A Fuzzy Partial Ordering Approach for QoS-based Selection of Web Services

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Abstract—As the development of Service-Oriented Computing (SOC), more and more functional similar Web services are deployed over the Internet. Nowadays, Web service selection becomes a crucial issue for making SOC more applicable. Troublesome Web services will affect the reliability of the whole SOC application which invokes the service. Therefore, when choosing Web services, not only the functional attributes but also the Quality of Service (QoS) should also be considered. In this work, we develop a framework to collect the indices of service quality, including runtime and non-runtime indices. A fuzzy partial-ordering approach, which takes both quality indices and their uncertainties into consideration, is proposed to evaluate Web services. A series of partial-ordering models has been developed to rank Web services according to their qualities. Case study shows that the proposed approach is effective for selecting the service having the highest synthetic quality from the collections of functional similar services.

Index Terms—Web service selection, QoS, fuzzy partial ordering, ranking approach

I. INTRODUCTION

The objective of service selection is to choose the most relevant services that best meet consumers’ requirements from the services collection. The paradigm of Service-Orient Computing (SOC) makes Web service enable businesses and organizations to collaborate in an unprecedented way. However, wide application of SOC brings service selection more and more challenging because of the rapid increasing number of functional similar Web services being made available on the Web.

In the Web service architecture currently in use, each incoming Web service was manually assigned to a pre-specified category by its provider at the registry center. If a consumer wants to find a service fulfilling some special requirements, he/she needs to browse the “right” categories. Unfortunately, for the lack of online evaluation approach, this category-based service discovery cannot guarantee the quality of selected services. This makes selecting and ranking Web services in terms of the Quality of Services (QoS) play an essential role in SOC architectures, especially when the semantic matchmaking process returns lots of services with similar functionalities.

In order to select the most superior Web services, there is a need to be able to distinguish the functional similar Web services using a set of well-defined QoS indices. Therefore, in this work, we define a series of indices for the measurement of QoS and catch the indices with an extension of tradition service architecture. The indices are classified into two classes: non-runtime indices, such as price, and runtime indices, such as availability, mean response time, trustworthy and performance. For the uncertainty of QoS, we present a fuzzy partial-ordering approach to evaluate services for ranking by taking overall consideration of QoS. Some service evaluation models are developed based on this approach.

The remainder of this paper is arranged as follows. Section II provides a short survey of related work. Section III presents the outline of the theory of fuzzy partial order in the context of Web services. Section IV describes the approach and framework exploited to obtain the quality indices. The case study of using our approach is given in Section V. Finally, the conclusion remarks are described in Section VI. For the sake of conciseness, we use “service(s)” to stand for “Web service(s)” in following parts.

II. RELATED WORK

Various types of matching can be exploited to judge how well a service satisfies a consumer’s requirements. Signature matching is a way to matching two services only based on their function types without regarding their behavior [5]. Specification matching compares two services based on their behaviors description [6]. Syntactic matching uses syntax driven techniques to evaluate the similarities into data [4]. Semantic matching is to map the meaning of data [7]. These keyword-based approaches help the consumers to select services from different aspects. In [17], the authors present a probabilistic semantic approach for finding services. However, for the lack of the exact specifications, developing and testing methodologies, the above methods cannot assure they do not select the troublesome service which might affect the whole SOC application. Therefore, developing an effective QoS-based service selection technique is a crucial task for developing reliable SOC applications.

Currently, most quality-based service selection approaches reported in the literature addressed some dimensions which were advertised by the service providers, such as price, response time, availability, reliability and etc [16], and discussed how to promote the accuracy of these dimensions through optimizing service developing methods. A QoS standard and its editorial environment were proposed in [10]. Chen etc in [11] proposed a QoS normalizing approach and ranked functional similar services with the synthetical QoS. Finally, the service at the top rank was chosen for the
consumers. Based on [11], a QoS-based service selection has been studied for service composition in [14]. A Web services discovery model with QoS constraint has been developed in [15]. In that model, a set of QoS indices was defined, and service providers were allowed to advertise QoS information when they publish the services. Generally, the service with highest reputation was returned to users.

Obviously, for some of the dimensions, such as response time, it is undependable to merely rely on service providers’ advertisement, because service providers are not in a “neutral” manner. This kind of dimensions has some uncertainty, that is, they might change with different invocation. Therefore, in a service selection model, it is profitable to take the indices of QoS and their uncertainty into consideration. However, in existing QoS-based service selection methods, few of them took both into account. Different from existing approaches, in our work, we employ a fuzzy partial-ordering approach to evaluate how a service satisfies the consumers’ requirements according to both the values of the quality indices and their uncertainty, and rank the services with similar functions according to their partial-ordering relation.

III. FUZZY PARTIAL ORDERING IN WEB SERVICE CONTEXT

Evaluation generally means the behavior of specifying the objective measuring entity’s attributes, and turning them into subjective. In other words, evaluation is the process of determining the value of entity by measuring its relevant attributes and the relationship among them [3].

A. Evaluation Models of Web Services

The evaluation patterns are different with different features and forms of evaluating entity. There are 2 typical evaluation models in service context.

Definition 3.1 A service value evaluation model is a triple \((W, Q, F)\), where \(W = \{w_1, w_2, \ldots, w_m\}\) is the set of services with similar functions, \(Q = \{q_1, q_2, \ldots, q_s\}\) is the set of indices measuring the quality of services, \(q_i\) is the \(i\)-th quality index. \(F = \{f_j : W \rightarrow V_j (l \leq n)\}\) is the set of relations between services and the quality indices. Here, \(f_j(w_i)\) is the measured value of service \(w_i\) on the quality index \(q_j\), and \(V_j\) is the possible values for quality index \(q_j\) called \(q_j\)’s domain. If \(f_j(l \leq n)\) is in form of numerical value, the model is called a service cardinal value evaluation model; and if \(f_j(l \leq n)\) is in form of preferable position, the model is called a service ordinal value evaluation model.

Definition 3.2 A service relation evaluation model is a duality \((W, R)\), where \(W = \{w_1, w_2, \ldots, w_m\}\) is the set of services to be evaluated, \(R\) is the pairwise relation between the members of \(W\) and can be expressed as a matrix as follows:

\[
R = \begin{bmatrix}
R(w_1, w_1) & R(w_1, w_2) & \cdots & R(w_1, w_m) \\
R(w_2, w_1) & R(w_2, w_2) & \cdots & R(w_2, w_m) \\
\vdots & \vdots & \ddots & \vdots \\
R(w_m, w_1) & R(w_m, w_2) & \cdots & R(w_m, w_m)
\end{bmatrix}
\]

where \(R(w_j, w_j)\) represents some superior or inferior relation between service \(w_j\) and service \(w_j\). Corresponding to the value evaluation model, if \(R(w_i, w_j)\) is in form of preferable relation, the model is called an ordinal service relation evaluation model. Otherwise, if \(R(w_i, w_j)\) is in form of numerical value, the model is called a cardinal service relation valuation model.

Thus, the ordinal service relation evaluation model is generated.

Example 3.1 Let \(W = \{w_1, w_2, w_3, w_4, w_5, w_6\}\) represent six services having similar functions. The ordinal service relation evaluation model is given as follows:

\[
R(w_i, w_j) = \begin{cases}
\approx & f & f & f & ? & p \\
p & \approx & ? & ? & p \\
p & f & \approx & f & f & p \\
p & f & ? & \approx & ? & p \\
? & ? & p & ? & \approx & p \\
f & f & f & f & f & \approx
\end{cases}
\]
in above model, \( R(w_i, w_j) \) is generated from the comparison between \( w_i \) and \( w_j \) and used to decide which is the superior one. For example, \( R(w_i, w_j) = f \) represents \( w_j \) is superior to \( w_i \); \( R(w_i, w_j) = p \) means that \( w_j \) is inferior to \( w_i \); \( R(w_i, w_j) = ? \) indicates that \( w_i \) and \( w_j \) is incomparable and \( R(w_i, w_j) = = (i \leq 6) \) shows that a service is an equivalent to itself.

Similarly, we can also present the cardinal service relation valuation model for above 6 services, i.e.:

\[
\begin{pmatrix}
0.50 & 1.00 & 1.00 & 1.00 & 0.85 & 0.00 \\
0.00 & 0.50 & 0.00 & 0.85 & 0.85 & 0.00 \\
0.00 & 1.00 & 0.50 & 1.00 & 1.00 & 0.00 \\
0.00 & 1.00 & 0.85 & 0.50 & 0.85 & 0.00 \\
0.85 & 0.85 & 0.00 & 0.85 & 0.50 & 0.00 \\
1.00 & 1.00 & 1.00 & 1.00 & 0.50 & 0.00
\end{pmatrix}
\]

in which \( R(w_i, w_j) = 1.00 \) denotes \( w_j \) is superior to \( w_i \); \( R(w_i, w_j) = 0.85 \) represents the degree of \( w_j \) superior to \( w_i \) is 0.85; \( R(w_i, w_j) = 0.00 \) means \( w_j \) is inferior to \( w_i \). \( R(w_i, w_j) = 0.5(i \leq 6) \) shows that a service is equivalent to itself.

Service relation evaluation model can be transformed to service value evaluation model. As in service relation evaluation model, mutual relation is given between services, such relation should be quantified in information integration, and then get the complete compared relation. For a group of individual service evaluating relation given by multiple quality indices, after integration the model will be transformed to service value evaluation model.

**B. Unifying Service Indices**

In the service value evaluation model, the relations between evaluating services and service indices are different. Thus, before transforming, the type of service indices should be unified.

Let \( f(w_i), f(w_j), f(w_k) \) be the values of quality indices for evaluating services \( w_i, w_j \) and \( w_k \), respectively. For \( w_i \geq w_k \geq w_j \), if

\[
f(w_k) \geq f(w_i) \land f(w_j) \tag{4}
\]

holds, \( f \) is called an up-convex attribute function; if

\[
f(w_k) \leq f(w_i) \lor f(w_j) \tag{5}
\]

holds, \( f \) is called a down-convex attribute function.

Given a quality indices \( q_i \), services are ranked from the superior to inferior order:

\[
w_i \triangleright w_j \triangleright w_k \triangleright \ldots \triangleright w_m \tag{6}
\]

The domain of valuating value of service quality index \( q_i \), i.e., \( f_i(w_l)(l \leq m) \), is \( V = [0, 1] \).

Let service quality index \( q_i \) be a continuous up-convex function, the quality index can be classified as follows: (1) For any \( p < r < q \), if \( f_i(w_p) \leq f_i(w_r) \leq f_i(w_q) \) holds, \( q_i \) is called a benefit-type service quality index.

(2) If for any \( p < r < q \), \( f_i(w_p) \leq f_i(w_r) \leq f_i(w_q) \) holds, \( q_i \) is called a cost-type service quality index.

(3) If \( 1 < p < q < m \), \( f_i(w_p) = f_i(w_q) \) and

\[
f_i(w_p) \geq f_i(w_r)(1 \leq u \leq p),
\]

\[
f_i(w_r) = f_i(w_q)
\]

holds, \( q_i \) is called a ranged-quality index.

Similarly, we can also define the aforementioned types of service quality indices for any down-convex continuous function. We declare that the benefit-type service quality indices of up-convex function are the cost-type service quality indices of down-convex function, and the cost-type service quality indices of up-convex function are the benefit-type service quality indices of down-convex function.

The three types of service quality indices for up-convex continuous function can be transformed to benefit-type service quality indices with following approach. For convenience, we assume \( V = [0, 1][l \leq m] \).

(1) No change is given to the benefit-type service quality indices, i.e.,

\[
f'_i(w_i) = f_i(w_i) \tag{7}
\]

(2) For any cost-type service quality index, we define

\[
f'_i(w_i) = 1 - f_i(w_i) \tag{8}
\]

(3) For any ranked-type service quality index, let

\[
f'_i = \begin{cases} 
\frac{f_i(w_i)}{2}, & w_i \leq w_p, \\
\frac{2(1 - f_i(w_i) + f_i(w_p))}{2}, & w_i > w_p.
\end{cases} \tag{9}
\]

With this approach, the domain of a service quality index is kept in [0,1] and a ranged-type service quality index is transformed to a benefit-type serviced quality index.

For any service quality index \( q_o \) if \( w_i \leq w_j \) and \( f'_i(w_i) \leq f'_i(w_j) \) hold, transform all the service quality indices to benefit-type service quality indices. Therefore, the benefit-type service quality indices can be used to evaluation decision. The down-convex continuous function can be transformed in a similar way.

**C. Evaluation Decision for Web Services**

For a service value evaluation model \((W, Q, F)\), if there are multiple service quality indices, the evaluating value of a service \( w_i \) is denoted as \( F(w_i) = (f_1(w_i), f_2(w_i), \ldots, f_s(w_i)) \). Thus, each evaluating service is represented as an n-dimension vector, and there are m vectors under comparison. If \( F(w_i) \leq F(w_j) \) stands for \( w_i \triangleright w_j \), then \((W, \triangleright)\) is a quasi-order set. For a quasi-order set \((W, \triangleright)\), we employ \( R = \{(w_i, w_j) \mid w_i \triangleright w_j\} \) to
represent that \( w_i \) is inferior to \( w_j \), and \( R^{-1} = \{(w_j, w_i) \mid w_j \not\in \mathcal{P}w_i \} \) to represent that \( w_i \) is superior to \( w_j \). Thus, \( R \cap R^{-1} = \{(w_i, w_j) \mid w_i = w_j \} \) represents the relation set in which \( w_i \) and \( w_j \) are equivalent.

\( R \cap R^{-1} = \{(w_i, w_j) \mid (w_i, w_j) \in R \) and \( (w_j, w_i) \in R \) \} represents the relation set that \( w_i \) and \( w_j \) are incomparable.

**Definition 3.4** Let \( (W, \mathcal{P}) \) be a quasi-order set and the evaluation result \( (W, \leq) \) be a set in total order. If for any \((w, w_i) \in R, w \leq w_i \) holds, and for any \((w, w_i) \in R', w \leq w_i \) holds, then \((W, \leq)\) is a feasible evaluation.

**Theorem 3.1** Assume \((W, \leq)\) to be a partial-order set, \((W, \leq)\) has the following properties:

1. \( R \cap R \) is an equivalence relation;
2. \( R \cap R^{-1} \) has symmetry and has no reflexivity and transitivity;
3. \( R, R^{-1} \) has reflexivity and transitivity, but has no symmetry.

**Proof:** Theorem 3.1 can be proved directly using above description.

**Theorem 3.2** Let \((W, \mathcal{P})\) be a partial-order set, and there exists a total ordering set on \( W \) which makes total order set \((W, \leq)\) a strict feasible evaluation.

**Proof:** Denote that

\[
R(w_i, w_j) = \begin{cases} 
1 & (w_i, w_j) \in R^{-1}, (w_j, w_i) \in R \cap R^{-1}, \\
0.5 & (w_i, w_j) \in R \cap R^{-1}, \\
0 & (w_i, w_j) \in R, (w_i, w_j) \in R \cap R^{-1}.
\end{cases}
\]

(10)

if \( w_i > w_j \), then

1. when \( w_j \notin \mathcal{P}w_i \), \( w_j > w_i \) holds;
2. when \( w_i \not\in \mathcal{P}w_j \) or \( w_i > w_j \) holds;
3. when \( w_i \not\in \mathcal{P}w_j \) or \( w_i \not\in \mathcal{P}w_j \) holds.

Therefore, for \( R(w_i) = \sum_{j \neq i} R(w_i, w_j) \) when \( w_i \notin \mathcal{P}w_i \).

\( R(w) \) holds. If \( W \) is ordered by \( R(w) \)'s value, a strict feasible evaluation will be obtained.

**D. Fuzzy partial-ordering models for service evaluation decision**

Although traditional evaluation relation model gives a partial-order bi-relation of services, it cannot capture the uncertainty of the service quality which leads to the model cannot catch the uncertainty of relation among services. Here, we apply a fuzzy partial ordering evaluation model which is an appropriate approach to capture the uncertainty of the relation among the evaluating services.

**Model 3.1** Let \((W, \leq)\) be a partial-order set, denote that

\[
R(w_i, w_j) = \begin{cases} 
1.0 & w_i > w_j, \\
0.0 & w_i < w_j, \\
0.5 & w_i = w_j, \\
0.8 & w_i \not\in \mathcal{P}w_j.
\end{cases}
\]

(11)

Then, \( R = R(w, w_j) \), where \( w_i, w_j \in Q \) is a fuzzy strict partial-order relation.

**Proof:** We only need to prove that when \( w_i \geq w_j \), \( R(w_i, w_j) \geq R(w_i, w_j) \) holds. Three scenarios are needed to be considered: i) \( w_i \geq w_j \); ii) \( w_i = w_j \); iii) \( w_i \not\in \mathcal{P}w_j \). When \( w_i > w_j \), \( w_i \not\in \mathcal{P}w_j \), for \( w_i \geq w_j \); when \( w_i = w_j \), \( w_i = w_j \) or \( w_i > w_j \) holds; when \( w_i \not\in \mathcal{P}w_j \) or \( w_i \not\in \mathcal{P}w_j \) holds.

**Model 3.2** Let \((W, \leq)\) be a partial-order set, denote that

\[
R(w_i, w_j) = \frac{|\{w_k \mid w_k \leq w_i\}|}{|\{w_k \mid w_k \leq w_i\}| + |\{w_k \mid w_k \leq w_j\}|}
\]

(12)

where \( (w_i, w_j, w_k) \in W \) and \(|\cdot|\) is the number of elements in the set, then \( R(w_i, w_j) \) is a fuzzy partial order relation.

**Proof:** It is obvious that \( 0 \leq R(w_i, w_j) \leq 1 \) holds. Meanwhile, when \( w_i = w_j \), \( R(w_i, w_j) = 0.5 \) holds; when \( w_i \geq w_j \) then \( R(w_i, w_j) \geq 0.5 \) holds; when \( w_i < w_j \), then \( R(w_i, w_j) \leq 0.5 \). When \( w_i = w_j \) holds, then \( R(w_i, w_j) = 0.5 \) holds; when \( w_i \geq w_j \), then \( R(w_i, w_j) = 0.5 \) holds. Let us prove that when \( w_i \geq w_j \), then \( R(w_i, w_j) \geq 0.5 \) holds as follows. Because

\[
R(w_i, w_j) = \frac{|\{w_k \mid w_k \leq w_i\}|}{|\{w_k \mid w_k \leq w_i\}| + |\{w_k \mid w_k \leq w_j\}|}
\]

(13)

\[
R(w_j, w_i) = \frac{|\{w_k \mid w_k \leq w_j\}|}{|\{w_k \mid w_k \leq w_i\}| + |\{w_k \mid w_k \leq w_j\}|}
\]

(13a)

as we know when \( w_i \geq w_j \), \(|\{w_k \mid w_k \leq w_i\}| \geq |\{x_k \mid x_k \leq w_j\}|\) holds. According to the inequation

\[
\frac{a}{a + c} \geq \frac{b}{b + c}
\]

(13b)

\( R(w_i, w_j) \geq R(w_i, w_j) \) holds.

**Model 3.3** Denom \((W, Q, F)\) be an evaluation model,

\[
F = \{f_i : W \rightarrow [0,1] | l \leq m\}
\]

\[
R(w_i, w_j) = \sum_{i=1}^{n} \left| \{q_i \mid f_i(w_i) \geq f_i(w_j)\} \right|
\]

(14)

where \( n \) is the number of elements in \( Q \) (the set of indices of service quality), and \( q_i \) is a member of \( Q \). Then, \((W, w_i)\) is a fuzzy partial-set relation.

**Proof:** Obviously, \( 0 \leq R(w_i, w_j) \leq 1 \) holds. We know that \( F(w) = \{f_i(w_i), f_i(w_1), \ldots, f_i(w_n)\} \) and denote \( F(w) \leq F(w) \) if \( f_i(w) \leq f_i(w)(l \leq n) \). When \( F(w) \leq F(w) \), \( \{q_i \mid f_i(w) \leq f_i(w)\} \subseteq \{q_i \mid f_i(w) \leq f_i(w)\} \), then, \( R(w_i, w_j) \geq R(w_i, w_j) \) holds.
holds. Similarly, when \( q_i/f(w_i) \geq f(w_i) \) then \( R(w_i, w_j) \leq R(w_i, w_j) \) holds.

**Model 3.4** Let \((W, \leq)\) be a partial-order set, \([w_i] = \{w_i \leq w_j \mid w_i \leq w_j \}\) represents the class that is superior to \(w_i\), then the superior relation

\[
R^+(w_i, w_j) = \frac{-\lfloor [w_i]^- \cup [w_j]^- \rfloor}{|W|} \tag{15}
\]

is a fuzzy partial-order relation on \((W, \leq)\). Similarly, \([w_i] = \{w_i \leq w_j \mid w_i \leq w_j \}\) stands for the class inferior to \(w_i\) and it is transferred into the superior relation as

\[
R^-(w_i, w_j) = \frac{-\lfloor [w_i]^- \cup [w_j]^- \rfloor}{|W|} \tag{16}
\]

**Proof:** If \( w_i \leq w_j \), then \([w_i] \leq [w_i] \), thus, \([w_i] \leq [w_j] \), therefore, \( R(w_i, w_j) = 1 \). Here, we get \( w_i \leq [w_i] \cup [w_j] \), therefore, \( R(w_i, w_j) = 1 \). Similarly, when \( w_i \geq w_j \), \( R(w_i, w_j) \geq R(w_i, w_j) \) holds. Therefore, model 3.4 (see equations 15 and 16) exist.

**Model 3.5** For any continuous information system \((W, Q, F)\),

\[
R(w_i, w_j) = 1 - \left(1 - f_i(w_i) + f_j(w_j) \right),
\]

\[
R(w_i, w_j) = \min_{l=1}^n R(w_i, w_j)(l \leq n) \tag{17}
\]

is a fuzzy partial-order relation on \((W, \leq)\).

**Proof:** For \( R \), is a fuzzy partial-order relation on \(W\) and therefore \( R \) is a fuzzy partial-order relation on \(W\).

**Model 3.6** For any continuous information type \((W, Q, F)\), formula

\[
R(w_i, w_j) = \sum_{l=1}^n \frac{f_i(w_i) \wedge f_j(w_j)}{f_i(w_j)} \tag{18}
\]

is a fuzzy partial-order relation.

**Proof:** Firstly, \( 0 \leq R(w_i, w_j) \leq 1 \) holds, when \( w_i \geq w_j \), \( f_i(w_i) \geq f_i(w_j) \), \( f_i(w_i) \wedge f_j(w_j) = f_i(w_j)(l \leq n) \), then \( R(w_i, w_j) = 1 \). Here, \( f_i(w_i) \wedge f_j(w_j) = f_i(w_j)(l \leq n) \), thus, \( R(w_i, w_j) \geq R(w_i, w_j) \). Similarly, when \( w_i \geq w_j \), \( R(w_i, w_j) \geq R(w_i, w_j) \) which means model 3.6 is a fuzzy partial-order relation.

**E. From partial order to total order**

Let \((W, Q, F)\) be a continuous information system, where \( F = \{f_i : W \rightarrow V(l \leq n)\}, V_i = [0, 1] \) and \( F(w_i) = f_i(w_i) \). We introduce the following notation:

\[
w_i \geq w_j \Leftrightarrow F(w_i) \geq f_i(w_j) \geq f_i(w_j)(l \leq n),
\]

\[
w_i = w_j \Leftrightarrow F(w_i) = f_i(w_i) \Leftrightarrow f_i(w_j)(l \leq n)
\]

then, \((W, \leq)\) is a partial-order set.

For any continuous information system, after we use Models 3.1-3.6 to establish a fuzzy partial-order relation, we can get the total order in a service context \(W\) using the following formula:

\[
R(w_i, w_j) = \sum_{j=1}^n R(w_i, w_j) \tag{19}
\]

### IV. Service Quality Indices and Their Collection

QoS is a combination of several qualities or properties of a service [1]. In recent years, the number of functional similar services being made available over the Internet is increasing rapidly. A set of well defined indices of QoS is needed to be able to distinguish the services. In this section, we firstly define the QoS quality indices used in our model, and then present a feasible approach to obtain them.

**A. Service Quality Indices**

A set of non-functional attributes can be employed to measure the quality of a service. Here, these attributes are called as service quality indices. We consider five quality indices which can be measured objectively for services:

1. **Price**
2. **Availability**
3. **Mean Response Time**
4. **Trustworthiness**
5. **Performance**

For the sake of illustration, the number of QoS indices discussed in this paper is limited. However, our model is extensible. New indices can be added without fundamentally altering the underlying computation mechanism as shown in Section III.

**Price:** The price of a service is the money that a service consumer has to pay for requesting the service, such as checking a credit, getting a commodity and etc. Service providers either directly advertise the price of their services, or provide ways for potential consumers to query it. It may be charged per the number of service requests, or could be a flat rate charged for a period of time. Let \( w_i \) be one service, then \( q_i \) is the price for requesting \( w_i \).

**Availability:** The availability of a service is the probability that the service will be available at some period of time [2]. It is measured with the times of successfully invoking the service to the total times of invoking the service. The availability of a given service may vary depending on a particular application; therefore, we use the mean value rather than an exact value of availability to stand for the QoS. We denote the availability of service \( w_i \) as \( q_{i,2} \) in following sections.

**Mean Response Time:** The response time is defined with the time interval from a request arriving at the service to the instant the corresponding reply begins to appear at the consumers’ terminal. It is determined by two factors: the quality of network transmission, and the processing capacity of the service. The former depends largely on the network traffic, which makes the response time varies widely for different service request. The later may be a constant for a given service. Therefore, we use the mean response time standing for the response time for a service. Let \( w_i \) be one service, then \( q_{i,4} \) is the mean response time for requesting \( w_i \) during the testing time.

**Trustworthiness:** The trustworthiness of a service can be measured with its reputation which mainly lies on the consumers’ experiences of requesting the service. The opinion varies different among consumers on the same service. The value of the trustworthiness is computed with the average ranking given to the service by consumers. For a service \( w_i \), we use \( q_{i,4} \) to represent its trustworthiness.

**Performance:** Performance is the measure of the speed.
to complete a service request. It is measured by two metrics: latency and throughput. Latency is the delay between the arrival and completion of a service request and throughput is the number of requests completed over a period of time. We use $q_1$ and $q_2$ to represent the latency and throughput of service $w_i$ respectively.

B. Collecting Service Quality Information

Many approaches have been proposed to collect service quality information [14], [9], [12], [13]. In our work, we classify service quality indices into two categories, non-runtime quality indices and runtime quality indices. The non-runtime quality indices, which keep constantly during the service being invoked, can be provided by service providers as they publish the service at the register center. On the contrary, the runtime quality indices, which vary with the circumstance in which the service is invoked, are measured at the runtime. Obviously, in the set of our service quality indices, price is a non-runtime quality index, and availability, mean response time, trustworthy and performance are the non-runtime quality indices of a service.

With the extension of the traditional service architecture, we make a mechanism for service providers advertise the non-runtime quality indices and collect the runtime quality indices from users’ feedback. The framework shown in Figure 1 depicts our idea about the collection of service quality indices. From the figure, we can see besides the three roles: service providers, service requesters and service registry central, there are two additional ones, service quality monitor and requestor’s feedback collector. There former three roles have the same names as in the traditional service architecture. However, in our framework, their responsibilities are different from in the traditional service architecture, that is, service providers are needed to advertise the values of non-runtime quality indices when they publish services, service requesters are required to give feedback on the runtime quality indices after they invoke the service, and the service registry center has to manage the quality indices besides the services themselves.

To make service providers publish the non-runtime quality indices conveniently, we embed a fragment tagged with “<non-runtimeQoS>”, “<non-runtimeQoS/>” into the standard WSDL document of a service. In the fragment, each tag describes a non-runtime quality index for the service. For example, in Figure 2, the element tagged with “price” is to describe the value of price for service “TelephoneCall” at “http://example.com/telephonecall”. With this extended WSDL, the service providers advertise their service non-runtime quality indices at the same time as they publish their service to the registry center (or UDDI center). At the registry center, the QoS fragment is extracted from the service description document and handed to the QoS manager to storage and manage it.

\[ ...
<price metric="minute ">0.25$ </price>
<non-runtimeQoS>
...
\]

Figure 1. The extended Web service architecture

\[ ...
<service name="TelephoneCall">
<documentation>telephone call service</documentation>
<port name="TelephoneCallPort" binding="tns:TelephoneCallBinding">
<soap:addresslocation="http://example.com/telephonecall"/>

<price metric="minute ">0.25$ </price>
<non-runtimeQoS>
...
\]

Figure 2. An extended WSDL document for registering non-runtime service quality indices

Collecting the values of runtime indices is the responsibility of service quality monitor and requestors’ feedback collector. Service quality monitor is assigned to monitor the runtime indices that can be observed at the service provider side when the service is invoking, such as mean response time, performance and availability. Requestor’s feedback collector is to obtain the values of runtime indices whose evaluation needs service consumer’s participation, such as trustworthy of a service.

V. CASE STUDY

In this section, we examine the evaluation models with a set of QoS indices values which we obtained by running the prototype system of our proposed Web service architecture proposed in Section IV-B. The prototype system was written in Java and performed on 32 PCs and each of which has an Intel Core 2 Duo 1.8 GHz processor (2GB RAM) running Windows XP professional operating System. One of these PCs acted as the registry center which runs a requestor’s feedback collector, service quality manager and QoS manager, and Six of them play the role of service providers and others act as the service requestors.

A. Experimental Data and its Normalization

To investigate the effectiveness of our proposed approach, we apply it to choose the most superior service from the set of six services with the same functions. The services are denoted as $w_1, w_2, w_3, w_4, w_5$ and $w_6$. Their raw values of quality indices are shown in Table I, where $q_1, q_2, q_3, q_4, q_5$ and $q_6$ represents the indices we discussed in Section IV-A respectively, that is, price ($q_1$), availability ($q_2$), mean response time ($q_3$), trustworthy ($q_4$), latency ($q_5$) and throughput ($q_6$).

Before applying our evaluation model, we normalize...
the quality indices whose raw values are not in the range [0,1] using following formula:

\[
q'_{i,j} = \frac{q_{i,j} - \min(q_i)}{\max(q_i) - \min(q_i)}
\]  

(20)

for any benefit-type quality index, and

\[
q'_{i,j} = 1 - \frac{q_{i,j} - \min(q_j)}{\max(q_j) - \min(q_j)}
\]  

(21)

for any cost-type quality index. The definitions of quality indices types are given in Section III. Using Equation 20, 21 and the index type transformation formulas (see Equation 7, 8, 9), the quality indices are transferred into benefit-type quality indices and bounded in [0,1]. The normalized data are shown in Table II.

**TABLE I.** SERVICES AND THE RAW VALUES OF THEIR QUALITY INDICES

<table>
<thead>
<tr>
<th>services</th>
<th>q_1</th>
<th>q_2</th>
<th>q_3</th>
<th>q_4</th>
<th>q_5</th>
<th>q_6</th>
</tr>
</thead>
<tbody>
<tr>
<td>w_1</td>
<td>220.00</td>
<td>0.80</td>
<td>120</td>
<td>0.91</td>
<td>80</td>
<td>800</td>
</tr>
<tr>
<td>w_2</td>
<td>187.00</td>
<td>0.50</td>
<td>150</td>
<td>0.95</td>
<td>85</td>
<td>752</td>
</tr>
<tr>
<td>w_3</td>
<td>120.00</td>
<td>0.71</td>
<td>135</td>
<td>0.83</td>
<td>0.90</td>
<td>900</td>
</tr>
<tr>
<td>w_4</td>
<td>250.00</td>
<td>0.65</td>
<td>101</td>
<td>0.76</td>
<td>60</td>
<td>600</td>
</tr>
<tr>
<td>w_5</td>
<td>135.00</td>
<td>0.31</td>
<td>90</td>
<td>0.70</td>
<td>52</td>
<td>502</td>
</tr>
<tr>
<td>w_6</td>
<td>210.00</td>
<td>0.98</td>
<td>70</td>
<td>0.98</td>
<td>70</td>
<td>700</td>
</tr>
</tbody>
</table>

**TABLE II.** THE NORMALIZED VALUES OF SERVICE QUALITY INDICES

<table>
<thead>
<tr>
<th>services</th>
<th>q_1</th>
<th>q_2</th>
<th>q_3</th>
<th>q_4</th>
<th>q_5</th>
<th>q_6</th>
</tr>
</thead>
<tbody>
<tr>
<td>w_1</td>
<td>0.09</td>
<td>0.38</td>
<td>0.19</td>
<td>0.83</td>
<td>0.00</td>
<td>1.00</td>
</tr>
<tr>
<td>w_2</td>
<td>0.39</td>
<td>0.00</td>
<td>0.95</td>
<td>0.13</td>
<td>0.63</td>
<td>0.63</td>
</tr>
<tr>
<td>w_3</td>
<td>1.00</td>
<td>0.71</td>
<td>0.19</td>
<td>0.83</td>
<td>0.00</td>
<td>1.00</td>
</tr>
<tr>
<td>w_4</td>
<td>0.00</td>
<td>0.61</td>
<td>0.61</td>
<td>0.76</td>
<td>0.79</td>
<td>0.25</td>
</tr>
<tr>
<td>w_5</td>
<td>0.86</td>
<td>0.31</td>
<td>0.75</td>
<td>0.70</td>
<td>1.00</td>
<td>0.00</td>
</tr>
<tr>
<td>w_6</td>
<td>0.18</td>
<td>0.98</td>
<td>1.00</td>
<td>0.98</td>
<td>0.53</td>
<td>0.50</td>
</tr>
</tbody>
</table>

**B. Ordering Services Using Partial-Ordering Models**

Before choosing the services, we need to know which is the most superior one, that is, the services need to be ordered according to their quality. We use the models presented in Section III-D and Equation 19 (see Section III-E) to order the service.

**Method 1:** We get the following fuzzy partial-order relation using Model 3.1 (see formula 11):

\[
\begin{bmatrix}
0.5 & 1.0 & 1.0 & 1.0 & 0.8 & 0.0 \\
0.0 & 0.5 & 0.0 & 0.8 & 0.8 & 0.0 \\
0.0 & 1.0 & 0.5 & 1.0 & 1.0 & 0.0 \\
0.0 & 1.0 & 0.8 & 0.5 & 0.8 & 0.0 \\
0.8 & 0.0 & 0.0 & 0.8 & 0.5 & 0.0 \\
1.0 & 1.0 & 1.0 & 1.0 & 1.0 & 0.5
\end{bmatrix}
\]

With formula 15, we get

\[
R(w_1) = 4.30, R(w_2) = 2.10, R(w_3) = 3.50, \\
R(w_4) = 3.10, R(w_5) = 2.90, R(w_6) = 5.50.
\]

Then, the total order is: w_6 > w_3 > w_5 > w_4 > w_2 > w_1.

**Method 2:** Using Model 3.2 (see formula 12) and formula 15, we get

\[
R(w_1) = 3.14, R(w_2) = 2.71, R(w_3) = 3.14, \\
R(w_4) = 2.58, R(w_5) = 2.83, R(w_6) = 3.60.
\]

Thus, the order of the services is w_4 > w_1 > w_2 > w_5 > w_6 > w_3.

**Method 3:** Using Model 3.3 (see formula 14), we get

\[
R(w_1) = 3.67, R(w_2) = 3.00, R(w_3) = 3.67, \\
R(w_4) = 3.00, R(w_5) = 3.17, R(w_6) = 4.50.
\]

Therefore, we order the services as follows w_6 > w_3 > w_4 > w_3 > w_5 > w_2.

**Method 4:** Using Model 3.4 (see formula 15 and formula 16), we get

\[
R(w_1) = 5.16, R(w_2) = 3.83, R(w_3) = 5.50, \\
R(w_4) = 4.67, R(w_5) = 4.83, R(w_6) = 6.00, \\
R(w_1) = 0.84, R(w_2) = 0.73, R(w_3) = 0.84, \\
R(w_4) = 0.67, R(w_5) = 0.67, R(w_6) = 0.81.
\]

Thus, the descending order of the services is w_5 > w_2 > w_1 > w_5 > w_2 > w_2 > w_5 using R'(w_i), and w_5 > w_2 > w_5 > w_2 > w_2 using R(w_i).

**Method 5:** With Model 3.5 (see formula 17) and formula 16, we get

\[
R(w_1) = 4.71, R(w_2) = 4.32, R(w_3) = 4.80, \\
R(w_4) = 4.35, R(w_5) = 4.70, R(w_6) = 5.5.
\]

The services are ordered as follows: w_5 > w_1 > w_5 > w_1.

**Method 6:** With Model 3.6 (see formula 18), we get

\[
R(w_1) = 3.50, R(w_2) = 2.89, R(w_3) = 3.71, \\
R(w_4) = 2.97, R(w_5) = 3.47, R(w_6) = 4.23.
\]

Therefore, we totally order the services as follows: w_6 > w_1 > w_2 > w_5 > w_5.

According to the partial orders, we can decide the service ranked at the first is the most superior service and its synthetical quality is the highest. In our example, w_6 is the most satisfying service for the consumers.

In our example case, the indices are normalized to some value in [0,1], in some cases they might be given in form of an interval. We use following approach to process this case.

Let (W, Q, F) be an interval model, we denote

\[
f_j(w_i) = \left[ a_i, b_i, f_j(w_i) \right]
\]

\[
R(w_i, w_j) = \left[ \frac{[q(w_i) - q(w_j)] + h[w_i - w_j]}{[q(w_i) - q(w_j)] + h[w_i - w_j] + f(w_i) - f(w_j)} \right] f(w_j) \leq f(w_i)
\]

(22)

then the relations computed with following formula 23 and 24 are fuzzy partial order relation on fuzzy set (W,S).

\[
R(w_i, w_j) = \min_{l=1}^{n} r_{i,j}
\]

(23)

\[
R(w_i, w_j) = \frac{1}{n} \sum_{i=1}^{n} r_{i,j}
\]

(24)

Similar to information integration in continuous systems, we can get information integration methods for interval type of fuzzy partial order relation.

**VI. CONCLUSION**

Large-scale SOC application becomes one of the key computing paradigms that enable the implementation of Internet-based integration of e-Science and e-Business at the global level. Service selection is an important issue for realizing SOC applications with high performance. Choosing services with high quality is the guarantee of developing efficient SOC applications.
In this paper, we divide the quality indices of services into two classes: run-time quality indices and non-runtime quality indices, and propose a framework to collect the quality indices through extension the traditional service architecture. In view of the uncertainty of QoS, a set of models based on fuzzy partial ordering is presented for service selection.

Compared with the existing QoS service selection methods, our method has better overall consideration on the uncertainty of service quality and the relations between services and their qualities. The example case study shows that the proposed approach is effective to select the most superior service from a functional similar service collection. In our future work, we try to develop a service selection and ranking approach in which we will take both functional and non-functional attributes of Web services into consideration.

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REFERENCES


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