

# Ontology-Based Semantic Image Interpretation

Ivan Donadello<sup>1,2</sup> Luciano Serafini (Advisor)<sup>1</sup>

<sup>1</sup>Fondazione Bruno Kessler, Via Sommarive, 18 I-38123, Trento, Italy

<sup>2</sup>DISI University of Trento, Via Sommarive, 9 I-38123, Trento, Italy

September 23, 2015

# Context

- ▶ Huge diffusion of digital images in recent years;
- ▶ lack of semantic based retrieval systems for images, that is no complex queries: “a person riding a horse on a meadow”;
- ▶ semantic gap between numerical image features and human semantics;
- ▶ need a method that automatically understands the **semantic content of images**.

## Relevance:

- ▶ semantic content based image retrieval via a query language;
- ▶ semantic content enrichment with Semantic Web resource.

# Problem Statement

**Semantic Image Interpretation (SII)** is the task of extracting a graph representing the image content;

# Problem Statement

**Semantic Image Interpretation (SII)** is the task of extracting a graph representing the image content;

- ▶ **nodes** represent visible and occluded objects in the image and their properties;

# Problem Statement

**Semantic Image Interpretation (SII)** is the task of extracting a graph representing the image content;

- ▶ **nodes** represent visible and occluded objects in the image and their properties;
- ▶ **arcs** represent relations between objects;

# Problem Statement

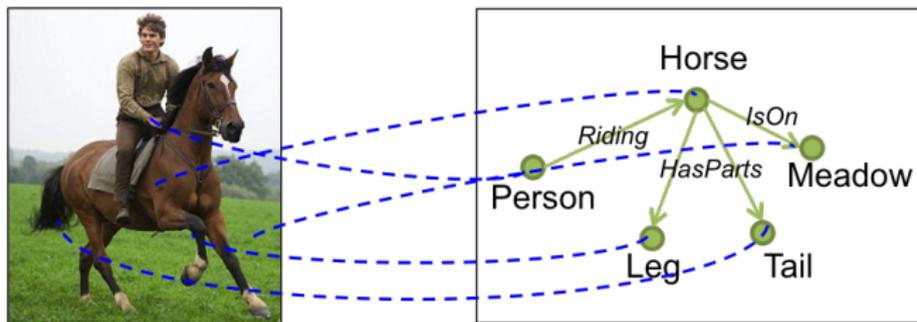
**Semantic Image Interpretation (SII)** is the task of extracting a graph representing the image content;

- ▶ **nodes** represent visible and occluded objects in the image and their properties;
- ▶ **arcs** represent relations between objects;
- ▶ **alignment** between visible object regions and nodes;

# Problem Statement

**Semantic Image Interpretation (SII)** is the task of extracting a graph representing the image content;

- ▶ **nodes** represent visible and occluded objects in the image and their properties;
- ▶ **arcs** represent relations between objects;
- ▶ **alignment** between visible object regions and nodes;
- ▶ an ontology provides the formal semantics and constraints that guide the graph construction;



# Aim of the Doctoral Thesis

- ▶ Define a theoretical reference framework for SII;
- ▶ implementation of a system for SII;
- ▶ graph construction guided by mixing:
  - ▶ **numeric information** (low-level features of the image);
  - ▶ **symbolic information** (high-level constraints available in the ontology);
- ▶ perform system evaluation on a ground truth of semantically interpreted images.

# State-of-the-art on SII

## Logic-Based Works (2014)

- ▶ a first description of the image (basic object recognition and their relations) is given;
- ▶ model generation (deduction or abduction) by exploiting the ontology.

## Neural Networks-based (NN) works (2015)

- ▶ Caption generation;



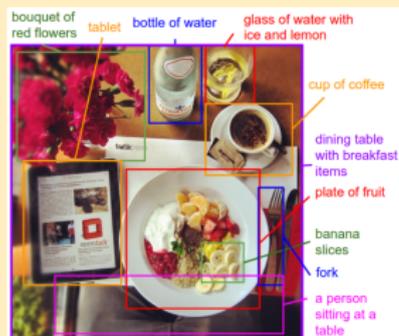
# State-of-the-art on SII

## Logic-Based Works (2014)

- ▶ a first description of the image (basic object recognition and their relations) is given;
- ▶ model generation (deduction or abduction) by exploiting the ontology.

## Neural Networks-based (NN) works (2015)

- ▶ Caption generation;



## Limitations

- ▶ Logic-based works: no consideration for low-level features;
- ▶ NN works: no formal semantics and a priori knowledge.

# SII Pipeline



# SII Pipeline



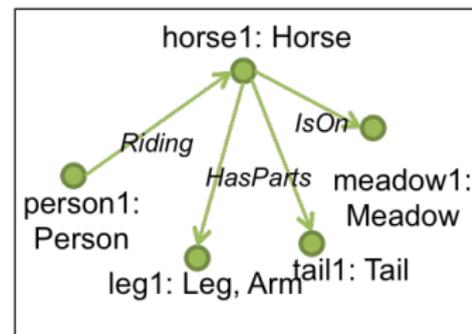
**Semantic  
Segmentation**

Labels



## State-of-the-Art

## Our Contribution



**Semantic Segmentation**

**Interpretation**

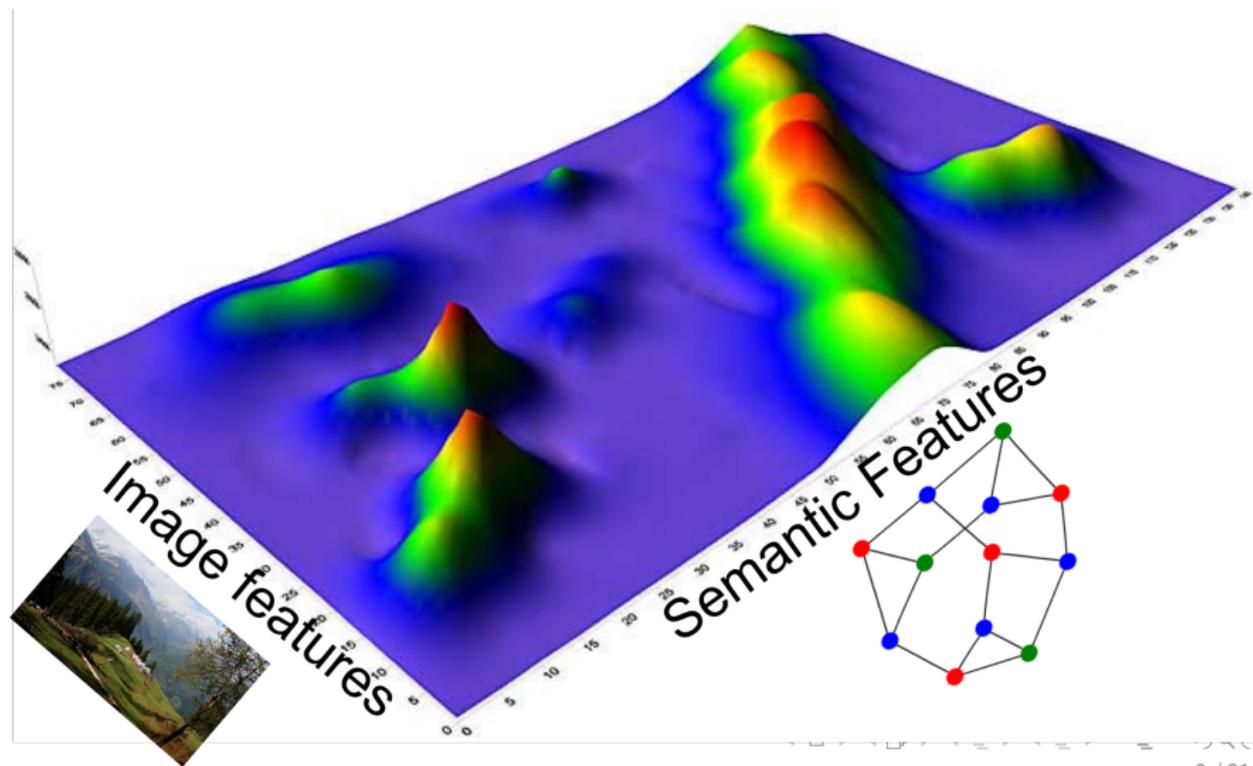
Labels

Knowledge as constraints



# Our Vision of SII

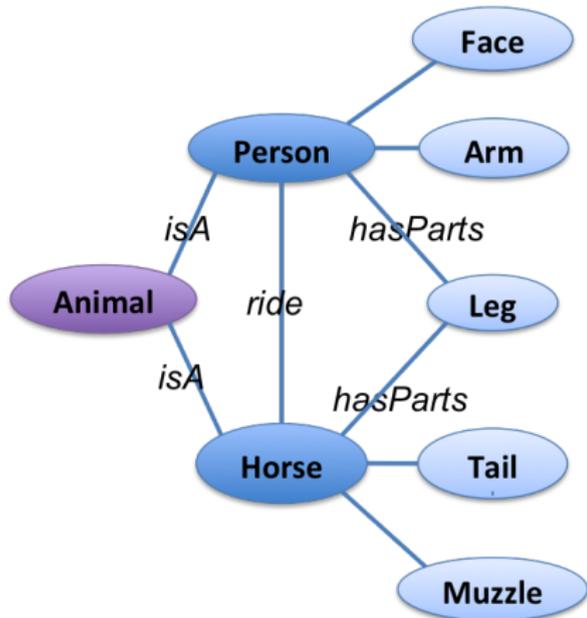
Finding the maximum of a joint search space composed of semantic features and image features.



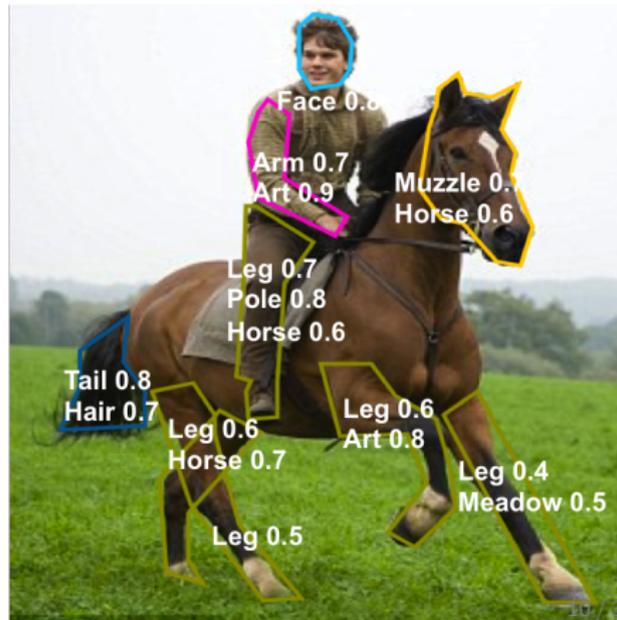
# Theoretical Framework

## Background Knowledge

encoded in a Description Logic ontology  $\mathcal{O}$ .

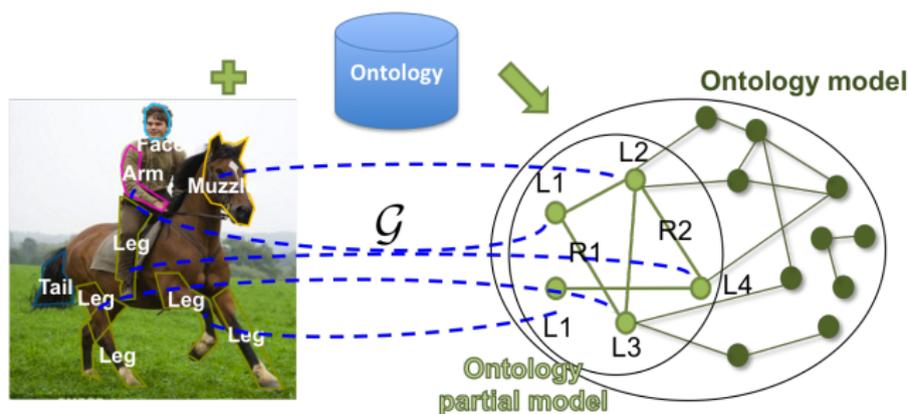


**Labelled picture** is a pair  $\mathcal{P} = \langle S, L \rangle$  where  $S$  are segments of the image,  $L$  are (weighted) labels from  $\Sigma$ .



# The Partial Model

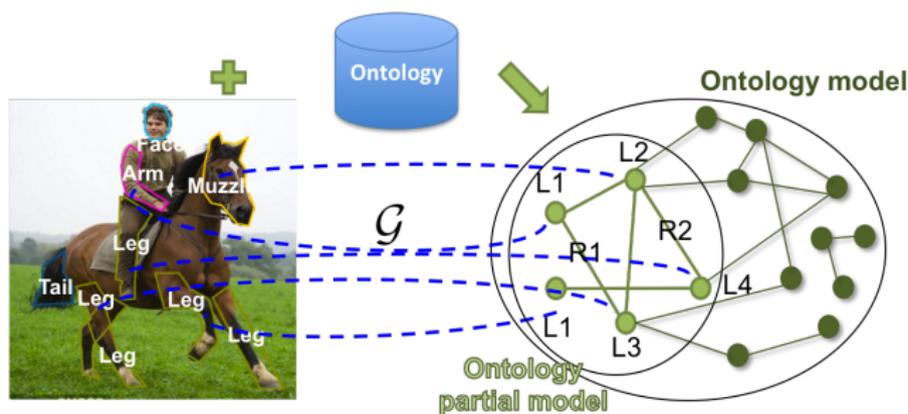
- ▶ A picture is a partial view of the real world;



- ▶ A partial model  $\mathcal{I}_p$  is a structure that can be extended to a model of  $\mathcal{O}$ ;

# The Partial Model

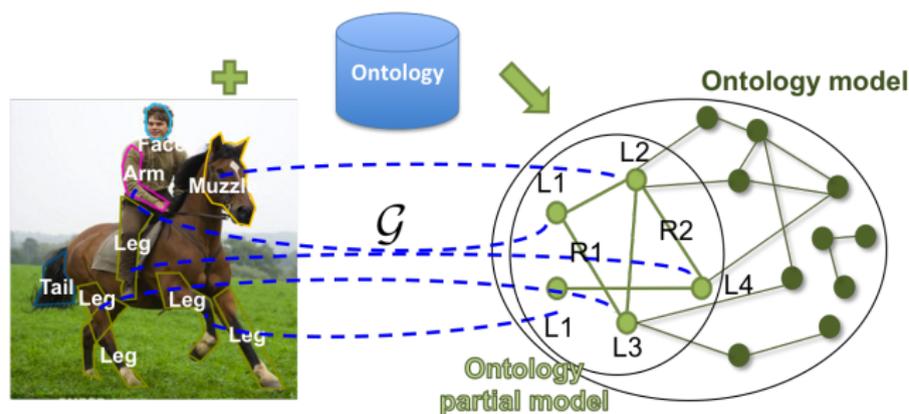
- ▶ A picture is a partial view of the real world;



- ▶ A partial model  $\mathcal{I}_p$  is a structure that can be extended to a model of  $\mathcal{O}$ ;
- ▶ . A partial model of an ontology  $\mathcal{O}$  is an interpretation  $\mathcal{I}_p = (\Delta^{\mathcal{I}_p}, \cdot^{\mathcal{I}_p})$  of  $\mathcal{O}$ : there exists a model  $\mathcal{I} = (\Delta^{\mathcal{I}}, \cdot^{\mathcal{I}})$  with  $\Delta^{\mathcal{I}_p} \subseteq \Delta^{\mathcal{I}}$  and  $\cdot^{\mathcal{I}_p}$  is a restriction of  $\cdot^{\mathcal{I}}$  on  $\Delta^{\mathcal{I}_p}$ .

# The Partial Model

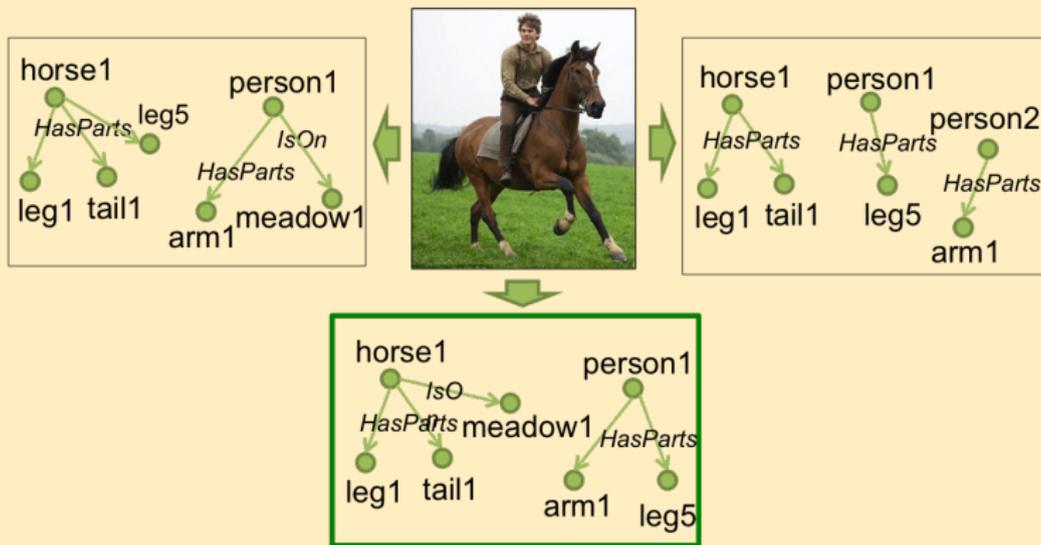
- ▶ A picture is a partial view of the real world;



- ▶ A partial model  $\mathcal{I}_p$  is a structure that can be extended to a model of  $\mathcal{O}$ ;
- ▶ . A partial model of an ontology  $\mathcal{O}$  is an interpretation  $\mathcal{I}_p = (\Delta^{\mathcal{I}_p}, \cdot^{\mathcal{I}_p})$  of  $\mathcal{O}$ : there exists a model  $\mathcal{I} = (\Delta^{\mathcal{I}}, \cdot^{\mathcal{I}})$  with  $\Delta^{\mathcal{I}_p} \subseteq \Delta^{\mathcal{I}}$  and  $\cdot^{\mathcal{I}_p}$  is a restriction of  $\cdot^{\mathcal{I}}$  on  $\Delta^{\mathcal{I}_p}$ .
- ▶ A **semantically interpreted picture** is a triple  $(\mathcal{P}, \mathcal{I}_p, \mathcal{G})_{\mathcal{O}}$ ;

# The Most Plausible Partial Model

Many partial models for a picture



Searching for the partial model that best fits the picture content, i.e. the **most plausible partial model**.

# The Semantic Image Interpretation Problem

## Formalization

- ▶ A **cost function**  $\mathcal{S}$  assigns a cost to semantically interpreted pictures  $(\mathcal{P}, \mathcal{I}_p, \mathcal{G})_{\mathcal{O}}$ ;
- ▶  $\mathcal{S}(\mathcal{P}, \mathcal{I}_p, \mathcal{G})_{\mathcal{O}}$  expresses the gap between **low-level features** of  $\mathcal{P}$  and **objects and relations** encoded in  $\mathcal{I}_p$ ;
- ▶ the **most plausible partial model**  $\mathcal{I}_p^*$  minimizes  $\mathcal{S}$ :

$$\mathcal{I}_p^* = \underset{\substack{\mathcal{I}_p \models_p \mathcal{O} \\ \mathcal{G} \subseteq \Delta^{\mathcal{I}_p \times \mathcal{S}}}}{\operatorname{argmin}} \mathcal{S}(\mathcal{P}, \mathcal{I}_p, \mathcal{G})_{\mathcal{O}}$$

- ▶ the **semantic image interpretation problem** is the construction of  $(\mathcal{P}, \mathcal{I}_p^*, \mathcal{G})_{\mathcal{O}}$  that minimizes  $\mathcal{S}$ .

## Case Study: Clustering-Based Cost Function

- ▶ Task: **part-whole recognition**, i.e., discovery complex objects from their parts;
- ▶ part-whole recognition can be seen as a **clustering problem**;
  - ▶ parts of the same object tend to be grouped together;

# Case Study: Clustering-Based Cost Function

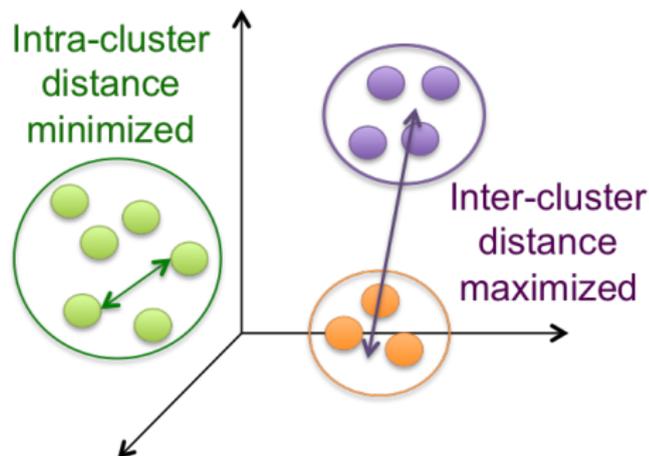
- ▶ Task: **part-whole recognition**, i.e., discovery complex objects from their parts;
- ▶ part-whole recognition can be seen as a **clustering problem**;
  - ▶ parts of the same object tend to be grouped together;



- ▶ cost function as a clustering optimisation function.

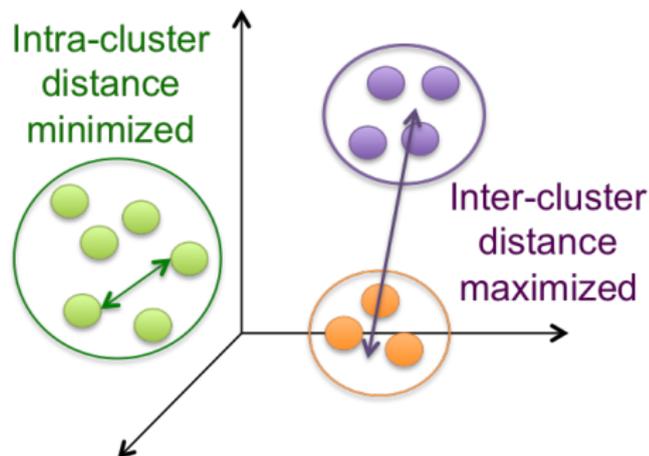
# Case Study: Clustering-Based Cost Function

- ▶ Clustering: grouping a set of input elements into groups (clusters) such that:



# Case Study: Clustering-Based Cost Function

- ▶ Clustering: grouping a set of input elements into groups (clusters) such that:

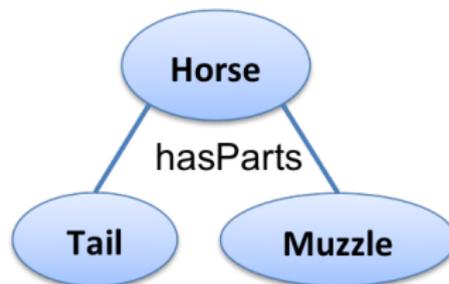


- ▶ *clustering solution* of  $(\mathcal{P}, \mathcal{I}_p, \mathcal{G})_{\mathcal{O}}$  is  $\mathcal{C} = \{C_d \mid d \in \Delta^{\mathcal{I}_p}\}$  where  $C_d = \{\mathcal{G}(d') \mid d' \in \Delta^{\mathcal{I}_p}, \langle d, d' \rangle \in \text{hasPart}^{\mathcal{I}_p}\}$ ;
- ▶  $d$  represents the composite object, the **centroid** of the cluster;

# Case Study: Clustering-Based Cost Function

Mixing **numeric** and **semantic** features:

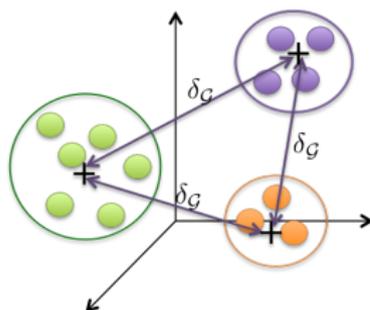
- ▶ **grounding distance**  $\delta_{\mathcal{G}}(d, d')$ : the Euclidean distance between the centroids of  $\mathcal{G}(d)$  and  $\mathcal{G}(d')$ ;
- ▶ **semantic distance**  $\delta_{\mathcal{O}}(d, d')$  is the shortest path in  $\mathcal{O}$ :



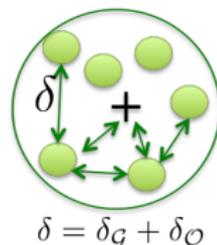
- ▶ if  $\text{Muzzle}(d')$ ,  $\text{Tail}(d'')$  then  $\delta_{\mathcal{O}}(d', d'') = 2$ ;
- ▶ if  $\text{Muzzle}(d')$ ,  $\text{Horse}(d)$  then  $\delta_{\mathcal{O}}(d', d) = 1$ ;

# Case Study: Clustering-Based Cost Function

- ▶ **Inter-cluster distance  $\Gamma$ :**



- ▶ **Intra-cluster distance  $\Lambda$ :**

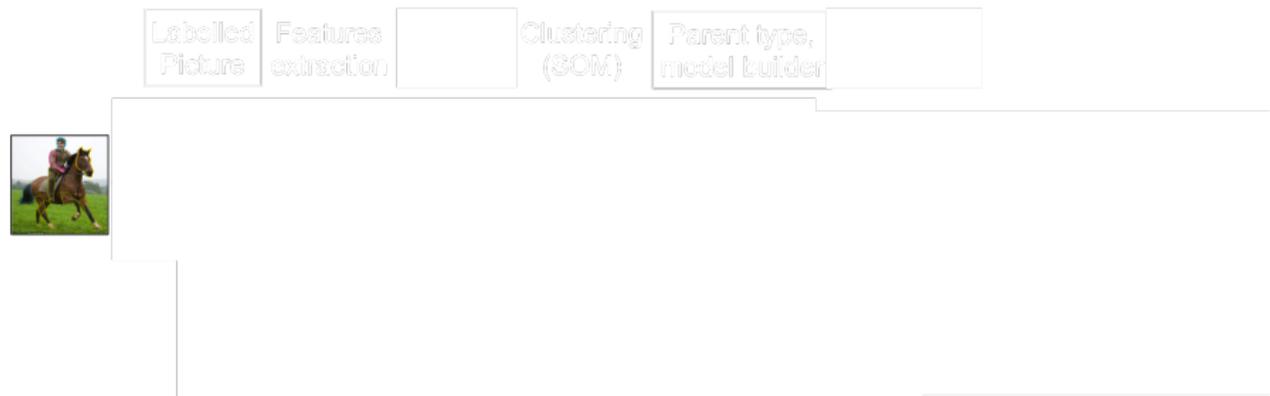


- ▶ **Cost function:**

$$S(\mathcal{P}, \mathcal{I}_p, \mathcal{G})_{\mathcal{O}} = \alpha \cdot \Gamma + (1 - \alpha) \cdot \Lambda$$

# Minimising the Cost Function

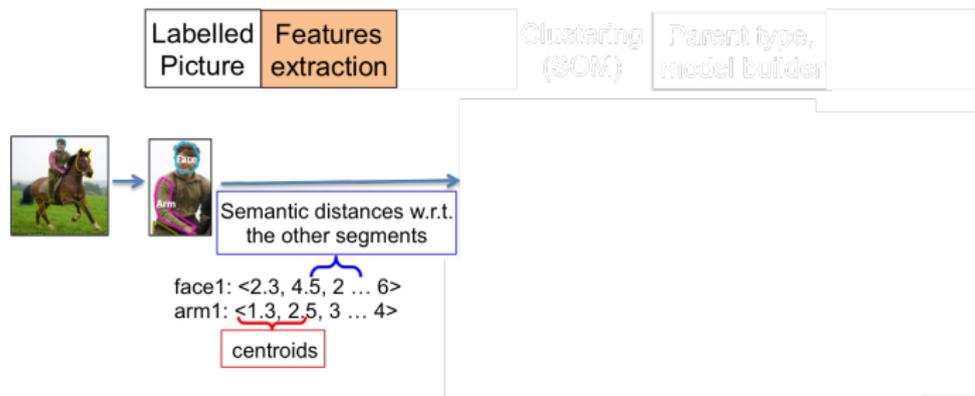
The Clustering Part-Whole Algorithm (CPWA) approximates the minimum of the cost function.





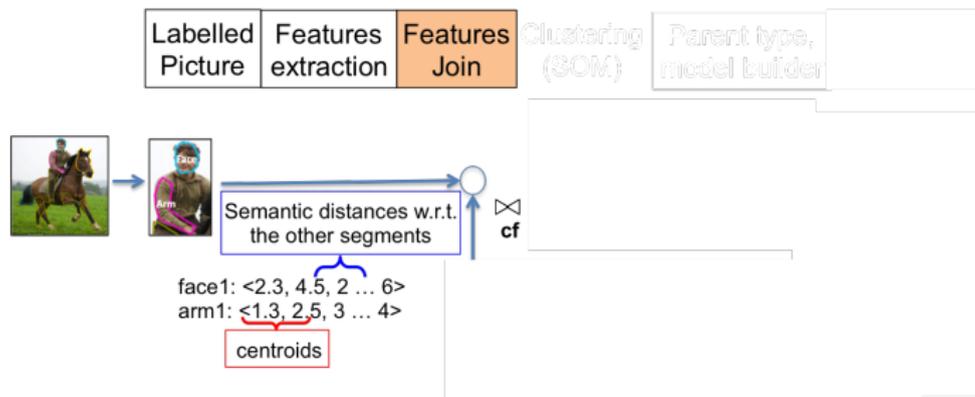
# Minimising the Cost Function

The Clustering Part-Whole Algorithm (CPWA) approximates the minimum of the cost function.



# Minimising the Cost Function

The Clustering Part-Whole Algorithm (CPWA) approximates the minimum of the cost function.



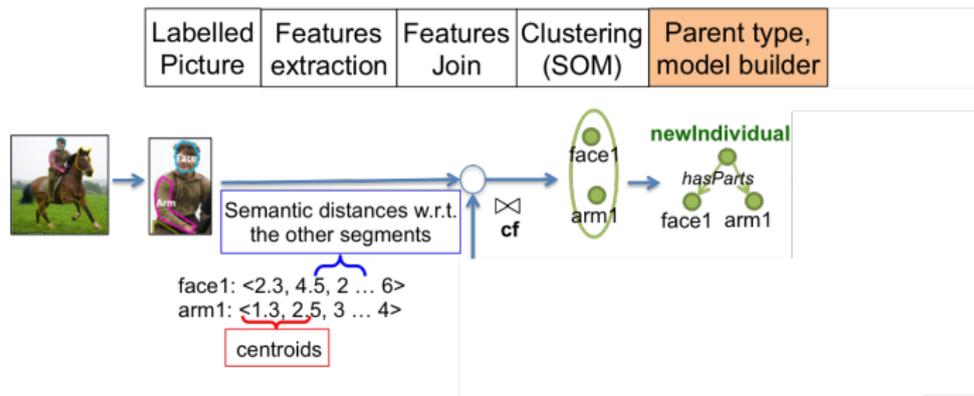
# Minimising the Cost Function

The Clustering Part-Whole Algorithm (CPWA) approximates the minimum of the cost function.



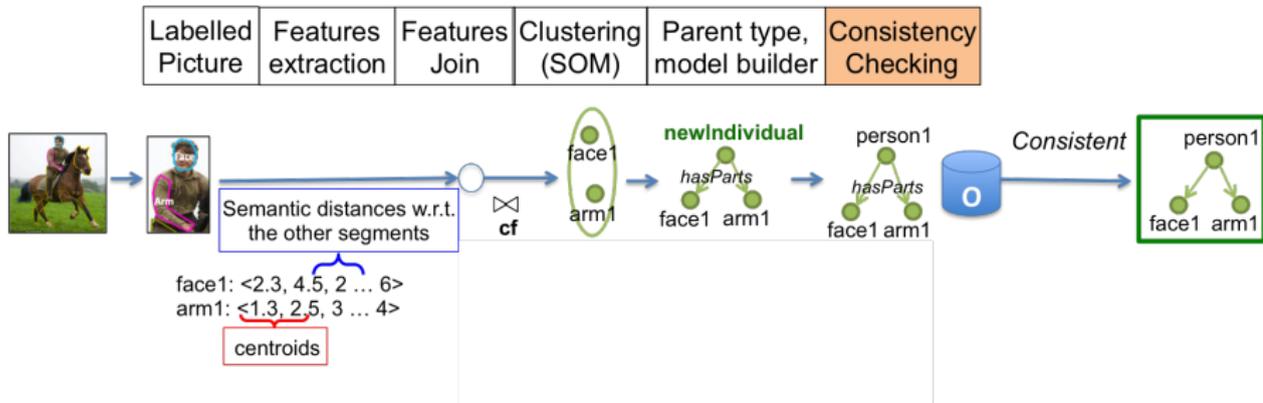
# Minimising the Cost Function

The Clustering Part-Whole Algorithm (CPWA) approximates the minimum of the cost function.



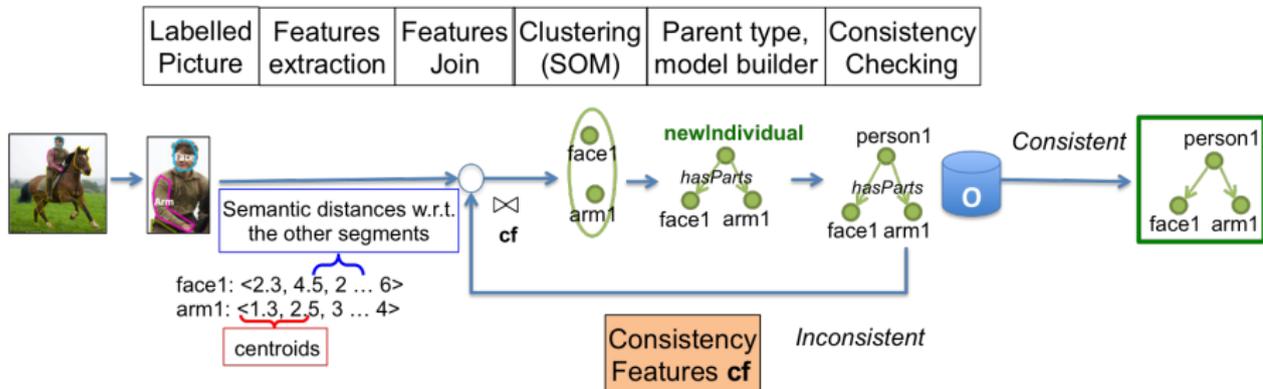
# Minimising the Cost Function

The Clustering Part-Whole Algorithm (CPWA) approximates the minimum of the cost function.



# Minimising the Cost Function

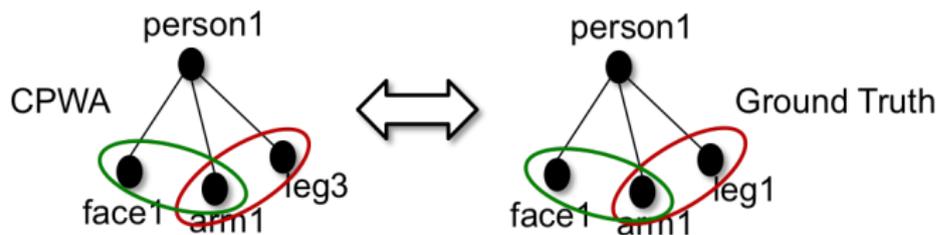
The Clustering Part-Whole Algorithm (CPWA) approximates the minimum of the cost function.



# Evaluation

Comparing the predicted partial model with the ground truth, two measures:

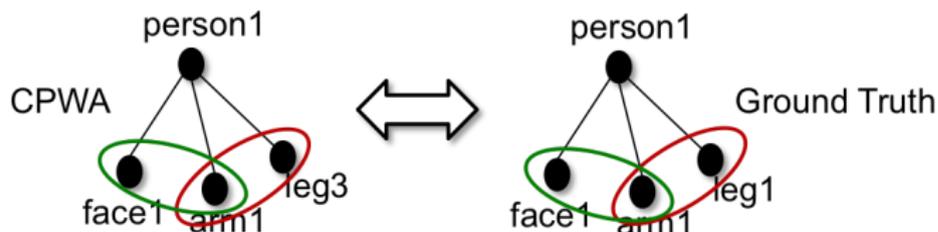
- ▶ **grouping (GRP):**



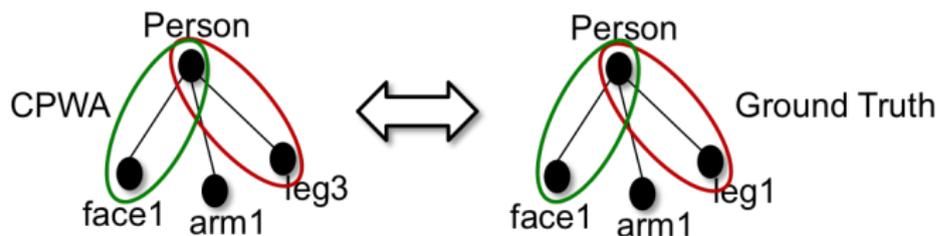
# Evaluation

Comparing the predicted partial model with the ground truth, two measures:

- ▶ **grouping (GRP):**



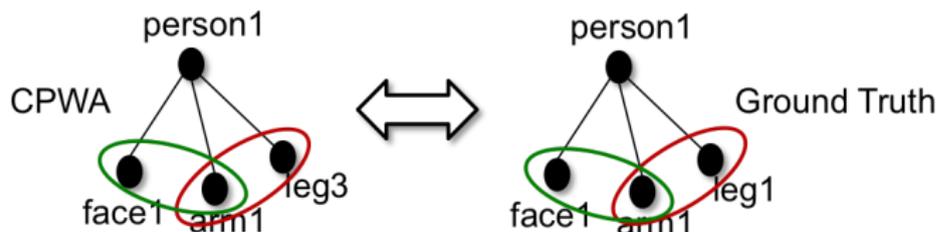
- ▶ **complex-object type prediction (COP):**



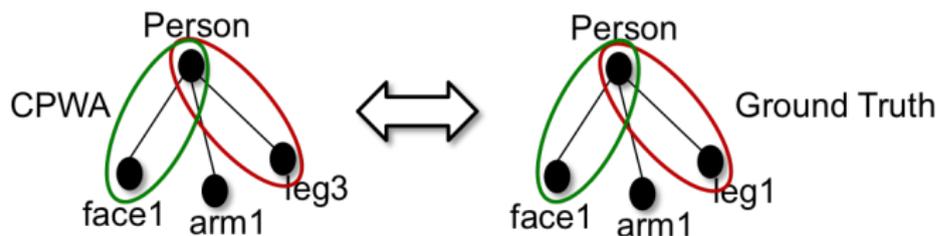
# Evaluation

Comparing the predicted partial model with the ground truth, two measures:

- ▶ **grouping (GRP):**



- ▶ **complex-object type prediction (COP):**



- ▶ precision, the fraction of predicted pairs that are correct;
- ▶ recall, the fraction of correct pairs that are predicted.

## Experiments Setting

- ▶ **Ground truth** of 203 manually obtained labelled pictures on the urban scene domain;
- ▶ manually built **ontology** with basic formalism of meronymy of the domain;
- ▶ **task**: discovering complex objects from their parts in pictures.

## Results

	$prec_{GRP}$	$rec_{GRP}$	$F1_{GRP}$	$prec_{COP}$	$rec_{COP}$	$F1_{COP}$
CPWA	0.61	0.89	0.67	0.73	0.75	0.74

## Experiments Setting

- ▶ **Ground truth** of 203 manually obtained labelled pictures on the urban scene domain;
- ▶ manually built **ontology** with basic formalism of meronymy of the domain;
- ▶ **task**: discovering complex objects from their parts in pictures.

## Results

	$prec_{GRP}$	$rec_{GRP}$	$F1_{GRP}$	$prec_{COP}$	$rec_{COP}$	$F1_{COP}$
CPWA	<b>0.61</b>	<b>0.89</b>	<b>0.67</b>	<b>0.73</b>	<b>0.75</b>	<b>0.74</b>
Baseline	0.45	0.71	0.48	0.66	0.69	0.66

- ▶ **Baseline**: clustering without semantics;

# Experiments and Results

## Experiments Setting

- ▶ **Ground truth** of 203 manually obtained labelled pictures on the urban scene domain;
- ▶ manually built **ontology** with basic formalism of meronymy of the domain;
- ▶ **task**: discovering complex objects from their parts in pictures.

## Results

	$prec_{GRP}$	$rec_{GRP}$	$F1_{GRP}$	$prec_{COP}$	$rec_{COP}$	$F1_{COP}$
CPWA++	<b>0.67</b>	0.81	<b>0.71</b>	<b>0.71</b>	<b>0.82</b>	<b>0.86</b>
CPWA	0.61	<b>0.89</b>	0.67	0.73	0.75	0.74
Baseline	0.45	0.71	0.48	0.66	0.69	0.66

- ▶ **Baseline**: clustering without semantics;
- ▶ **CPWA++**: improved version of CPWA;

# Conclusions and Future Work

- ▶ Theoretical framework for SII: partial model that minimizes a cost function;
- ▶ cost function as a clustering optimization function;
- ▶ clustering algorithm that approximates the cost function;
- ▶ explicitly using semantics improves the results;
- ▶ future work:

# Conclusions and Future Work

- ▶ Theoretical framework for SII: partial model that minimizes a cost function;
- ▶ cost function as a clustering optimization function;
- ▶ clustering algorithm that approximates the cost function;
- ▶ explicitly using semantics improves the results;
- ▶ future work:
  - ▶ integrating of semantic segmentation algorithms;
  - ▶ generalizing to other relations;
  - ▶ extending the evaluation to a standard dataset;
  - ▶ using general purposes ontologies;

# Thanks for listening

Questions?

