Approximate string matching for iris recognition by means of boosted Gabor wavelets

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Abstract—This paper presents an efficient IrisCode classifier, built from phase features which uses AdaBoost for the selection of Gabor wavelets bandwidths. The final iris classifier consists of a weighted contribution of weak classifiers. As weak classifiers we use 3-split decision trees that identify a candidate based on the Levenshtein distance between phase vectors of the respective iris images. Our experiments show that the Levenshtein distance has better discrimination in comparing IrisCodes than the Hamming distance. Our process also differs from existing methods because the wavelengths of the Gabor filters used, and their final weights in the decision function, are chosen from the robust final classifier, instead of being fixed and/or limited by the programmer, thus yielding higher iris recognition rates. A pyramidal strategy for cascading filters with increasing complexity makes the system suitable for real-time operation.

Keywords—iris recognition; AdaBoost; biometrics; Levenshtein distance; string matching.

I. INTRODUCTION

Biometric systems are becoming popular methods for personal identification. Each biometric technology has its set of advantages – and disadvantages – based on their usability and security. The human iris, located between the pupil and the sclera, has a complex pattern determined by the chaotic morphogenetic processes during embryonic development. The iris pattern is unique to each person and to each eye, and is essentially stable during an entire lifespan. Furthermore, an iris image is typically captured using a non-contact imaging device, of great importance in practical applications. These reasons make iris recognition a robust technique for personal identification [1].

The first automatic iris recognition system was developed by Daugman [2]. He applied Gabor filters to the iris image for extracting phase features, known as the IrisCode. While Daugman continued refining his algorithm [3], several researchers also worked on iris recognition. Wildes et al. [4] use a Laplacian pyramid to represent the iris texture, and classify the iris images by means of normalized correlation. Boles et al. [5] use an 1D wavelet transform at various resolution levels of concentric circles on the iris image. They characterize the texture of the iris with a zero-crossing representation. Tan et al. [6] employ a bank of spatial filters, with kernels that are suitable for iris recognition to represent the local texture features of the iris. Ma et al. [7] use as features a position sequence of local shape variation points. Sun et al. [8] use the histogram of local binary pattern for global iris texture representation and graph matching for structural classification; this method achieves high discriminability only in rich textured iris images. Lim et al. [9] decompose the iris image into four levels using 2D Haar wavelet transform, and use a modified competitive learning neural network (LVQ) as a classifier. In [10], a support vector machine is used for classification. Bae et al. [11] project the iris signals onto a bank of basis vectors derived by independent component analysis and quantize the resulting projection coefficients as features. Correlation has also been used to recognize iris patterns. Kumar et al., in [12], describe a correlation filter for each class that employs 2D Fourier transforms of training images. Prença et al. [13] propose an iris classification method that divides the segmented and normalized iris image into six regions; an independent feature extraction and comparison is used for each region, and each of the dissimilarity values is combined through a classification rule.

The only work in literature that makes use of boosting for iris recognition is that by He et al. [14]. Instead of Gabor phasors, ordinal measures are used for iris representation. There are however too many parameters that need tuning when using ordinal measures, and to construct and optimal classifier is a difficult problem. The authors suggest the use of similarity oriented boosting instead of AdaBoost. Ordinal measures are difficult to boost, thus oriented boosting must be driven by a similarity rule because of the large amount of features. It should be noted that all these algorithms work with grey-level images, and color information is not used since the most important information for recognition is the texture variation of the iris, which is the same in both grey and color images.

In general, the iris recognition process consists of five stages: (i) image acquisition, (ii) iris localization, (iii) iris normalization, (iv) IrisCode extraction, and (v) iris pattern
Figure 1. Four initial stages of iris recognition: (a) acquired eye image; (b) segmented iris; (c) normalized iris; (d) IrisCode.

identification. Existing methods for iris identification are based on the comparison of the IrisCodes. There are several approaches to measure the angular distances between IrisCode vectors, but the most widely used is the normalized Hamming distance. We use Levenshtein distance to measure the differences between IrisCodes. We show that this is a more accurate metric for deciding if two IrisCodes belong to the same person. Also, whatever the metric used, some parameters must be fixed by the programmer, such as the minimum distance needed to consider that two IrisCodes belong to the same person, the number of wavelengths being used, and their values. In this paper we deal with the fifth stage, iris pattern identification. We present an iris identification process based on AdaBoost classification. The boosting process selects the most significant wavelengths for the identification, and also determines the threshold distances between phase vectors to decide if they belong to the same iris.

Section II briefly presents the iris recognition technique using the five steps mentioned above. Section III explains our choice of the Levenshtein distance over the Hamming distance. Section IV describes the AdaBoost algorithm we implemented. In Section V we show that the proposed approach improves accuracy in the iris identification stage. Our conclusions are stated in Section VI.

II. IRIS IMAGE ENCODING

In general, iris recognition systems are composed of five stages: acquisition, localization, normalization, encoding, and identification. Figure 1 shows the results obtained after the four initial stages.

Prior to obtaining the IrisCode, the pupil must be located and the iris segmented. We employ a standard technique to segment the iris [4]. The iris can be located at the region between two concentric circles, one for the irissclera boundary and another for the iris-pupil boundary, as shown in Figure 2.b. The pupil is detected with the integro-differential operator shown in Equation 1, as proposed by Daugman [2].

\[
\max_{r, x_0, y_0} \left| G_\sigma(r) \cdot \frac{\partial}{\partial r} \oint_{r, x_0, y_0} I(x, y) \frac{1}{2\pi r} ds \right| \tag{1}
\]

Figure 2. Iris localization and normalization: (a) original image; (b) iris localization; (c) iris normalization.

The iris region is then transformed into a rectangle. This Cartesian to polar transform, known as normalization, is based on the Daugman’s rubber sheet model [2]. As shown in Figure 2.c, each point of the iris image is mapped to a pair of polar coordinates \((r, \theta)\), where radius \(r \in [0, 1]\) and angle \(\theta \in [0, 2\pi]\). Regions with high occlusions are not considered, and the amount of occlusion free areas can be used as quality measure [15].

Iris encoding is implemented using Gabor filters, which are a combination of Gaussian and sinusoidal functions. Since they are bandpass filters, the effects of high-frequency noise and low-frequency illumination non-uniformity can be minimized. Equation 2 describes a Gabor filter, where \(\lambda\) is the wavelength, \(\sigma\) the Standard Deviation, \(\gamma\) the aspect ratio, and \(\theta\) the filter orientation.

\[
\Psi(x, y) = e^{-\frac{x'^2 + (\gamma y')^2}{2\sigma^2}} \cdot \frac{2\pi x'}{\lambda} \cos \frac{2\pi x'}{\lambda} + i \cdot e^{-\frac{x'^2 + (\gamma y')^2}{2\sigma^2}} \cdot \frac{2\pi x'}{\lambda} \sin \frac{2\pi x'}{\lambda}
\]

\[
x' = x \cos \theta + y \sin \theta
\]
\[
y' = -x \sin \theta + x \cos \theta
\]
Because phase information is robust to illumination changes, only this is used from Equation 2. The real component of Equation 2 corresponds to the symmetric part of the filter, while the imaginary corresponds to the asymmetric. Figure 3 shows an example of the iris encoding process.

Once the iris image has been encoded, it must be compared to others to verify identity. The usual metric to compare angular distances between IrisCodes is the normalized Hamming distance, with the phase angle encoded into 2 or 3 bits. If the distance between two IrisCodes is smaller than a fixed threshold, the two images are taken as belonging to the same iris. We investigate this comparison next.

III. THE EDIT DISTANCE

A novel approach for comparing IrisCodes, which uses Levenshtein distance, is presented in this paper. The Levenshtein distance [16], also called edit distance, is employed for measuring the difference between two strings. The distance is given as the minimum number of operations needed to transform one string into the other, where an ‘operation’ is an insertion, deletion, or substitution of a single character. This metric is useful in a wide range of applications, and there is a large body of work concerning string comparison using Levenshtein distance in recent literature – see, for example, [17]. The usual way to compute the Levenshtein distance is with an \((m+1) \times (n+1)\) cost matrix \(L\), where \(m\) and \(n\) are the lengths of the two strings.

Let \(L\) be the cost matrix for strings \(S_A\) and \(S_B\). The value \(L(i,j)\) represents the distance between substrings \(S_A[1,i]\) and \(S_B[1,j]\). The cost matrix values are computed using a dynamic programming algorithm, where the cost \(L(i,j)\) is determined from previously computed costs, according to Equation 3, where \(C_i(S_B(j)), C_d(S_A(i))\) are the insertion and deletion costs, and \(C_S(S_A(i), S_B(j))\) is the cost of substitution of the \(i\)-th character of string \(A\) by the \(j\)-th character of string \(B\). The final edit distance between strings \(A\) and \(B\) is determined by the last value in the cost matrix: \(d(A,B) = L(m,n)\).

\[
egin{align*}
L(0,0) & = 0 \\
L(0,j) & = L(0,j-1) + C_i(S_B(j)), \quad 1 \leq j \leq n \\
L(i,0) & = L(i-1,0) + C_d(S_A(i)), \quad 1 \leq i \leq m \\
L(i,j) & = \begin{cases} 
L(i-1,j), & \text{for all } 1 \leq i \leq m, 1 \leq j \leq n \\
L(i-1,j-1) + C_d(S_A(i)) & \\
L(i,j-1) + C_i(S_B(j)) & \\
L(i-1,j-1) + C_S(S_A(i), S_B(j)) & 
\end{cases}
\end{align*}
\]

We set the insertion and deletion costs both to 1, and the substitution cost to half the Hamming distance between characters. The characters are the 2-bit coded phasors, and the strings are IrisCode segments corresponding to a given wavelength.

For a given pair of strings, the Hamming distance is equivalent to the Levenshtein distance if the only operation considered is substitution, and insertions and deletions are ignored. Thus, the Levenshtein distance can be a more accurate metric than Hamming distance for comparing IrisCode segments. In fact, the Hamming distance is an upper bound of the Levenshtein distance, as proved in [18]. The insertion and deletion operations account for the elastic rotations found in iris patterns. This means that the pixel shifts are not homogenous around the iris pattern, because of the excentricity of the pupil, the segmentation results, and the acquisition process. With the use of the deletion/insertion we can handle such rotations, which is not possible with the standard Hamming distance algorithm. In the standard approach, IrisCodes are compared multiple times, shifting the patterns, in order to compensate the effect of iris rotation. Just shifting the patterns is equivalent to pure geometric rotations of the input image, however, the rotations found in iris patterns are not geometric but elastic rotations.

We compared the performance of the two methods, namely Levenshtein distance and Hamming distance, by measuring the intra-class, and inter-class, distances. IrisCodes from CASIA database from 100 different eyes, taken in 7 different illuminations, were used. Over 10,000 comparisons between IrisCodes were made, of the same iris under different conditions, using Levenshtein and Hamming distances. The intra-class means and standard deviations were thus obtained. Another set of 10,000 comparisons were made between IrisCodes from different persons to obtain the inter-class means and standard deviations.

With this experiment we attempted to determine which metric is more suitable for iris identification. Hence, the distances were computed using the raw IrisCode, prior to the boosting stage. For two-choice decision tasks, such as in biometric decision making, the decidability index \(\delta\) is one measure of how well separated the two distributions are, since recognition errors would be caused by their overlap [19]. If the two means are \(\mu_1\) and \(\mu_2\), and their two standard deviations are \(\sigma_1\) and \(\sigma_2\), then \(\delta\) is defined by Equation 4.

\[
\delta = \frac{\mu_1 - \mu_2}{\sqrt{\frac{\sigma_1^2 + \sigma_2^2}{2}}}
\]

This measure of decidability is independent of how conservative is the acceptance threshold. Rather, by measuring separation, it reflects the degree to which any improvement in (say) the false-matching error-rate must be paid for by a worsening of the failure-to-match error-rate. The performance of any biometric technology can be calibrated by its \(\delta\) score. The decidabilities measured are \(\delta = 3.64\) using Levenshtein distance, and \(\delta = 1.61\) for the Hamming distance. Thus, Levenshtein distance is a more discriminative measure to compare IrisCodes.

A direct application of the dynamic algorithm for Levenshtein distance computation has a computational cost of \(O(mn)\). Ukkonen [20] presents an algorithm that can check
whether the edit distance is below a given threshold $\Theta$ in $O(\Theta^2)$. This is called a “diagonal transition algorithm”, because the diagonals of the dynamic programming matrix (from the upper-left to the lower-right cells) are monotonically increasing. The algorithm computes, in constant time, the positions where the values along the diagonals are incremented. Only $\Theta^2$ such positions need be computed to reach the lower right decisive cell. The classifier described in Section IV does not use the distance value, but it makes a decision based on the fact that distance is smaller than a given threshold $\Theta$. Thus, the Ukkonen approach is an efficient solution for our application. Even though the computation of the Hamming distance has a lower computational cost, the computation of Levenshtein distance with Ukkonen cost reduction, and a cascading strategy shown in next section, can give a solution in a few milliseconds using a database such as CASIA. Times are detailed in the results section.

For a really large database, perhaps a specific hardware architecture would have to be used, if so needed. There are some such architectures proposed in literature, as [21], and their respective low cost hardware implementation, as the FPGA specific processor in [22].

Instead of using the edit distance for comparing full IrisCodes, we propose an algorithm that compares IrisCode segments of different wavelengths. Thus, we use AdaBoost to obtain a classifier based on a weighted function of simple decisions taken from the edit distances obtained comparing the segments. This process is described in the next section.

IV. Iris classification using AdaBoost

Boosting is a meta-algorithm for automatic learning that builds a robust classifier by a combination of a set of weak classifiers. A classifier is considered weak if it has a correct classification ratio slightly above 50%. Consider a set of weak classifiers $h_t(x)$, then the strong classifier $\text{sign}(f(x))$ is defined by Equation 5.

$$f(x) = \sum_{t=1}^{T} \alpha_t h_t(x)$$

(5)

Boosting meta-algorithms obtain the strong classifier iteratively. In each iteration, a weak classifier is added in, weighted by its predictive capacity $\alpha_t$. After all weak classifiers are considered, the sample set distribution is recalculated to attribute a higher weight to misclassified data. The AdaBoost algorithm [23] is detailed next.

1) Given
   a) a set of labeled observations
      \[
      \{(x_1, y_1), \ldots, (x_m, y_m)\};
      \]
      with samples $x_i \in X$ and labels $y_i \in [-1, 1]$;
   b) a set of weak classifiers $h_j()$;
2) Initialize a distribution $D_1(i) = 1/m$ for $i = 1 \ldots m$
3) For $t \leftarrow 1 \ldots T$:
   a) find the weak classifier with minimum error:
      $h_t = \arg \min_{h_j} \epsilon_j$
      where $\epsilon_j = \sum_{i=1}^{m} D_t(i) D_t(i)$ and $y_i \neq h_j(x_i)$;
   b) compute the coefficient $\alpha_t$
      $\alpha_t = 0.5 \ln(1/\epsilon_t)/\epsilon_t$;
   c) update, for normalization factor $Z_t$
      \[
      D_{t+1}(i) = \frac{D_t(i) e^{-\alpha_t y_i h_t(x_i)}}{Z_t}
      \]
4) Return the strong classifier
   \[
   H(x) = \text{sign} \sum_{t=1}^{T} \alpha_t h_t(x)
   \]

As weak classifiers $h(i, j)$ we use size-parameterizable decision trees. For a threshold $\Theta_\lambda$, that minimizes the error of the weak classifier for a given wavelength $\lambda$, every split is a simple decision:
identification process, known as cascade [25]. A positive identification from the first classifier triggers the evaluation of a second classifier, which in case of positive identification triggers a third one, and so on. A negative identification on any level causes the immediate rejection of the candidate.

The complete system consists of an 8-level cascade of classifiers. The first classifier is a single decision tree, while the last classifier consists of the weighted combination of 150 decision trees. Each matching attempt is processed at the various levels, and if any classifier rejects the attempt, the processing terminates with a rejection. This cascading strategy allows a majority of non-matching attempts to be quickly rejected – with fewer comparisons, while spending more computation time on potential true-matchings. The process is thus considerably accelerated, without losing accuracy in identification.

Using this cascading strategy there is no need to compute all distances for all possible wavelengths, since they are computed at the corresponding level if needed. In fact, not even single distances have to be totally computed because the weak classifiers need only to ascertain if a given distance is below the desired threshold $\Theta_x$. Once the Levenshtein distance being computed is above the threshold, the candidate is rejected and there is no need to complete that computation.

V. Results

The system was tested with images from CASIA [26] and UPOL [27], [28] databases: 756 monochrome images from 108 eyes from CASIA database; and 384 color images from 64 persons from UPOL database. As described in Section II, iris images were normalized to 256x32 pixels. Each iris image is coded using a 256x32 phasor array, and each phasor was encoded in Gray code with 2 bits. Wavelengths considered range from 2 to 24 pixels.

Error rates of 0% were easily achieved with images from the UPOL database. Images from this database are free of eyelids, eyelashes and other interferences. Figure 6 shows that the distance between the intra-class and the inter-class distributions is very large for the UPOL database, indicating a complete decidability. Hence, when using images from this database results are not realistic.

The CASIA database is the most commonly used iris image database for evaluation purposes, and several papers report their experimental results on this database. Thus, we use CASIA for comparing our results to other published methods. The number of iris images from CASIA database is sufficiently large for an adequate performance comparison. Three images from each person were randomly chosen as a training set, whereas the remainder are the control set, without overlap. This yields 432 images for a single test. The test results should be independent on the training images randomly chosen. Thus, a new test is done with 3 new training images, and tested again with the other 4, which were not previously used for learning. This process

\[ \text{if } d_{\lambda}(i, j) < \Theta_{\lambda} \text{ then } h_{\lambda}(i, j) = +1 \text{ else } h_{\lambda}(i, j) = -1, \]

where $d_{\lambda}(i, j)$ is the edit distance between two IrisCode lines $i, j$, computed for a wavelength $\lambda$.

In the training stage, the distances are pre-computed for all possible wavelengths. $N$ distance matrices $d_{\lambda}$ are built corresponding to $N$ different wavelengths, where $d_{\lambda}(i, j)$ is the Levenshtein distance, obtained with the algorithm defined by Equation 3. The wavelength range is limited at 24. Labels are assigned to each distance value:

\[ \text{if (i and j are samples from the same iris) then } y_{\lambda}(i, j) = +1 \text{ else } y_{\lambda}(i, j) = -1. \]

Thus, a robust classifier $H(x)$ is produced by the linear combination of the results obtained from the decision trees, as defined in Equation 6, where $x$ are the values of the $N$ matrices $d_{\lambda}$ of Levenshtein distances between IrisCode lines, $\alpha_t$ can be understood as the weight of the classifier $h_t$ in the global decision, and $\sum_{t=1}^{T} \alpha_t h_t(x)$ is a measure of the confidence for the iris identification.

Figure 4 shows a plot of error $\times$ number of iterations of the AdaBoost algorithm. The error tends to stabilize beyond 100 iterations, so we chose 150 iterations to train the classifier. The decision-tree size $S$ – the number of splits – must be fixed, and $S$ was fixed at 3, which is a good trade-off between accuracy and processing time, as shown in Section V.

![Figure 4. Error evolution vs. AdaBoost iterations.](image)

In the recognition stage, we applied a technique of cascading the classifiers to reduce the computation time, as widely used in face detection applications [24]. The key idea is that smaller, therefore faster, boosted classifiers can be constructed, which reject many of the false candidates, while accepting all positive ones. The simpler classifiers are used to reject the majority of false candidates, before the complex classifiers are called upon to achieve a low rate of false-acceptation. Figure 5 contains a diagram of the identification process, known as cascade [25]. A positive
is repeated 1,000 times. Error ratios are computed using the set of results obtained from the whole process.

To evaluate the performance of the identification system, we use the receiving operating characteristic (ROC), the equal error rate (EER) and the false-rejection rate (FRR) for false-acceptation rate (FAR) equal to zero. The ROC curve displays the FRR as a function of the FAR, that is, “the probability that an authorized person is falsely rejected” against “the probability that an unauthorized person is falsely accepted” [29]. The EER indicates the identification error rate for which the FAR and the FRR are equal. FRR for FAR=0 is a useful metric for access/entry validation since it guarantees that no unauthorized person can gain access to the protected environment. Table I shows the error rates obtained using four different decision tree sizes. A decision tree with 4 splits gives a slightly lower ERR than one with 3 splits, but the latter is the best trade-off between speed and correct identification rate, and for this reason the number of splits of the decision trees has been fixed at 3. Our identification system achieves an FRR\text{FAR=0}=1.03\%.

![Cascade of classifiers](image)

**Figure 5. Cascade of classifiers.**

<table>
<thead>
<tr>
<th>tree splits</th>
<th>EER [%]</th>
<th>FRR\text{FAR=0} [%]</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>0.045</td>
<td>3.51</td>
</tr>
<tr>
<td>2</td>
<td>0.017</td>
<td>2.18</td>
</tr>
<tr>
<td>3</td>
<td>0.004</td>
<td>1.03</td>
</tr>
<tr>
<td>4</td>
<td>0.003</td>
<td>1.03</td>
</tr>
</tbody>
</table>

Table I  
**RESULTS AS A FUNCTION OF TREE SPLITS**

Figure 7 shows the FRR×FAR ROC curve using 3-split trees as weak classifiers and the CASIA database. The results obtained with our system were compared to published methods. Table II shows the results reported in the literature that use CASIA database for test images. Results from the combination of two methods are reported in [8]. The Mizayawa method [30] has the best performance, followed by He’s method [14].

<table>
<thead>
<tr>
<th>Method</th>
<th>EER [%]</th>
</tr>
</thead>
<tbody>
<tr>
<td>Wildeis [4]</td>
<td>1.76</td>
</tr>
<tr>
<td>Proença [13]</td>
<td>1.01</td>
</tr>
<tr>
<td>Sun [8]</td>
<td>0.86</td>
</tr>
<tr>
<td>Tan [6]</td>
<td>0.51</td>
</tr>
<tr>
<td>Daugman + Tan [8]</td>
<td>0.49</td>
</tr>
<tr>
<td>Daugman + Sun [8]</td>
<td>0.37</td>
</tr>
<tr>
<td>Tan + Sun [8]</td>
<td>0.32</td>
</tr>
<tr>
<td>Daugman [2]</td>
<td>0.08</td>
</tr>
<tr>
<td>Ma [7]</td>
<td>0.07</td>
</tr>
<tr>
<td>He [14]</td>
<td>0.01</td>
</tr>
<tr>
<td>Mizayawa [30]</td>
<td>0.0099</td>
</tr>
<tr>
<td>Ours</td>
<td>0.004</td>
</tr>
</tbody>
</table>

Table II  
**COMPARISON WITH EXISTING METHODS**

In the training process, IrisCodes are computed from images, and the wavelengths and their respective thresholds for the classifier are automatically determined by the boosting process. In the recognition process, an iris image is encoded and compared to all other pre-computed IrisCodes in the
database. The input IrisCode is computed in 405$\mu$s on a 2.13GHz Intel Core 2 Duo 6400. The Levenshtein distance between two IrisCode rows is computed in 240$\mu$s. The time needed to decide if two iris images belong to the same eye, in a worst case situation, is 72.5ms, which is just an upper bound. Actual times are (much) shorter because the complete Levenshtein distance array is seldom computed: most candidates are refused once the partial distance is above a given threshold. Furthermore, with the cascading strategy, not all the 150 weak classifiers must be used. In fact, 42% of candidates are refused in the first cascading stage, 23% in the second, 19% in the third, 13% in the forth, and less than 3% go beyond the fifth stage. To determine the average computing time to decide if two iris images belong to the same eye, we selected 200 random images and compared them with the whole database. The average time for the verification is 1.6ms.

Figure 6. Distribution of intra-class and inter-class distances: (a) CASIA database; (b) UPOL database.

Figure 7. ROC curve with the EER line superimposed.

VI. CONCLUSION

We present a novel iris recognition technique that minimizes false identification rates. The two main contributions of our work are (i) the introduction of the AdaBoost algorithm in the iris pattern classification stage, and (ii) the use of Levenshtein distance instead of Hamming distance. This approach leads to an effective identification system and the error ratios obtained are considerably lower than those obtained using the existing techniques.

The computation of the Levenshtein distance has a higher cost than the computation of the Hamming distance. However, this cost is significantly reduced by the use of the diagonal transition algorithm. Efficiency is further increased by the cascade of classifiers, structured as a pyramid. The resulting classifier is computationally efficient since only a small number of decision trees need to be evaluated during run time.

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