

Static Optimization of Conjunctive Queries with Sliding Windows Over Infinite Streams

Ahmed M. Ayad and Jeffrey F. Naughton

Presenter: Maryam Karimzadehgan
mkarimzadehgan@cs.uwaterloo.ca



Outline

- Introduction
- Definition -- Selection and Join Semantics
- The Cost Model
- Load Shedding
- Experiments
- Conclusion
- Discussion Points

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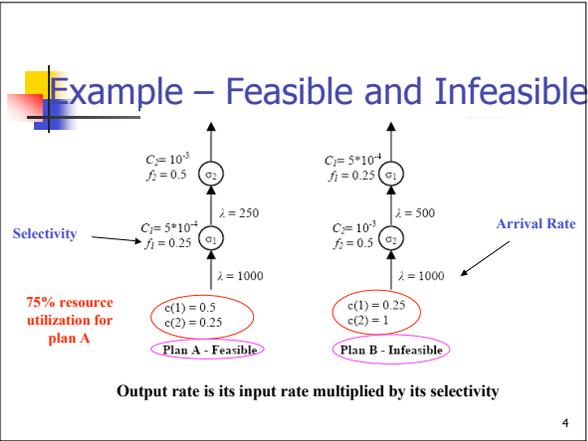


Introduction

- **The aim of the paper:**
 - Find an execution plan that minimizes resource usage when resources are sufficient.
 - Find an execution plan that sheds tuples when resources are insufficient.
- Execution plan is like Queuing Network System
 - Arriving tuples are clients
 - Query operators are servers
- Execution plan is **feasible** if the system is stable.
- At least one feasible plan exists for feasible query.

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- ### Introduction
- If plan is **infeasible** → load shedding → Random dropping of tuples
 - The goal of load shedding → the plan that maximizes the output rate
 - Two different problems:
 - Optimal placement of drop boxes and optimal setting of sampling rate
 - Choice of plan to shed load from
- If query is feasible → find feasible plan with lowest resource utilization*
- If query if infeasible → search the plan that yields maximum output rate when tuples are dropped from it*
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- ### Simplifying Assumptions
- Timestamp is unique for any data stream and Timestamps are assigned by the system for each tuple upon arrival
 - No out of order arrival
 - No relational tables involved in the query
 - Static optimization → Rates of input streams are slow changing (steady state condition)
 - Enough memory to hold the buffering requirements for any query plan.
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Selection and Join Semantics

- A **selection (Filter)** operator takes a stream as an input and outputs the Stream → elements are the subset of input stream satisfying the selection predicate
- **Sliding Window Join** → Symmetric operator that takes two input streams. For every arriving tuple the operator joins it with the current window contents

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The Cost Model

- Selections and projections
 - The number of tuples in a unit time is λ_i
 - The output rate is $\lambda_o = f \cdot \lambda_i$
 - Active Window Size is $W_o = f \cdot W_i$
- Joins and Cartesian Products
 - The output rate is $\lambda_o = f(W_R \cdot \lambda_L + W_L \cdot \lambda_R)$
 - Active Window Size is $W_o = f \cdot W_L \cdot W_R$

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Processing Constraints

```

SELECT A.a, B.b, C.c
FROM   A [ROWS 10]
       B [ROWS 10]
       C [ROWS 10]
WHERE  A.a = B.a
AND    B.b = C.b

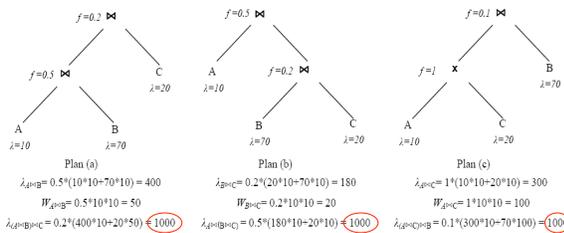
```

- Stream A,B,C, 10 rows in each stream
- Arrival of Stream A=10, B=70, C=20 tuples/second
- Selectivity of $A \bowtie B = 0.5$ and $B \bowtie C = 0.2$

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Processing Constraints



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1. Join Operator 0.5 milliseconds \rightarrow 2000 tuples/second, Plan A: 25%
 B:14% C:20% **B is the best choice**

2. Join Operator 3 milliseconds \rightarrow 334 tuples/second, Plan A: 150%
 B:84% C:120% **Only B is feasible**

3. Join Operator 5 milliseconds \rightarrow 200 tuples/second,
All Plans become infeasible

Plan (a) $\lambda_{A|B} = 0.5 \cdot (10^3 \cdot 10^3 + 70^3 \cdot 10) = 400$
 $W_{A|B} = 0.5 \cdot 10^3 \cdot 10 = 50$
 $\lambda_{A|B|C} = 0.2 \cdot (400 \cdot 10^3 + 20^3 \cdot 50) = 1000$

Plan (b) $\lambda_{B|C} = 0.2 \cdot (20^3 \cdot 10^3 + 70^3 \cdot 10) = 180$
 $W_{B|C} = 0.2 \cdot 10^3 \cdot 10 = 20$
 $\lambda_{A|B|C} = 0.5 \cdot (180 \cdot 10^3 + 20^3 \cdot 10) = 1000$

Plan (c) $\lambda_{A|C} = 1 \cdot (10^3 \cdot 10^3 + 20^3 \cdot 10) = 300$
 $W_{A|C} = 1 \cdot 10^3 \cdot 10 = 100$
 $\lambda_{A|C|B} = 0.1 \cdot (300 \cdot 10^3 + 70^3 \cdot 100) = 1000$

All three plans have the same final output rate

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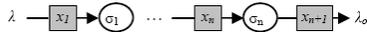
Load Shedding

- Random dropping of tuples
- Goal is to maximize the output rate of the approximated query
- Two questions:
 - Given a plan, where the drop box should be placed?
 - Which plan should be chosen for load shedding?
- Choose the best plan when resources were sufficient

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Selection Only Queries

- n+1 possible places to put drop boxes

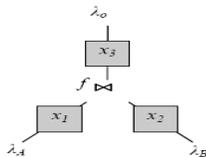


- To approximate a plan for filtering → drop tuples from streaming source before they are processed
- The approximation → on a plan with the least cost in order to maximize the output

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Join Queries

- A drop box can be put before each of the two inputs

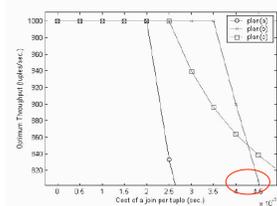
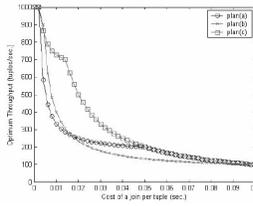


- Tuples should be dropped from the input streams before being processed by any join operators

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Choice of Plan for Load Shedding

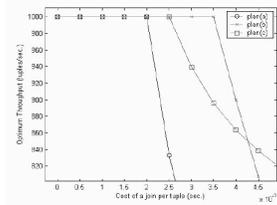
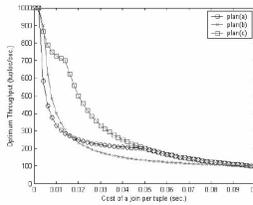
- Plan with the lowest resource utilization does not carry over the case of join queries



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The plan with the lowest utilization is not always the best for load shedding

- Plan with the lowest resource utilization does carry over the case of join queries



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Optimization Framework

- Load shedding should be integrated in the process of optimization
- Optimization Problem
 - Two functions
 - Throughput of the plan
 - Utilization cost of the plan
 - For feasible queries → the goal of optimization is
 - Minimize utilization cost while throughput is at its maximum value
 - For infeasible queries →
 - Maximize throughput while the utilization cost is fixed at its maximum value

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The Objective of the Optimization

- To maximize “ $R(P) = \text{throughput}/\text{utilization cost}$ ”
- Simplest optimization algorithm
 - 1. generate the set of plans for the query
 - 2. For each of these plans, compute utilization cost
 - 3. if utilization cost > 1 , insert drop box
 - 4. compute R
 - 5. return the plan that maximizes R(P)

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Heuristic Algorithm

- The algorithm builds a plan bottom up by storing the best plans for successively larger subsets of the input streams.
- Compute the best plan for any subset
- Tests whether if subplan is feasible
- If the plan is infeasible
 - tunes the values of drop boxes placed at its input streams
 - stores the subplan with the settings of its drop boxes
- If at any stage, the algorithm places a drop box in front of the stream which had another one from the previous round → combine into one drop box.

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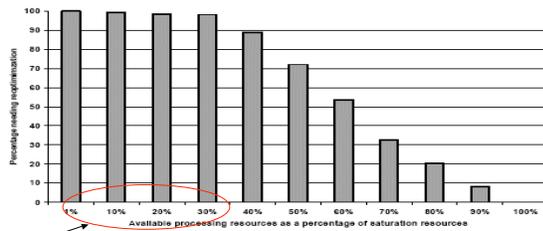
Experiments

- 1000 random queries
- Each query → join of five input stream sources A, B, C, D, E
- Rate of input streams from 10 to 1000 tuples/sec
- Window size and join selectivities are fixed for all queries

$f_{A \rightarrow B}$	0.2	W_A	100
$f_{A \rightarrow C}$	0.5	W_B	300
$f_{B \rightarrow D}$	0.1	W_C	500
$f_{D \rightarrow E}$	0.001	W_D	400
		W_E	1000

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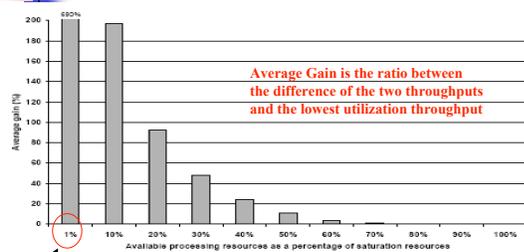
The Need for Reoptimization



Needs reoptimization

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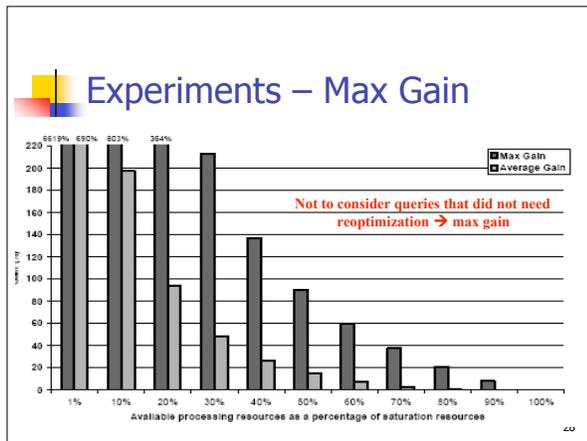
Experiments – Average Gain

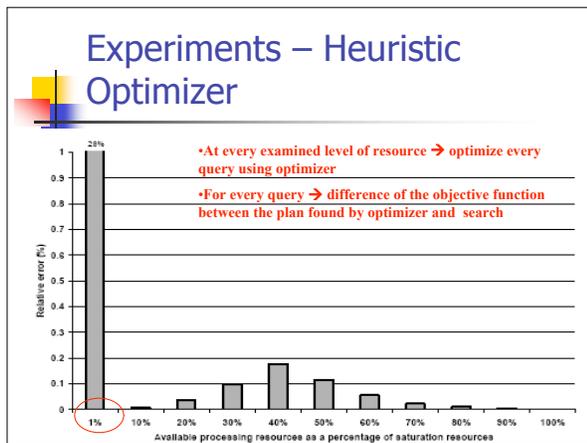


Average Gain is the ratio between the difference of the two throughputs and the lowest utilization throughput

Low Resource, Significant gain

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- ### Conclusion
- A framework for static optimization of sliding window conjunctive over infinite streams
 - Cost model for estimating average resource utilization and output rate of the plan
 - Optimization algorithm → resource constraints into the optimization process
 - Need for reoptimization



Discussion Points

- Selection only queries and join only queries, what if they have the combination of both?
- If they have multiple queries → resource sharing is an issue
- Average steady rate of arrival of data streams, what if the pattern of changes is not predictable?
- Enough memory to hold the buffering requirements
- Random dropping of tuples, how to do it semantically?
- Experiments in term of accuracy
- Optimizer is not that much accurate at very low resource
- High response time for executing plan for each query

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QUESTIONS?

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