Confidence-Based Rank-Level Fusion For Audio-Visual Person Identification System

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Abstract: A multibiometric identification system establishes the identity of a person based on the biometric data presented to its sub-systems. Each sub-system compares the features extracted from the input against the templates of all identities stored in its gallery. In rank-level fusion, ranked lists from different sub-systems are combined to reach the final decision about an identity. However, the state-of-art rank-level fusion methods consider that all sub-systems perform equally well in any conditions. In practice, the probe data may be affected by different degradations (e.g., illumination and pose variation on the face image, environmental noise etc.) and thus affect the overall recognition accuracy. In this paper, robust confidence-based rank-level fusion methods are proposed by using confidence measures for all participating sub-systems. Experimental results show that the confidence-based approach of rank-level fusion achieves higher recognition rates than the state-of-art.

1 INTRODUCTION

In the identification mode, a biometric system compares the features extracted from probe data against all the templates stored in gallery. The identity corresponding to the highest score (lowest rank) is declared as the person to whom the input biometric samples belong to. These types of systems, long been used for criminal investigation, are now being used for various other applications: computer login, physical access control, time attendance management (Murakami and Takahashi, 2009). Since the number of users can be quite large, the identification task can be more challenging than verification- where a user claims an identity and the input samples are compared only against the template(s) corresponding to the claimed identity (Nandakumar et al., 2009).

One approach of developing accurate identification systems is to use multiple biometric sources (Nandakumar et al., 2009), such as the face image, speech, fingerprint etc. Multibiometric systems can improve the recognition accuracy as well as cover a large number of users. Fusion in multibiometric systems has been extensively studied in the literature and a number of fusion approaches have been proposed (Ross et al., 2006). Rank-level fusion is considered the only viable option (Abaza and Ross, 2009) for systems operating in the identification mode, because this approach does not require estimation of underlying distributions and avoids the normalization task usually encountered in score-level fusion. In (Ho et al., 1994), rank-level fusion approaches, namely the highest rank, Borda count and logistic regression method have been discussed. The highest rank and Borda count methods do not use any statistical information in the fusion process, whereas the logistic regression method is an extension of the Borda count where adaptive weighting is used for different sub-systems. Other statistical methods are the partitioned observation space (POS) theory (Saranli and Demirekler, 2001), and Bayesian rank-level fusion (Nandakumar et al., 2009).

Incorporating a system’s confidence in the participating sub-systems has not been well studied for rank-level fusion. This lack of development has also been mentioned in (Marasco and Sansone, 2011). In (Abaza and Ross, 2009), the authors demonstrated the benefits of using image quality information in rank-level fusion. However, their approach uses image quality information which is difficult to achieve for all biometric traits. Because, incorporating quality information requires a priori model for the corruption or
the noise of the input signal. In practice, the source of statistical deviation is varied and difficult to model. Therefore, for a system that uses audio-visual biometrics (Figure 1), measuring the quality of face images (video) at the signal level is difficult (Chetty and Wagner, 2008).

In this paper, we present a novel confidence measure for the participating sub-systems of a multibiometric system. We also propose confidence-based highest rank and Borda count fusion rules. Then, we show that our confidence-based approach can handle the possible ties that may occur in the highest rank method as well as achieve better recognition rates than the state-of-art methods, such as the modified highest rank (Abaza and Ross, 2009) and predictor-based Borda count (Marasco et al., 2010) methods.

In Section 2, a brief overview of the recent developments in the area of fusion in multibiometric identification is presented. In Section 3, the highest rank and the Borda count methods are discussed and a lack in handling ties by the approach presented in (Abaza and Ross, 2009) is highlighted. Our proposed confidence-based approach is also discussed in this section. Section 4 describes the audio-visual system that we used to evaluate the performance of our proposed approach. Experimental results are presented in section 5 and Section 6 concludes the paper by summarizing the contributions.

2 FUSION IN MULTIBIOMETRIC IDENTIFICATION

In recent years, a number contributions have been made in the area of fusion in multibiometric identification. We can divide the fusion approaches into three categories based on the type of information they use: a) match score fusion, b) rank-level fusion, and c) hybrid rank-score fusion. The recent methods that use match score information are based on fuzzy set theory (Fakhar et al., 2012), require constrained genuine (impostor) distribution (Nandakumar et al., 2009) (Murakami and Takahashi, 2011), or a gradient descent method to estimate the weights (Basak et al., 2010). On the other hand, recently proposed hybrid rank-score fusion approaches use a moment based (Alam et al., 2013a) or a predictor based (Marasco et al., 2010) approach. Our focus in this paper is mainly on rank-level fusion because it offers a much simpler and effective way of fusing multiple sub-systems of a multibiometric system. Therefore, we briefly mention a few of the recent rank-level fusion methods in the following paragraphs.

In (Kumar and Shekhar, 2011) a non-linear approach of rank-level fusion was proposed for palmprint recognition. In another approach (Marasco et al., 2010), a predictor-based Borda count fusion method was used that assigned higher weight to the ranks provided by the more accurate matcher. On the other hand, in (Monwar and Gavrilova, 2009) the ranks of only those identities were fused which appear in at least two classifiers (face, ear and signature). In (Nandakumar et al., 2009) a Bayesian approach of rank-level fusion was proposed for two multibiometric systems using fingerprint impressions and face images.

However, incorporating quality (of the probe data) information in rank-level fusion has received little attention in recent years. In (Abaza and Ross, 2009), a quality-based rank-level fusion approach was proposed for multibiometric systems. They suggested modifications to the highest rank and the Borda count fusion methods by using a perturbation factor and the Nanson function (Fishburn, 1990), respectively.
We analytically show that their suggested modification may fail under some reasonable circumstances. Moreover, their proposed inclusion of input image quality requires a priori model for the corruption or the noise of the input signal. This is difficult to achieve with the face images (Chetty and Wagner, 2008).

3 RANK-LEVEL FUSION METHODS

Assume that there are \( N \) users enrolled in the gallery of a multibiometric system which has \( M \) sub-systems. Let \( r_{m,j} \) be the rank of user \( j \) from the sub-system \( m \), where \( j = 1 \ldots N \) and \( m = 1 \ldots M \). The final rank \( R_j \) of user \( j \) can be calculated using a number of rank-level fusion methods, such as the highest rank, Borda count, and logistic regression (Ho et al., 1994).

3.1 Highest Rank Fusion

In the highest rank method, the combined rank \( R_j \) of user \( j \) is calculated by taking the lowest rank \( r \) assigned to that user by different sub-systems. The highest rank fusion rule is as follows:

\[
R_j = \min_{m=1}^{M} r_{m,j},
\]

(1)

which is equivalent to applying the max rule of fusion.

Ho et al. (Ho et al., 1994) proposed that ties between users be broken randomly. On the other hand, in (Abaza and Ross, 2009) perturbation factor, \( \varepsilon \), was introduced:

\[
R_j = \min_{m=1}^{M} r_{m,j} + \varepsilon_j,
\]

(2)

where,

\[
\varepsilon_j = \sum_{m=1}^{M} \frac{r_{m,j}}{K}.
\]

(3)

The perturbation term biases the fused rank by considering all the ranks associated with user \( j \), by assuming a large value for \( K \).

However, the modified highest rank fusion in (2) can also produce a tie if \( \sum_{m=1}^{M} r_{m,j} \) is equal for two users. For example, assume that the ranks for a user \( j = 1 \) from the two sub-systems of a multibiometric system are \( r_{1,1} = 1 \) and \( r_{2,1} = 2 \), while for another user \( j = 2 \), consider \( r_{1,2} = 2 \) and \( r_{2,2} = 1 \). Then, (1) gives \( R_1 = 1 \) and \( R_2 = 1 \), and (2) gives \( R_1 = 1.03 \) and \( R_2 = 1.03 \), when \( K = 100 \) as in (Abaza and Ross, 2009).

3.2 Borda Count Rank Fusion

In the Borda count method, fused rank is calculated by taking the sum of the ranks produced by individual sub-systems for user \( j \). The Borda count fusion rule is as follows:

\[
R_j = \sum_{m=1}^{M} r_{m,j}.
\]

(4)

The Borda count method accounts for the variability in ranks due to the use of a large number of classifiers. The major disadvantage of this method is that it assumes all the classifiers are statistically independent and perform equally well.

In practice, a particular classifier (sub-system) may perform poorly due to various reasons, such as the quality of the probe data, quality of the templates in gallery etc. In (Abaza and Ross, 2009), a method, also known as the Nanson function (Fishburn, 1990), was used to eliminate the worst rank for a user:

\[
\max_{m=1}^{M} r_{m,j} = 0.
\]

(5)

This can be extended by eliminating the lowest rank \( k \) times before applying the Borda count on remaining ranks.

Another quality-based approach was proposed in the same paper (Abaza and Ross, 2009) with the inclusion of input image quality in Borda count method as follows:

\[
R_j = \sum_{m=1}^{M} Q_{m,j} r_{m,j},
\]

(6)

where, \( Q_{m,j} = \min(Q_m, Q_j) \), and \( Q_m \) and \( Q_j \) are the quality factors of the probe and gallery fingerprint impressions, respectively.

In another approach (Marasco et al., 2010), the final rank for each user was calculated as the weighted sum of individual ranks assigned by \( M \) sub-systems. A higher weight was assigned to the ranks provided by the more accurate sub-system:

\[
R_j = \sum_{m=1}^{M} w_m r_{m,j},
\]

(7)

where, \( w_m \) is the assigned weight for sub-system \( m \). An additional training phase was used for determining the weights.

3.3 Proposed Confidence Based Rank Fusion

It is a well known fact that the matching scores produced by the classifier of an individual sub-system exhibit the following trend: the matching score associated with the most likely identity will be much higher...
than the matching scores of for other identities. Similarly, if a poor quality probe is presented to the system then the matching score associated with all the identities are relatively closer (i.e., the variance is smaller). In (Alam et al., 2013a), a demonstration of this fact was presented. They also showed that the quality of input probe effects the ranked lists produced by the classifiers. This information can be consolidated into the rank-level fusion rules, such as the highest rank and Borda count fusion rules.

We propose a novel confidence measure for the sub-systems of a multibiometric system as follows:

\[
C_m = \frac{|s_m^k - \mu_m|}{\mu_m \times \text{max}(C_m^D)}, \tag{8}
\]

where, \(C_m^D\) is the set of confidence measures for sub-system \(m\) calculated as \(\frac{|s_m^k - \mu_m|}{\mu_m}\) using the development data (D). Moreover, \(s_m^k\) represents the highest matching score and \(\mu_m\) is the mean of the \(k - 1\) subsequent matching scores. The value of \(\mu_m\) can be calculated as:

\[
\mu_m = \frac{1}{k-1} \sum_{n=2}^{k} s_m^n, \tag{9}
\]

where, \(2 \leq k \leq N\). \(s_m^n\) represents the \(n\)th highest score.

A higher value of \(C_m\) refers to a strong classification (i.e., clean probe data), and a smaller value of \(C_m\) refers to a weak classification (i.e., degraded probe data). Therefore, we can modify the highest rank and the Borda count fusion rules to include the \(C_m\) values.

### 3.3.1 Confidence-Based Highest Rank Fusion

The confidence measures obtained using (8) and (9) can be consolidated into a confidence-based highest rank fusion rule as follows:

\[
R_j = \min_{m=1}^{M} r_{m,j} + c_j \tag{10}
\]

where the term \(c_j\) is the confidence factor which can be calculated as follows:

\[
c_j = \frac{\sum_{m=1}^{M} C_m r_{m,j}}{\sum_{m=1}^{M} r_{m,j}} \tag{11}
\]

We use this novel confidence factor \(c_j\) so that the ranks produced by a more confident classifier get more emphasis. The denominator in (11) transforms the confidence factor for a user \((j)\) into the range \([0,1]\). For example, the confidence measure \(C_1\) for a sub-system, \(m = 1\), is 0.3 and \(C_2\) for another sub-system, \(m = 2\), is 0.9. Let \(r_{1,1} = 1, r_{2,1} = 2, r_{1,2} = 2,\) and \(r_{2,2} = 1\). By using (10) and (11), we get \(R_1 = 1 + \frac{(0.3 \times 1) + (0.9 \times 2)}{(1+2)} = 1.7\) and \(R_2 = 1 + \frac{(0.3 \times 2) + (0.9 \times 1)}{(1+2)} = 1.5\). Thus, not only a tie between the final ranks of the users \(j = 1\) and \(j = 2\) is avoided but also the ranking of the more confident classifier is emphasized.

#### 3.3.2 Confidence-Based Borda Count Fusion

The Borda count method in (4) can be modified to include the confidence measure:

\[
R_j = \sum_{m=1}^{M} C_m r_{m,j} \tag{12}
\]

The proposed confidence-based Borda count fusion rule is indeed the numerator of (11) and similar to the quality based Borda count fusion in (Abaza and Ross, 2009). Here, instead of quality measures for the probe data we propose to use confidence measures for the classifiers. The main idea is to give more emphasis to the ranking from a more confident classifier.

### 4 DATABASE, FEATURES AND CLASSIFIERS

#### 4.1 AusTalk database

We used a new audio-visual database, namely the AusTalk (Burnham et al., 2011), in our experiments. Since the database is still growing, we used an audio-visual dataset of 248 users that was recorded at different university campuses across Australia. The database contains twelve random utterances (e.g., “0123”, “9420”, “6785”, “1230”, “7856”, “2094”, “2301”, “4902”, “8567”, “3012”, “5678”, and “0429”) of different combinations of 4-digit numbers from each user. We divided the dataset into three parts: training (T), development (D), and evaluation (E) to contain the first six, seventh and eighth, and the last four utterances from each user, respectively. Templates were built using the training data, whereas the development data were used to generate the weights \(w_m\) in (7) and the fusion parameter \(C_m^D\) in (8).

#### 4.2 Audio Features

We extracted the Mel-Frequency spaced Cepstral Coefficients (MFCCs) (Togneri and Pullella, 2011) from speech signal. First, a Fast Fourier Transform (FFT) operation was performed on each uniformly spaced frame in the speech signal to obtain the complex spectral values. A logarithmic smoothing operation using a Mel scale was performed to convert the complex spectral values to \(K\) filter bank values. These \(K\) values
Table 1: Audio and visual sub-system performance under various noise levels

<table>
<thead>
<tr>
<th>Audio noise (SNR)</th>
<th>Recognition rate (%)</th>
<th>Visual noise ($\sigma^2$)</th>
<th>Recognition rate (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>clean</td>
<td>98.79</td>
<td>clean</td>
<td>97.38</td>
</tr>
<tr>
<td>30dB</td>
<td>71.63</td>
<td>0.1</td>
<td>96.63</td>
</tr>
<tr>
<td>24dB</td>
<td>41.86</td>
<td>0.3</td>
<td>82.66</td>
</tr>
<tr>
<td>18dB</td>
<td>15.92</td>
<td>0.5</td>
<td>51.74</td>
</tr>
<tr>
<td>12dB</td>
<td>3.69</td>
<td>0.7</td>
<td>32.39</td>
</tr>
<tr>
<td>6dB</td>
<td>1.20</td>
<td>0.9</td>
<td>22.04</td>
</tr>
</tbody>
</table>

were then converted to $L$ cepstral co-efficients using the Discrete Cosine Transformation (DCT). $L = 12$ MFCCs were extracted per frame which comprised the feature vector for that frame. Then, Cepstral Mean Normalization (CMN) was applied to compensate for the channel variabilities, and delta and acceleration coefficients were computed to capture the temporal dynamics in speech. These parameters were then augmented with the 13 dimensional MFCCs, including $c_0$ which represents the log-power of the frame. Thus, a 39-dimensional ($l = 39$) feature vector (MFCC + delta + acceleration) was created from each frame of a speech signal. Since an utterance from a speaker can be of variable duration ($t$), the size of the feature vector ($l \times t$) for an utterance was also not fixed.

### 4.3 Visual Features

The visual data in AusTalk was captured using a BumbleBee 2 stereo vision camera; therefore, we used the image frames from the video of the left camera. The eyes region were detected on each image frame by using the method in (Castrillón-Santana et al., 2008). Then, a gray-scale $d \times d$ (i.e. $d$ is the width of the eyes region) face window was cropped out of each valid frame. Down sampled face images (40 $\times$ 40 pixels) were used as features for a Linear Regression-based Classifier (LRC).

### 4.4 Classifiers

We used the LRC-GMM-UBM and LRC-ROI-RAW frameworks as the classifiers of the audio and visual sub-systems, respectively. The main concept of these classifiers is that the samples from a specific user lie on a linear subspace and therefore the task of person identification is considered a linear regression problem (Naseem et al., 2010).

In the LRC-GMM-UBM, a Universal Background Model (UBM) was trained using all ($l \times t$) features from the training utterances over all speaker. Then an utterance of a speaker was used to adapt Gaussian Mixture Models (GMMs) from the UBM, also known as the GMM-UBM. Finally, the means from the GMM-UBM were concatenated to form a supervector of length ($m \times l$), where $m = 128$ in our experiments is the number of GMM mixtures. Then, speaker-specific templates were created stacking the $q = l \times m$ dimensional feature vectors from the training utterances. Similarly, in the LRC-ROI-RAW framework, user-specific templates were created by stacking the feature vectors obtained from downsampled raw face images.

In the test phase, a feature vector was first extracted from the probe; then, a response vector was predicted based on the principal that the test feature vector should be represented as a linear combination of the template of the correct user. Finally, the euclidean distance between the test feature vector and a predicted response vector was used as matching score. The template getting the smallest matching score was declared as the winner. Detailed descriptions of these classifiers can be found in (Alam et al., 2013b).

### 5 EXPERIMENTS, RESULTS AND ANALYSIS

#### 5.1 Experimental Setup

We carried a number of experiments to evaluate the performance of the proposed confidence-based rank-level fusion methods:

- Firstly, we studied the variability of the proposed confidence measure in (8) with respect to false and correct recognition scenarios.
- Then, we evaluated the performance of the proposed confidence-based rank-level fusion under

![Figure 2: Impact of AWGN on face image at different variance levels: (a) $\sigma^2 = 0$ (b) $\sigma^2 = 0.1$ (c) $\sigma^2 = 0.3$ (d) $\sigma^2 = 0.5$ (e) $\sigma^2 = 0.7$ (f) $\sigma^2 = 0.9$](image)
different noise conditions.

- Finally, we compared the performance of our proposed method with the modified highest rank (Abaza and Ross, 2009) and predictor-based Borda count (Marasco et al., 2010).

Since the AusTalk data was recorded under controlled room environment, we used the Additive White Gaussian Noise (AWGN) for data degradation. In face recognition, AWGN is also referred to as the detector noise (Naseem et al., 2012) and is always an important case-study in the context of robustness (Nakamura, 2005). In Figure 2, the impact of adding AWGN to face images is shown. On the other hand, AWGN has been frequently used in the literature of speech recognition systems for robustness tests. In Table 1, the performance of individual sub-system is shown for different noise conditions.

The weights \( w_m \) in (7) were computed using the development set (\( D \)) compared against the training set (\( T \)). The ratio between correct identification and the total number of probes (Marasco et al., 2010) as determined by the sub-system classifiers (i.e., LRC-GMM-UBM and LRC-ROI-RAW) were used as weights. In our predictor-based experiments, the audio sub-system weight \( w_1 = 0.98 \) and the visual sub-system weight \( w_2 = 0.97 \). We use cumulative match characteristics (CMC) curves to compare the recognition performance of different methods.

### 5.2 Results and Analysis

We used the development (\( D \)) data to calculate \( \max(C^D_m) \) and the evaluation (\( E \)) data to evaluate the proposed confidence measure. We found that \( C^D_{\text{audio}} = 0.33 \) and \( C^D_{\text{face}} = 0.88 \). Out of 248 \( \times 4 = 992 \) audio-visual tests under clean conditions and by setting \( k = 5 \) in (9), the LRC-ROI-RAW classifier failed to correctly identify on 25 occasions and the LRC-GMM-UBM classifier failed on 13 occasions. The confidence measures obtained from 200 correct recognition instances are displayed for clarity of presentation. In Figure 3, evaluation of the proposed confidence measure in (8) is presented. It can be seen that the confidence measure is high whenever a sub-system makes a correct decision and the confidence measure is low when it makes a false recognition.

In Figure 4, the CMC of different rank-level fusion methods is presented under clean conditions. It can be seen that our proposed confidence-based highest rank method (10) achieved higher rank 1 recognition rate compared to the highest rank fusion in its original form (1), and the modified form (2) in (Abaza and Ross, 2009). Similarly, the proposed confidence-based Borda count (12) performed consistently better than the Borda count in its original form (4) and the predictor-based Borda count (Marasco
et al., 2010). This is because, the use of confidence measures makes sure that the ranks from more confident classifier get more emphasis.

Then, we tested the system considering mild noise (i.e., SNR = 30dB on speech and $\sigma^2 = 0.3$ on face image). Surprisingly, the rank-1 recognition of the modified highest rank fusion method (2) in (Abaza and Ross, 2009) was higher than the confidence-based highest rank method. Otherwise, both methods achieved comparable (rank-2 to rank-10) recognition rates. On the other hand, the benefit of using confidence-based Borda count was consistent over all rank (rank-1 to rank-10) considered.

The true benefits of using confidence-based rank-level fusion was observed when one of the traits was severely degraded. For example, Figure 6 shows the CMC for clean speech and AWGN of $\sigma^2 = 0.9$ on face image. In contrast, Figure 7 shows the CMC for clean face image and AWGN of SNR = 12dB on speech data. On both occasions, the rank-1 recognition rate obtained using the confidence-based highest rank fusion was significantly better ($\geq 15\%$) than the original highest rank (1) and the modified highest rank (2) in (Abaza and Ross, 2009). On the other hand, the performance improvement by using confidence-based Borda count method was $\geq 20\%$ for all rank levels (rank-1 to rank-10). Therefore, the confidence-based rank-level fusion clearly improves the recognition accuracy of a multiobiometric system. Another interesting observation is that the predictor-based Borda count method (Marasco et al., 2010) does not improve recognition performance if there is noise on probe data because the predictor-based method uses fixed weights for the participating sub-systems.

6 CONCLUSIONS

In this paper, we proposed a novel confidence-based rank-level fusion approach. Although the confidence measures for the classifiers of the sub-systems were calculated from the top $k$ matching scores, one can use confidence measures calculated from other sources and use with our proposed rank-level fusion methods. Huge gain ($\geq 20\%$) in recognition accuracy was achieved for the Borda count method when one of the sub-system suffered a high level of noise. On the other hand, the performance improvement in rank 1 recognition accuracy of the highest rank fusion was also large ($\geq 15\%$). Moreover, the proposed confidence-based highest rank approach can handle ties better than the existing approach that uses a perturbation factor.
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