

Key-sharing via channel randomness in narrowband body area networks: Is everyday movement sufficient?

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Problem

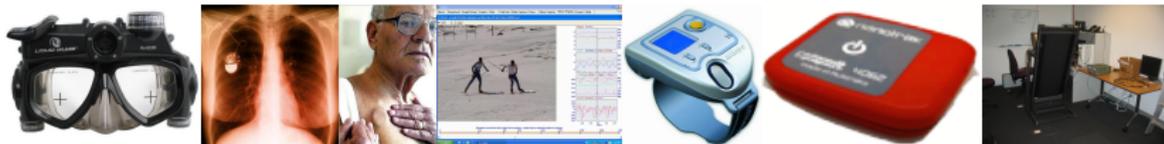
- 1 *Some devices need extreme security: wireless pace-maker*
- 2 *Use the randomness of physical channel to generate keys?*
- 3 *Does normal movement give enough randomness?*

- Motivation
- Background
- Simulation & Experimental setup
- Implications

What this is not

Not interested in HOW to make the keys, just the maximal key length to achieve perfect secrecy

- Short range (3m) personal area networking for *Body Area Networking*
- Support for data rates: 10kbps up to 10Mbps
- Ultra-low power
- 256 nodes per pico-net. Up to **10 pico-nets co-located**.
- AES style security

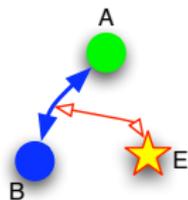


[TG6-08] IEEE802.15-0808-31-05-0006 TG6 Proposal Comparison Criteria

[online] <https://mentor.ieee.org/802.15/documents/>

How many people fit in a 6m cube?

- *Your arm span is approx. 2.5m. how many people are within the 6m x 6m x 6m cube near you **right now**.*
- How certain are you that **none those people** has a packet sniffer operating on their laptop?
- How happy would you be to trust your pacemaker in this environment?
- Bluetooth devices [10m range] have been "snarfed" at 1.78km
- Alice & Bob are two trusted sensors.
- Eve is not trusted.

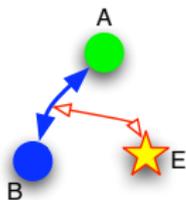


- Uncrackable (perfect) [Information Theoretic]
- Really hard to crack [Computational]

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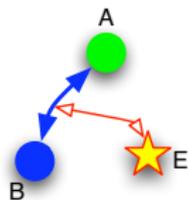


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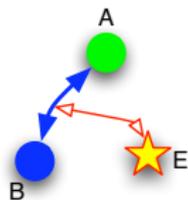


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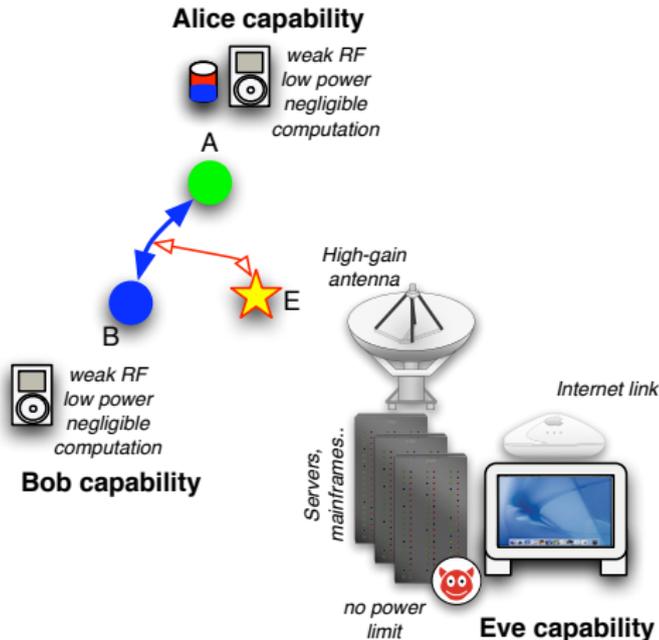
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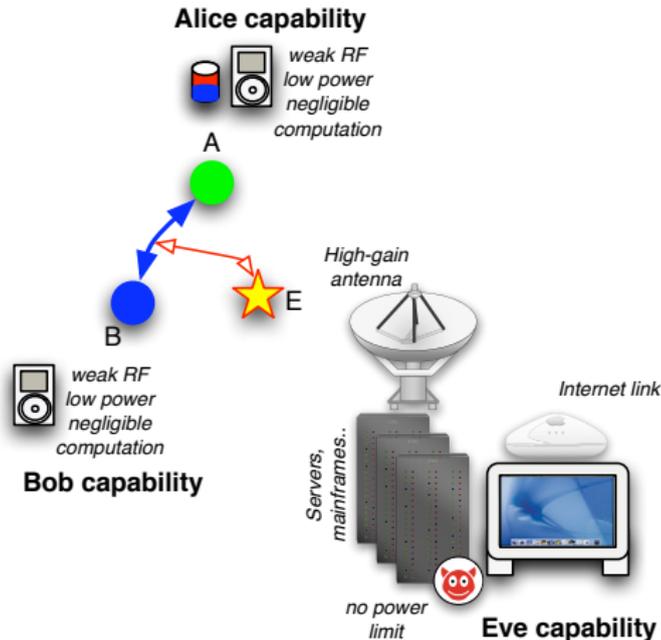
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- Eve can spoof, jam, listen
- Eve has unlimited transmit power
- Eve has unlimited computation power

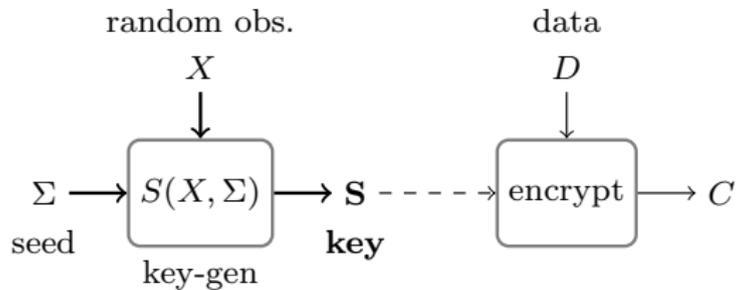
Motivates desire to have perfect secrecy. **BUT**. Can't give everyone individual one-time-pad: use channel randomness instead.

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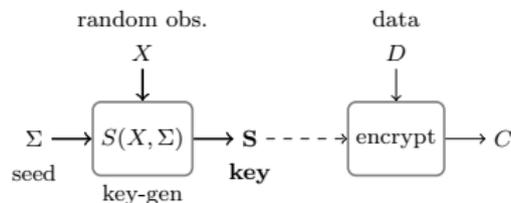


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Computational secrecy

- $D \mapsto C$ is *hard* to invert
- Weak keys (short S) can be improved by using new keys intermitently [LeonSalas08]

Perfect secrecy

- Based on Shannon [Sha49]
- Entropy of S is larger than entropy of D
- One-time-pad is an example

- 1 Alice & Bob cannot do much “extra” work for security
 - 2 Alice & Bob cannot have special encryption hardware
- Channel RSSI measurements are implicit in radio designs: can use this at minimal extra implementation cost
 - Alice makes channel measurements X
 - Bob makes channel measurements Y
 - Alice & Bob create common key S , Eve will try to guess this key using measurements Z .

Question

How small must S be so that Eve cannot guess it?

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Theorem (Tse et al)

$H(S)$ is upper bounded by denying Eve write-access, and the bound is:

$$H(S) \leq \min \{I(X; Y), I(X; Y|Z)\}$$

Rule-of-thumb first:

- 1 $I(X; Y) \leq H(X) + H(Y)$ for $X \perp Y$
 - $I(X; Y|Z) \leq H(X|Z) \leq H(X)$
- 2 $H(S) \leq H(X) \approx H(\text{channel})$

Overbound gives easy relation to entropy of channel

- Channel is stable up to 15ms, fades between -10dB and -70dB [Min08], and has a Weibull distribution.
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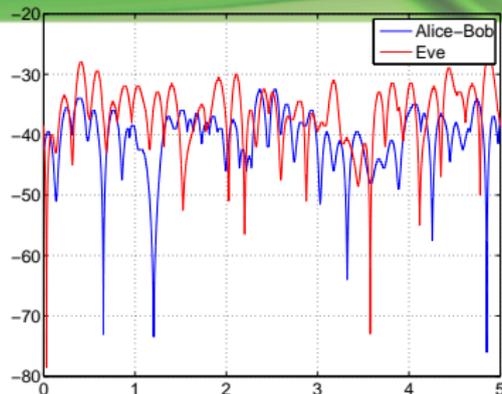
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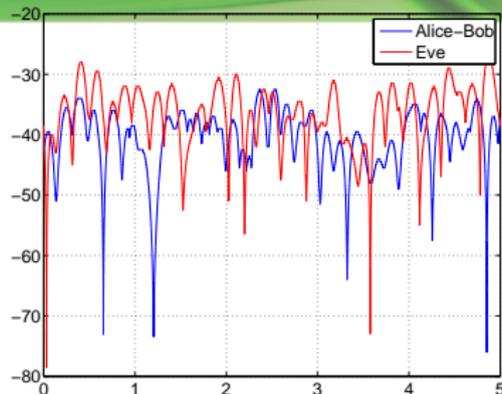
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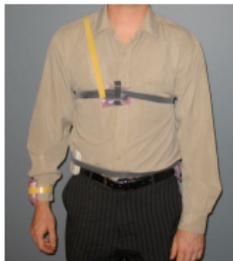
Channel RSSI for Alice-Bob X , and Eve-Bob Z , 5 seconds, using [Smith08]

- The channels Alice-Bob and Bob-Eve are correlated.
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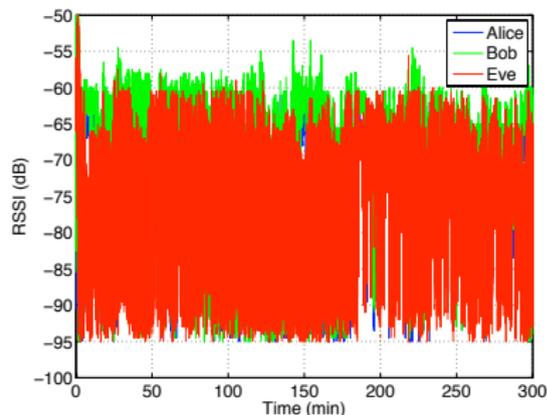


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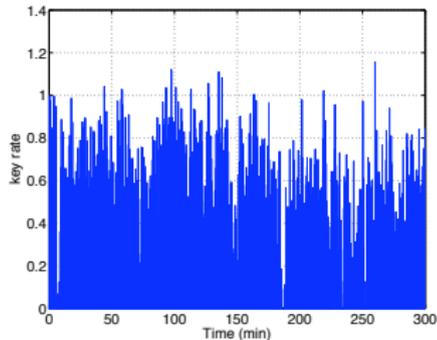


Measurement set-up.
Wearable transceiver using
TI-CC2240 chip

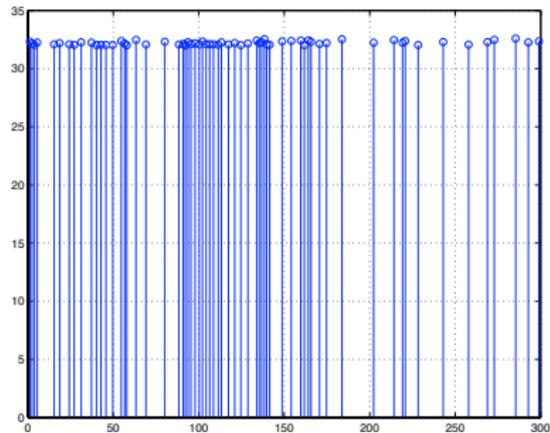


Channel RSSI .

- Here we will use hardware measurements based on TI-C2240 802.15.4 transceiver *de-tuned to 2360MHz*



Key rate $H(S)$ as function of time.



Time between 32bit secure keys (mins).

- Alice & Bob can use random process to generate secure 32-bit keys every few minutes
- Apply to cryptography as new key.

- Security will be a concern in BAN's (especially when wireless controls actuators)
- Random channel to low rate to generate perfect security (4bps is not practical)
- Can store random bits to generate a "new" 32-bit (or any other length) key every few minutes.

Appendix: Channel dynamics over 10 hours

