Photographic Tone Reproduction for Digital Images

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Tone Reproduction Problem

Watch the light

Compare with projection on screen

Overview

Tone reproduction is difficult when
 Dynamic range is high
 Algorithm is used in predictive context

Requirements of a practical operator

Skip many details (see paper for those)

Dynamic Range

Ratio of brightest and darkest regions where detail is visible

 Implies that some controlled burn-out is desirable!

Simplifies tone reproduction problem

Controlled Burn-out is OK

No detail expected when looking into the sun (sunspots)

Zones

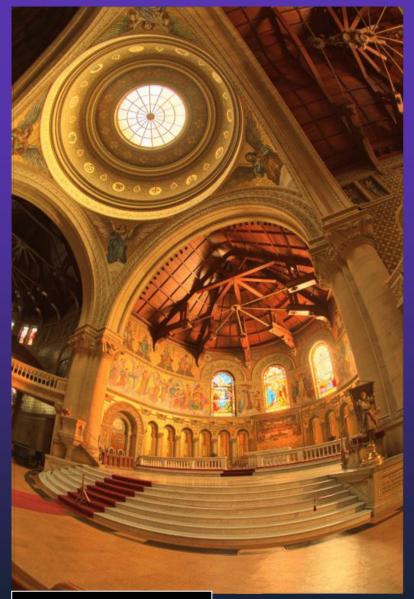
- Lin:1248163264128256Log:123456789
- Each doubling of intensity is new zone
- Nine zones with visible detail can be mapped to print, fewer to displays
- Zones are a good measure of dynamic range

Typical Dynamic Ranges

 Photographs: 4-6 zones with visible detail (after digitizing)

HDR images: 7-11 zones with visible detail

 Tone reproduction should not be very difficult for most images!









Rest of Talk:

 A very simple global operator adequate for most images (up to 11 zones)

 A local operator that handles very high dynamic range images (12 zones and more)

Global vs. Local

Global

Scale each pixel according to a fixed curve
Key issue: shape of curve

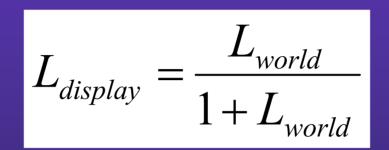
Local

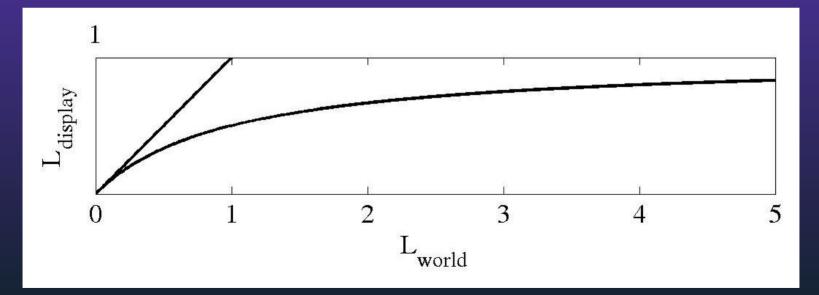
Scale each pixel by a local average
Key issue: size of local neighborhood

Global Operator

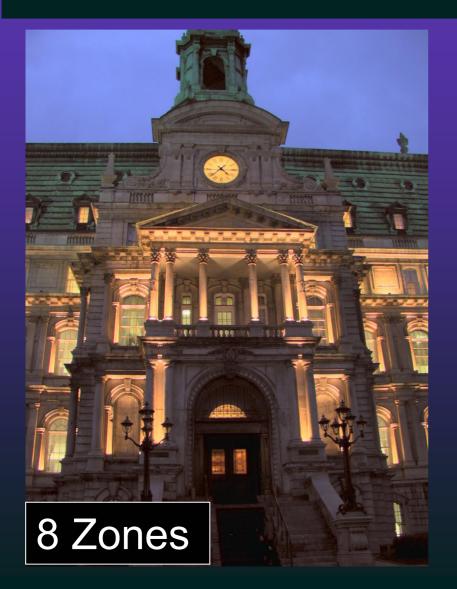
- Compression curve needs to
 - Bring everything within range
 Leave dark areas alone
- In other words
 - Asymptote at 1
 Derivative of 1 at 0

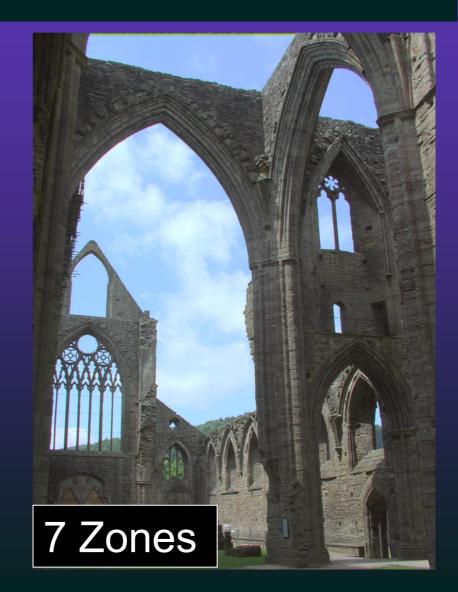
Global Operator



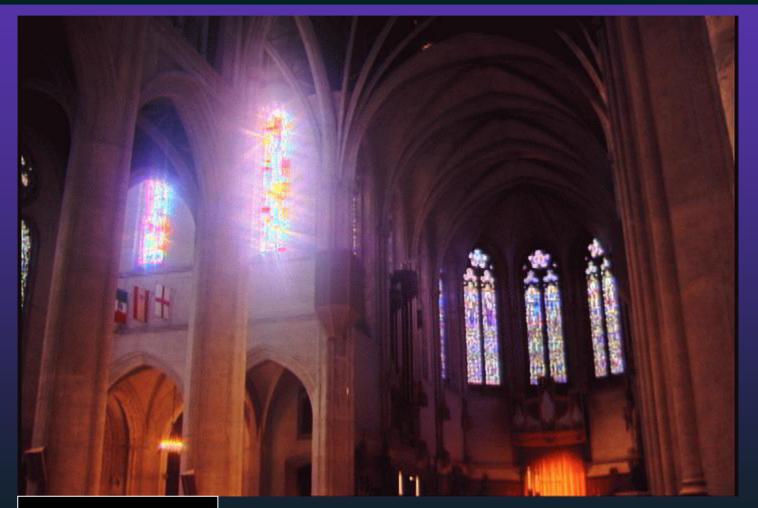


Global Operator Results





Global Operator Results



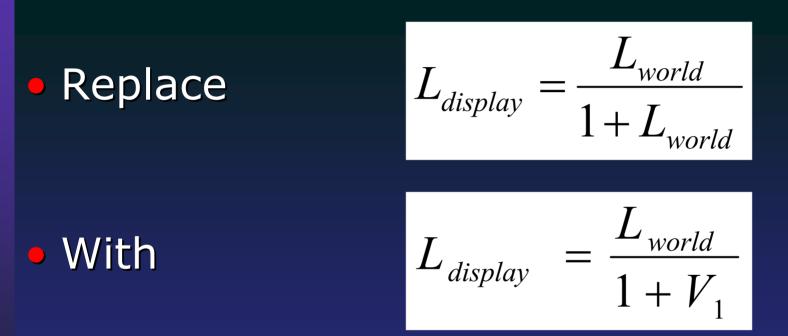
12 Zones

Global Operator Results





Local Operator



V1 is our dodge-and-burn operator

Dodge and Burn

Roughly equivalent to local adaptation

 Compute by carefully choosing a local neighborhood for each pixel

 Then take a local average of this neighborhood (which is V1)

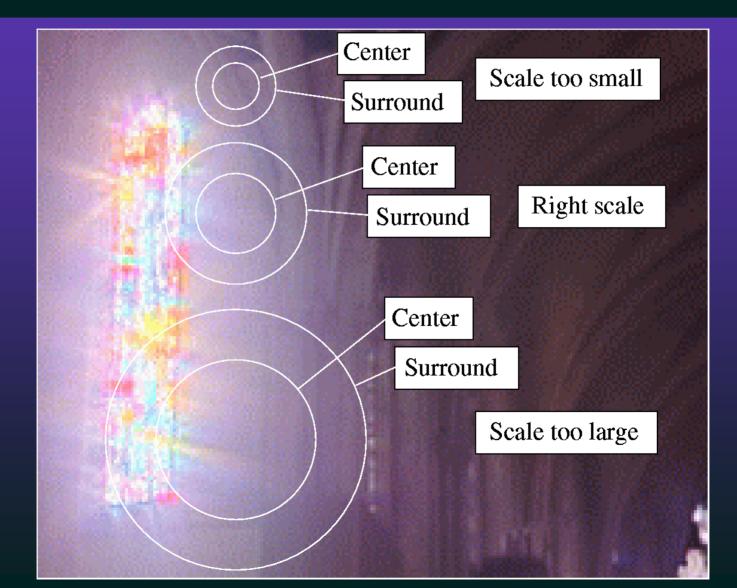
Dodge and Burn Computation

 Compute Gaussian blurred images at different scales (sizes)

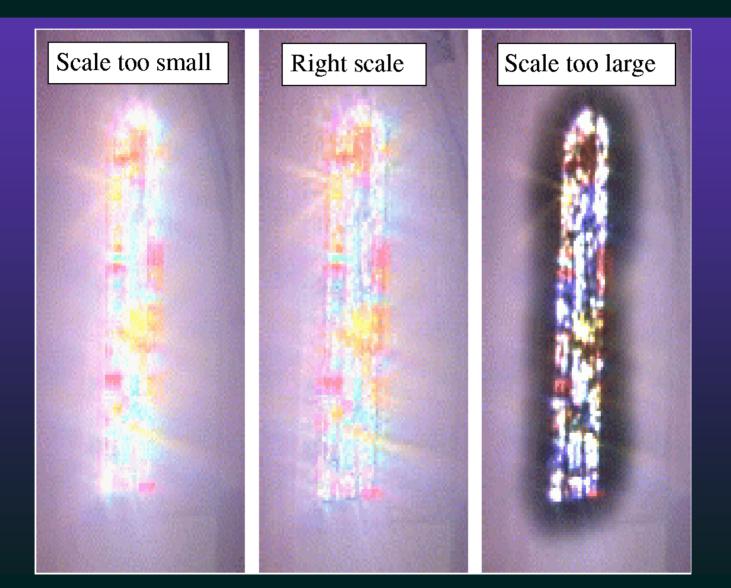
 Take difference of Gaussians to detect high contrast (Blommaert model)

 Take Gaussian at largest scale that does not exceed contrast threshold (V1)

Size of Local Neighborhood



Size of Local Neighborhood



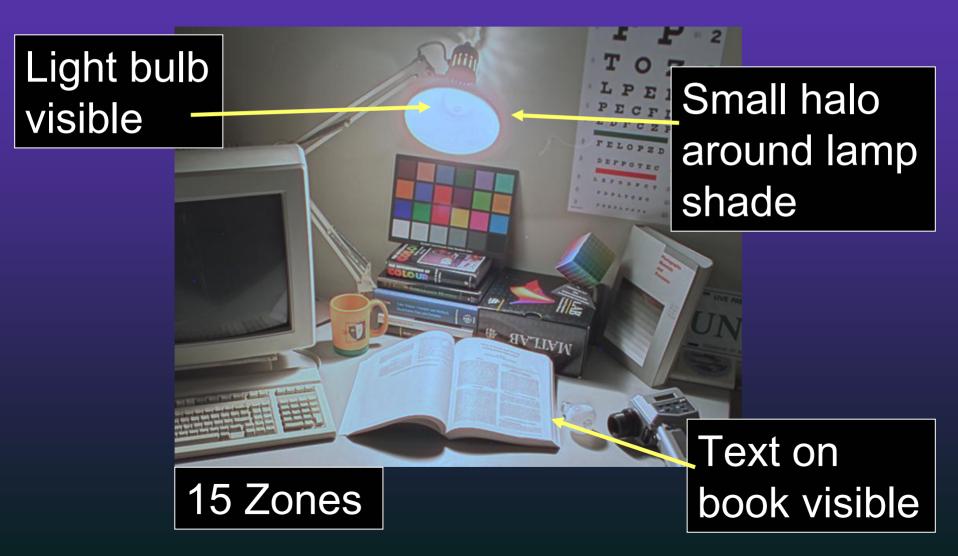
Subtleties

 Gaussians computed at relatively small scales

 For sufficient accuracy, computation rewritten in terms of the error function

 For sufficient speed, computation performed in Fourier domain

Local Operator Results



Conclusions

 Most "high dynamic range" images are medium dynamic range

 This makes tone reproduction a fairly straightforward problem for most practical applications/images

Conclusions

 Our global operator is very simple and is adequate for most images

 Our local operator is more involved and compresses very high dynamic range images adequately

Further Work

- Two manual parameters:
 - Key value to determine overall intensity of result
 - White point to fix contrast loss for low to medium dynamic range images
- Both can be automated with a straightforward algorithm – see forthcoming journal of graphics tools and my web page

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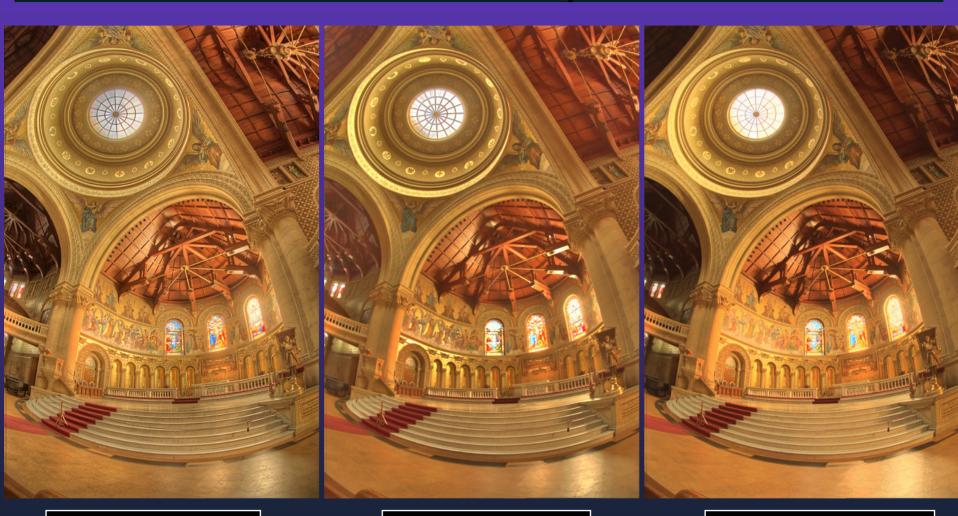
Erratum

Equation 1 in the paper should be:

$$L_{w} = \exp\left(\frac{1}{N}\sum_{x,y}\log(\delta + L_{w}(x,y))\right)$$

Note: source code on CDROM is correct!

Informal comparison



Gradient-space [Fattal et al.] Bilateral [Durand et al.] Photographic [Reinhard et al.]

Informal comparison



Gradient-space [Fattal et al.] Bilateral [Durand et al.] Photographic [Reinhard et al.]