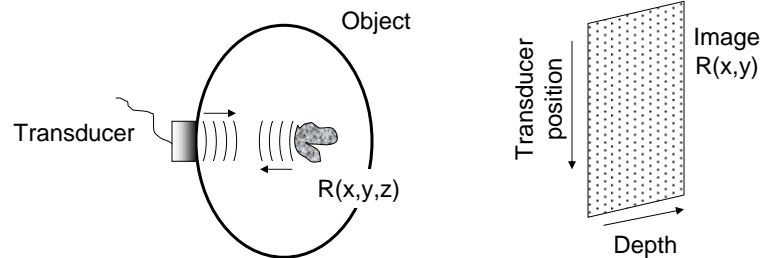
Long Axis

Long Axis



Cardiac (Left Ventricle) Perfusion Scan

# Ultrasound Imaging

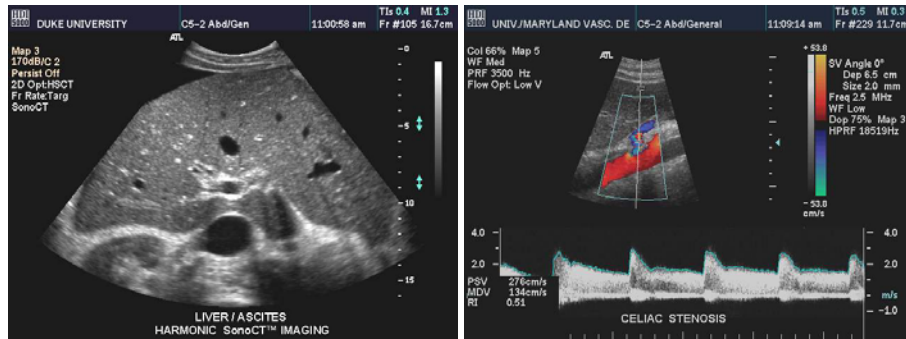


- Image reflectivity of acoustic wave,  $R(x,y,z)$ .
- Depth – A function of time (ping-echo)
- Lateral – Focusing of wavefronts
- Direct imaging (e.g. vs. computed) modality – echo data is placed directly into image matrix

# Ultrasound Imaging

- Issue: Transmit Frequency
  - Increase in frequency reduces wavelength:
$$\lambda = c / f_0$$
  - Reduced (improved) resolution size (2-3  $\lambda$ )
  - Also improved lateral resolution (diffraction):
$$\Delta x = \lambda z / D$$
  - Increases attenuation (and thus, range of depth)
- Issue: Flow
  - Can use Doppler effect to image flow
- Issue: Speckle
  - Most noise in US is speckle (signal dependent)

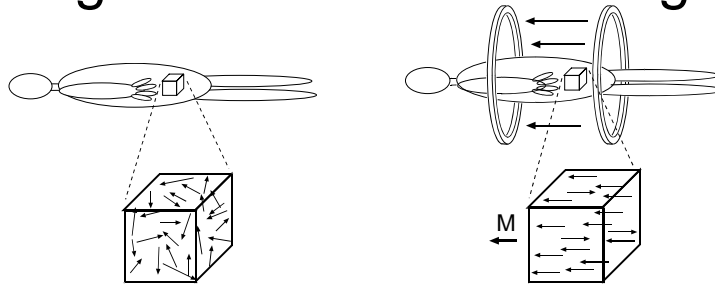
# Ultrasound Imaging



High-Resolution

Color Doppler

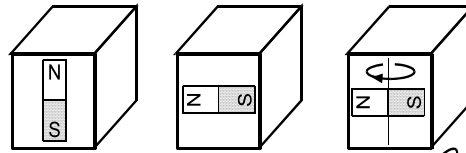
# Magnetic Resonance Imaging



- Atomic nuclei and hydrogen nuclei,  $^1\text{H}$ , in particular, have a magnetic moment
  - Moments tend to become aligned to applied field
  - Creates magnetization,  $m(x,y,z)$  (a tissue property)
- MRI makes images of  $m(x,y,z)$



# Magnetic Resonance Imaging



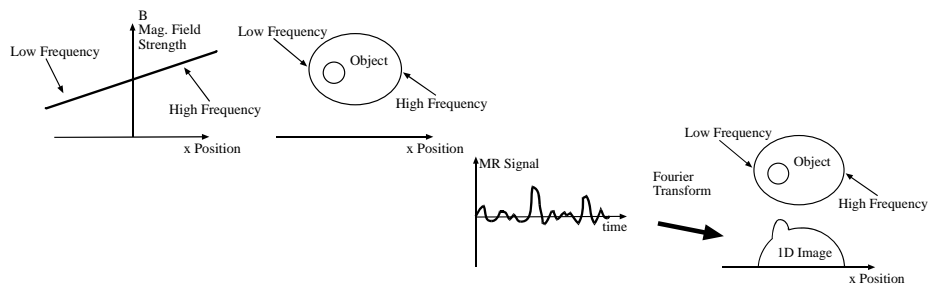
RF Excitation  
(Energy into tissue)

Magnetic fields  
are emitted

- The magnetization is excited into an observable state
- Magnetization emits energy at a resonant frequency:

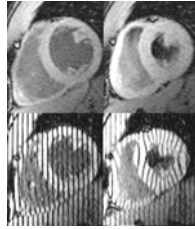
$$\omega_0 = \gamma \mathbf{B}_0 \quad (63 \text{ MHz at } 1.5 \text{ T})$$

# Magnetic Resonance Imaging

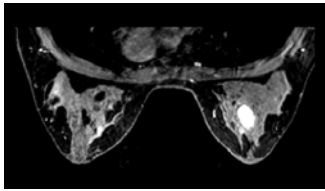


- Frequency is proportional to magnetic field
  - We can create a frequency vs. space variation:
 
$$\omega(x) = \gamma (\mathbf{B}_0 + G_x x)$$
  - Use Fourier analysis to determine spatial location
- Interestingly,  $\lambda$  is much larger than resolution – not imaging EM direction, but using its frequency

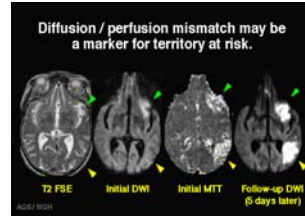
# MRI



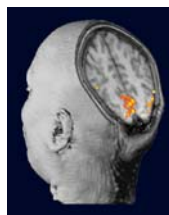
cardiac



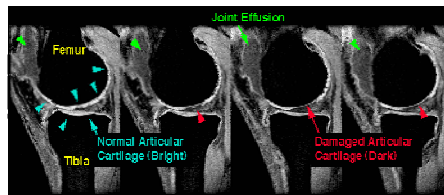
cancer



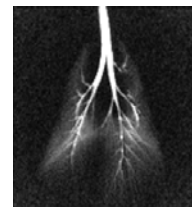
stroke



neuro function



joint



lung