

House Value, Crime and Residential Location Choice

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Abstract

Households choose where to live by trading off wages, house prices and local amenities. In this paper, I estimate the effect of crime on household location choice using a two-stage residential sorting model which incorporates the effect of mobility cost. The choice set in this paper is defined at the level of the metropolitan areas. The results from the second stage show that people are willing to pay more to move to a location with lower violent crime occurrences and are willing to pay more to move to a place with higher property crime; however, the effect of violent crime is larger than property crime. When recovering the willingness to pay (WTP) for the two types of crime using elasticities, the results show that people are willing to pay \$651 and \$977 for a one hundred unit decrease in violent crime and \$23 and \$27 for a one hundred unit increase in property crime for 2005 and 2010 respectively. The difference in difference results for the sorting model show that people are willing to pay less to move to a location in which the police number increases, and pay more to move to a location where the crime rate decreases while police force increases. The results of the difference in difference analysis, shows that the elasticity of WTP for the increase in police number in the hedonic price model, is slightly lower than that from the sorting model.

Key words: Location choice, Crime Rate, Residential Sorting Model

JEL Classification: R23, R21, C35

The study of residential location choice has captured the interest of researchers in a diverse range of disciplines, including economists, geographers and sociologists. As a result, different methods have been introduced to do the analysis. After Rosen's (1974) seminal paper, the hedonic price model became one of the most popular methods to analyze housing market issues. Charles Tiebout's (1956) introduced the Tiebout model and after that the Tiebout model was widely used in analyzing the provision of public goods. The method used in this paper, which is developed by Bayer (2009), is an extension of the traditional sorting model that introduces mobility cost.

People select the place where they live for different reasons, such as a new job opportunity or to be together with their family. However, when making decisions, public goods and amenities (e.g. clean air, school quality, and lower crime rates) are also characteristics that people care about. As a result, the dwelling choice of households involves trade-offs among a series of factors that affect the utility of households. For example, when people move from a place with a higher crime rate to a place with a lower crime rate, it is true that it is a much safer place for people to live but they may also experience a decrease in their wage and an increase in housing prices. To maximize their utility, people must compare these trade-offs carefully. Changes in housing prices and income reflect the willingness to pay for local amenities. Though we can obtain the implicit price of the local amenities by using the hedonic price model, the assumption of this model overlooks an important problem: the cost of migration and the effect of income change. Moving to a new place not only costs money but also includes psychic cost due to leaving behind our cultural roots. Thus, if we do not take these costs into account, the value of an amenity will be overstated. While previous sorting models that analyze the impact of public goods on household location choice ignore the cost of migration, in this paper I follow Bayer et al. (2009) by including moving costs and modeling choices across MSAs to implement the

analysis. This paper concentrates on the effect of crime occurrences on household residential location choice. As in previous papers, this paper analyzes the relationship between dwelling location choice and public goods using observed behavior in the housing markets. What is different is that this paper estimates both short and long-run migration impacts and adds a police force variable to control for crime impacts using difference in difference methodology.

In this paper, I model the dwelling decision as a choice among different metropolitan statistical areas (MSAs) taking potential income, house prices, moving cost, the number of crime occurrences and other location-specific characteristics into account. The discrete choice model is used to infer different utilities for household that live in different MSAs in 2005 and 2010. Then I regress these utilities on the number of crime occurrences and local characteristics that varying by MSA, in order to find the WTP for moving to a location with lower crime and compare the results for 2005 and 2010. After that, I use a difference in difference model to estimate the impact of changes of police and crime rates on individual's WTP.

The remainder of the paper proceeds as follows. The next section provides the literature review. The details of the analytical framework and methodology are shown in section 3. Section 4 describes the data and variables I use in the models and is followed by the analysis of estimation results. The final part is the conclusions.

Literature Review

There is a vast body of literatures analyzing the relationship between house prices, crime and household residential location choice. In this section I discuss some of the previous literature addressing some of the same topics as in this paper.

Household location choices have been of continuing interest to economists for decades. Rosen (1974) first introduced the basic theory for analyzing housing market prices using the

hedonic price model. However, the hedonic price model has methodological issues such as identification and endogeneity problems. Chay and Greenstone (2005) showed problems with the identification and consistent estimation of the hedonic price model. They were interested in endogeneity of the pollution variable and introduced an instrumental variable approach to estimate it consistently. They also showed that if there existed heterogeneity in preference functions, endogeneity existed when sorting by house purchasers with different pollution levels. Anselin and Gracia (2008) discussed spatial autocorrelation and heteroskedasticity in the error terms when estimating hedonic models of house prices. This paper faced the problem of mismatch between the spatial support of the explanatory variable, a pollution measure collected at a finite set of monitoring stations, and the dependent variable, the price observed at the location of the house sales transaction. To deal with this problem, the authors used a spatial econometric approach and included a spatially lagged dependent variable in the hedonic specification.

Since the hedonic price model has its shortcomings, a new method, the “discrete choice model”, was introduced to study the residential location choice problem. The earliest attempt to apply discrete choice theory to residential location analysis was McFadden (1978). He provided a solution to the problem of modeling disaggregate choice of housing location when the number of disaggregate alternatives was impractically large and when the presence of a structure of similarities between alternatives invalidates the commonly used jointly multinomial Logit choice model. Through the choice process of individuals, the population is sorted into optimum communities according to the tastes of residents. Bayer et al. (2002) presented a new equilibrium framework for analyzing economic and policy questions related to the sorting of households within a large metropolitan area which incorporates choice-specific unobservables to identify

household preferences over choice characteristics. Bayer et al. (2007) developed a framework for estimating household preferences for school and neighborhood attributes in the presence of sorting, using restricted access Census data from a large metropolitan area. This paper introduced a boundary discontinuity design to a heterogeneous residential choice model, addressing the endogeneity of school and neighborhood characteristics. Yu et al. (2012) analyzed the relationship between residential location choice and household energy consumption behavior, using a joint mixed Multinomial Logit-Multiple Discrete-Continuous Extreme Value model by controlling for self-selection. Recent research by Duijn and Rouwendal (2013) investigated the impact of cultural heritage on the attractiveness of cities by analyzing the location choice of households applying a residential sorting model. In this study, they also used spatial econometric techniques to extend the residential sorting model to incorporate the effect of amenities of the nearby locations. Kuminoff et al. (2013) built unemployment into a model of sorting across the housing and labor markets to evaluate the welfare effect of a prospective regulation that would improve environmental quality while simultaneously generating layoffs. The sorting model is used to analyze the effect of different factors on house prices and residential location choice. The method used in this paper follows Bayer's (2009) model which extends McFadden's (1978) model by introducing mobility cost into the model.

Many researchers suggest that dwelling location decisions and house prices can be affected by crime rates. Interestingly, different studies come to different conclusions. Cullen et al. (1999) found negative relationships between them. The study of Lynch and Rasmussen (2001) estimates the impact of crime on house prices using data on over 2800 house sales in Jacksonville, FL. But the results showed that cost of crime had virtually no impact on house prices overall, but that homes were highly discounted in high crime areas. Gibbons and Machin (2008) considered the

role of local amenities and disamenities in generating the variation of house prices within urban areas, focusing on three highly policy-relevant urban issues--transport accessibility, school quality, and crime. A recent study by Ihlanfeldt and Mayock (2009) studied the effect of neighborhood crime on housing values, finding that a 10 percent increase in violent crime within a neighborhood was found to reduce housing values by as much as 6 percent. Ihlanfeldt and Mayock (2010) utilized a nine-year panel of crime for Miami-Dade County at the neighborhood level to analyze the impact of crime on house prices. They found that house buyers were willing to pay nontrivial premiums for housing located in neighborhoods with less aggravated assault and robbery crime, with elasticities of house value with respect to aggravated assault crime and robbery crime of -0.152 and -0.111, respectively. Frischtak and Mandel (2012) used a recent policy experiment in Rio de Janeiro, the installation of permanent police stations in low-income communities, to quantify the relationship between a reduction in crime and the change in the prices of nearby residential real estate. Although these papers analyzed the impact of crime on house prices, I did not find any paper that use sorting model to analyze the effect of crime on household dwelling location choice. Thus, I apply a sorting model to analyze the effect of crime on residential location choice in my study and also compare the results with the conventional hedonic price model which has been commonly used in the literatures.

Methodology

Conceptual Model

In theoretical models of residential sorting, the residential location choice of households is closely related to the demand for local public services, such as lower crime rate. In this subsection, I start with individual choice behavior, and then introduce the model of residential sorting. Individual choice behavior is modeled by postulating a utility function U whose value is

determined by the consumption of a composite commodity C and the characteristics of house H . The quantity of amenity (“the reduced number of crime occurrence”) in location j is defined as X_j and the moving cost of settling in location j is M_j . Since moving from one place to another does not only cost money but also produces psychic cost of leaving behind one’s cultural roots, moving cost is introduced into the utility equation instead of being introduced into the budget constrain function. To keep the theoretical model simple and capture the fixed moving cost in location j , following Bayer (2009), this paper assumes that all people are born in the same place. When making decisions, individuals choose their living location simultaneously and each individual chooses her location j to maximize her utility subject to a budget constraint:

$$(1) \quad \max_{\{C, H, X_j\}} U(C, H; X_j, M_j) \quad s. t. \quad C + \rho_j H = I_j$$

where I_j is income in location j ; ρ_j is the price of housing in location j ; and the composite good is available in continuous quantities at a unit price normalized to 1. Individuals maximize their utility by determining the values of C and H . After substitution of the optimal value of these variables into the utility function (1), we can get the indirect utility function V :

$$(2) \quad V(I_j, \rho_j; X_j, M_j) \equiv \bar{V}$$

\bar{V} denotes indirect utility. Following Roy's identity, the Marshallian demand function for house can be expressed as $H = -V_\rho/V_I$, where V_ρ and V_I are partial derivatives of indirect utility function with respect to house prices and income respectively. Taking the total derivative of equation (2) and substituting for $H = -V_\rho/V_I$ we can get the implicit price of the amenity as follows:

$$(3) \quad P^* = H \frac{d\rho}{dX} - \frac{dI}{dX} - \frac{V_M}{V_I} \frac{dM}{dX}$$

where V_M represents the partial derivative of the indirect utility function with respect to mobility cost. Thus, P^* is the MWTP. From equation (3) we know that if mobility is costless ($V_M = 0$) or mobility cost is constant under which condition $\frac{dM}{dX} = 0$, this equation is the same as the traditional hedonic price model. If mobility is costless or mobility cost is constant, or we know what M really is, we can get the MWTP for amenities. However, in reality, we could not observe M and if we want to get the MWTP for the amenity it is necessary to consider moving cost, and a different method needs to be introduced. Following Bayer (2009), we start with the following utility function assuming that individual i lives in location j , and consumes quantities C_i goods and housing type H_i respectively:

$$(4) \quad U_{i,j} = C_i^{\beta_C} H_i^{\beta_H} X_j^{\beta_X} e^{M_{i,j} + \xi_j + \eta_{i,j}}$$

where, X_j denotes the amenity in location j ; $M_{i,j}$ measures the long-run and short-run (dis)utility of migration associated with moving from person i 's birth location to destination j ; ξ_j contains unobserved characteristics of location j and $\eta_{i,j}$ represents an individual-specific diosyncratic component of utility which is assumed to be independent of mobility costs and location characteristics. β_C , β_H , and β_X are parameters associated with the consumption of goods, house and the local amenity. Applying the budget constraint in equation (1), differentiating with respect to H_i , and rearranging we can get the housing expenditure as follows:

$$(5) \quad H_{i,j}^* = \frac{\beta_H}{\beta_H + \beta_C} * \frac{I_{i,j}}{\rho_j}$$

“*” here represents the optimal result from utility maximization function. Since people do not explicitly pay for consumption of the local amenity, $\beta_H/(\beta_H + \beta_C)$ represents the share of income spent on housing. Substituting equation (5) into (4) and using the budget constrain, the indirect utility function can be expressed as follows:

$$(6) \quad V_{i,j} = I_{i,j}^{\beta_I} e^{M_{i,j} - \beta_H \ln \rho_j + \beta_X \ln X_j + \xi_j + \eta_{i,j}}$$

where $\beta_I = \beta_H + \beta_C$, which is the parameter associated with income. MWTP for the amenity equals the marginal rate of substitution between X_j and income and for person i , MWTP can be expressed as $MWTP_i = \frac{\beta_X I_{i,j}}{\beta_I X_j}$. However, in reality, we just know the income people get from the location where they live and work, and as a result we need to estimate income that people would get from alternative locations. Here we express it as: $I_{i,j} = \hat{I}_{i,j} + \varepsilon_{i,j}^I$, where $\hat{I}_{i,j}$ is the predicted income for person i in all the j locations and $\varepsilon_{i,j}^I$ is the error term. Substitute this into function (6) and taking logs we can get the following equation:

$$(7) \quad \ln V_{i,j} = \beta_I \ln \hat{I}_{i,j} + M_{i,j} + \theta_j + v_{i,j}$$

where

$$(8) \quad \theta_j = -\beta_H \ln \rho_j + \beta_X \ln X_j + \xi_j$$

and

$$(9) \quad v_{i,j} = \beta_I \varepsilon_{i,j}^I + \eta_{i,j}$$

where θ_j is a location-specific term. We assume that all the random terms are independently identically distributed with extreme value type I distribution (McFadden, 1973). For convenience, we divide all the variables by β_I denoted as tildes, for example $\tilde{\theta}_j = \frac{\theta_j}{\beta_I}$ and then the choice probabilities of households to maximize their utility can be shown as:

$$(10) \quad p(\ln \tilde{V}_{i,j} \geq \ln \tilde{V}_{i,k}, \forall k \neq j) = \frac{e^{\sigma(\ln \hat{I}_{i,j} + \tilde{M}_{i,j} + \tilde{\theta}_j)}}{\sum_{n=1}^j e^{\sigma(\ln \hat{I}_{i,n} + \tilde{M}_{i,n} + \tilde{\theta}_n)}}$$

where $\sigma = 1/\beta_I$ is a scaling parameter. This is the multinomial Logit model which is estimated using maximum likelihood. Household select location j as long as $\ln \tilde{V}_{i,j} \geq \ln \tilde{V}_{i,k}$ and p represents the probability household i chooses location j . $\tilde{\theta}_j$ is regarded as parameters in this

model. The focus of estimating equation (10) is to get $\tilde{\theta}_j$, which will be used in the second stage.

In the second stage, the estimated $\tilde{\theta}_j$ is regressed on crime rate and other location characteristics.

From equation (8), the equation for the second stage can be written as follows:

$$(11) \quad \tilde{\theta}_j = -\tilde{\beta}_H \ln \rho_j + \tilde{\beta}_X \ln X_j + \tilde{\xi}_j$$

$\tilde{\beta}_H = \frac{\beta_H}{\beta_I}$ represents the share of income spent on house and $\tilde{\beta}_X = \frac{\beta_X}{\beta_I}$ represents the share of

income spent on other goods. As shown in previous part, for person i , $MWTP_i = \frac{\beta_X}{\beta_I} \frac{I_{i,j}}{X_j}$. Thus,

$\tilde{\beta}_X = MWTP_i \times \frac{X_j}{I_{i,j}}$ from which the WTP for lower crime rate can be estimated.

Econometric implementation

The underlying assumption of the second-stage regression is that house prices are uncorrelated with unobserved characteristics of residential locations. However, the observed prices are often correlated with the unobservable attributes. For example, house prices may be affected by the prices of the nearby houses and if we ignore the endogeneity of house prices, the estimation results will be biased. Thus, to eliminate the correlation between house prices and unobserved location characteristics and the correlation between amenity and unobserved local attributes, this paper followed Chay and Greenstone estimating equation (11) by moving $-\tilde{\beta}_H \ln \rho_j$ to the left and then equation (11) can be written as:

$$(12) \quad \tilde{\theta}_j + \tilde{\beta}_H \ln \rho_j = \tilde{\beta}_X \ln X_j + \tilde{\xi}_j$$

However, to implement the residential sorting model, the following problems still need to be solved. The first problem is about how to get the “price of housing service”. The following functions is used to estimate house prices taking the characteristics of individual house into account:

$$(13) \quad \ln P_{i,j,t} = \ln \rho_{j,t} + \omega_t h_{it} + \varepsilon_{i,j,t}$$

where $P_{i,j,t}$ is the value of the house i in location j ; h_{it} represents the characteristics of house i in time t ; $\rho_{j,t}$ is a scaling parameter; ω_t is the parameter that needs to be estimated and $\varepsilon_{i,j,t}$ is the error term. Since the index of "housing services" could be defined as $H_{it} = e^{\omega_t h_{it}}$ which can be estimated using parameter ω_t , we can use $\rho_{j,t}$ as the measurement of the effective "price of housing service" which provides a consistent measure of the true prices of house. The house characteristics in this analysis contain the number of rooms, the number of bedrooms, the number of housing units, the age of the house, and the acres of the house.

The second problem relates to income. Since we can not observe the income of individuals in every location, the following equation is used to estimate the MSA level income for each individual (Bayer 2009):

$$(14) \quad \ln I_{i,j,t} = \alpha_{0,j,t} + \alpha_{white,j,t} white_{i,t} + \alpha_{male,j,t} male_{i,t} + \alpha_{age>60,j,t} age > 60_{i,t} \\ + \alpha_{hsdrop,j,t} hsdrop_{i,t} + \alpha_{somecoll,j,t} somecoll_{i,t} + \alpha_{collgrad,j,t} collgrad_{i,t} + \varepsilon_{i,j,t}^I$$

Where $white_{i,t}$ is a dummy variable indicating whether the race of person i is white; $male_{i,t}$ is a dummy variable which equals 1 if the gender of person i is male; $age > 60_{i,t}$ is a indicator which equals 1 if a person is older than 60; $hsdrop_{i,t}$ is a dummy variable that equals 1 if person i drop out in high school; $somecoll_{i,t}$ denotes person i get some college education that less than four years and $collgrad_{i,t}$ equals 1 if person i get college degree and higher. $\varepsilon_{i,j,t}^I$ is the error term and the α are coefficients we need to be estimated. By estimating the above function, we can generate the predicted value of income for each individual in all locations.

Then, it comes to mobility cost. The following function is used to measure the mobility (Bayer et al. 2009):

$$(15) \quad \tilde{M}_{i,j,t} = \tilde{\mu}_s d_{i,j,t}^s + \tilde{\mu}_r d_{i,j,t}^r + \tilde{\mu}_m d_{i,j,t}^m$$

Where $\tilde{M}_{i,j,t}$ represents the moving cost which is a function a series of dummy variables. $d_{i,j,t}^s$ is a dummy variable which equals 1 if location j is not in the state where individual i was born (=0 otherwise); $d_{i,j,t}^r$ is an indicator whether a person lives in the same region as his/her birth region¹; and $d_{i,j,t}^m$ equals 1 if location j is not in the macro-region² where individual i was born. In this equation, $\tilde{\mu}_s$, $\tilde{\mu}_r$ and $\tilde{\mu}_m$ are all parameters. Following Bayer, this equation represents long-run utility cost and captures the psychic cost due to leaving behind one's cultural roots. In order to compare this long-run utility cost, I also estimate the mobility cost function which captures the short-run utility. The short-run mobility cost function is defined as follows:

$$(16) \quad \tilde{M}_{i,j,t} = \tilde{\alpha}_s m_{i,j,t}^s + \tilde{\alpha}_r m_{i,j,t}^r + \tilde{\alpha}_m m_{i,j,t}^m$$

In equation (16) $\tilde{M}_{i,j,t}$ is still the mobility cost. $m_{i,j,t}^s$ is a dummy variable which equals 1 if the current state that people is not the one they live one year before; $m_{i,j,t}^r$ indicates whether people live in the same region as they lived one year before, and $m_{i,j,t}^m$ is also a dummy variable which equals 1 if location j is not in the same macro region as people lived one year ago. All the $\tilde{\alpha}$ are parameters that need to be estimated. The difference between equation (15) and equation (16) is that equation (16) represents the real moving cost in the short-run while equation (15) captures both the long-run moving cost and the psychic cost of leaving behind the cultural root.

By investigating previous studies I find that researchers used either total crime or a single type of crime to measure crime. In this paper, by adding up the number of crimes that occurred, I estimate the effect of property and violent crime on people's WTP separately. Violent crime here

¹ Regional Definitions: (1) New England (CT, ME, MA, NH, RI, VT), (2) Middle Atlantic (NJ, NY, PA), (3) East North Central (IL, IN, MI, OH, WI), (4) West North Central (IA, KS, MN, MO, NE, SD, ND), (5) South Atlantic (DE, DC, FL, GA, MD, NC, SC, VA, WV), (6) East South Central (AL, KY, MS, TN), (7) West South Central (AR, LA, OK, TX), (8) Mountain (AZ, CO, ID, MT, NV, NM, UT, WY), and (9) Pacific (AK, CA, HI, OR, WA).

² There are four macro-regions defined by US census bureau: (1) Northeast (New England, Middle Atlantic), (2) Midwest (East North Central, West North Central), (3) South (South Atlantic, East South Central, West South Central), (4) West (Mountain, Pacific).

includes murder and non-negligent manslaughter, forcible rape, robbery and aggravated assault. Property crime sums up burglary, larceny-theft and motor vehicle theft.

For the first step, I estimate the parameters of $\tilde{\mu}_s, \tilde{\mu}_r, \tilde{\mu}_m, \sigma$ and $\tilde{\theta}_j$ from the following likelihood function in which we also assume that all the random terms are independently and identically distributed with extreme value type I distribution³:

$$(17) \quad L(\tilde{\mu}_s, \tilde{\mu}_r, \tilde{\mu}_m, \sigma, \tilde{\theta}_t) = \prod_t \prod_i \prod_{j=1}^J \left[\frac{e^{\sigma(\ln \hat{l}_{i,j,t} + \tilde{\mu}_s d_{i,j,t}^s + \tilde{\mu}_r d_{i,j,t}^r + \tilde{\mu}_m d_{i,j,t}^m + \tilde{\theta}_{j,t})}}{\sum_{n=1}^J e^{\sigma(\ln \hat{l}_{i,n,t} + \tilde{\mu}_s d_{i,j,t}^s + \tilde{\mu}_r d_{i,j,t}^r + \tilde{\mu}_m d_{i,j,t}^m + \tilde{\theta}_{n,t})}} \right]^{x_{i,j,t}}$$

where $x_{i,j,t}$ is an indicator that equals one if household i observed in year t chooses to live at location j . All the other symbols are the same as equations (10) and (15). Let $C_{j,t}$ denote the crime rate in location j period t and $R_{j,t}$ represents other location characteristics, then equation (12) can be rewritten as the following equation, which will be estimated in the second step:

$$(18) \quad \tilde{\theta}_j + \tilde{\beta}_H \ln \rho_j = \tilde{\beta}_C \ln C_j + \tilde{\beta}_R \ln R_j + \tilde{\xi}_j$$

In equation (18), the value of $\tilde{\theta}_j$ is obtained from the first stage by using maximum likelihood estimation, and $\ln \rho_j$ is the “house service price” was obtained from the estimation of equation (13). C_j represents crime in location j and R_j represents other location characteristics. $\tilde{\beta}_C$ and $\tilde{\beta}_R$ are coefficients to estimate. $\tilde{\beta}_H$ in equation (18) is the share of income spent on housing. To estimate the share, I use the annual average 30-year fixed mortgage rate of 2005 and 2010 which is 6.01% and 5.08% respectively⁴. Using this rate I can estimate the annual value for each house using the following equation:

$$(19) \quad AV = \frac{TV * R}{1 - (1 + R)^{-n}}$$

³ Here, I just show the likelihood function for long-run mobility cost for the sake of compact. The likelihood function for short-run mobility cost can be get by replacing $\tilde{\mu}_s, \tilde{\mu}_r, \tilde{\mu}_m$ with $\tilde{\alpha}_s, \tilde{\alpha}_r, \tilde{\alpha}_m$ and replacing $d_{i,j,t}^s, d_{i,j,t}^r, d_{i,j,t}^m$ with $m_{i,j,t}^s, m_{i,j,t}^r, m_{i,j,t}^m$.

⁴ These values can be get from HSH.com.

where AV represent the annual value of the house; TV is the total value of the house; R represents the 30-year fixed mortgage rate and n is the total period of installment which is 30 years in this case. When the annual value for each house is calculated, the share of income spent on housing can be expressed by the ratio of annual house value to income. The median share of income spent on housing is used in my study.⁵

Difference in Difference Analysis

The innovation of this paper from other papers is that I introduce a difference in difference analysis to analyze the effect of the change in crime rate and police numbers on individual's WTP. The estimation results of sorting model for 2005 and 2010 are obtained from the previous analysis. However, comparing the two results, we could not decide whether the change of WTP from 2005 to 2010 was a result of a change in crime incidence during this period, or if other factors influenced WTP. The obvious evidence is that the occurrence of crimes is related closely to the number of police in a location. Thus, by combining the data from 2005 and 2010, I use both the change in crime occurrence and the change in police force size from 2005 and 2010 as treatment to do a difference in difference analysis.

In reality, an increase in police number does not indicate a decrease in the crime rate, thus in this paper I use two treatments. One is the increase in police numbers of per thousand people and the other is the decrease in crime rate from 2005 to 2010. The crime rate is measured by the ratio of the total number of crime (including both property crime and violent crime) to population in each location. Difference in difference is measured with a minor change in the second stage estimation as follows:

$$(19) \quad \tilde{\theta}_j + \tilde{\beta}_H \ln \rho_j = \delta_1 T + \delta_2 D_{1j} + \delta_3 D_{2j} + \delta_4 D_{1j} * T + \delta_5 D_{2j} * T + \delta_6 D_{1j} * D_{2j}$$

⁵ The median share of income for the whole micro data sample is 0.36 and 0.29 for the year 2005 and 2010 respectively. Thus, $\tilde{\beta}_H$ in equation (18) equals to 0.36 for 2005 and equals 0.29 for 2010.

$$+\delta_7 D_{1j} * D_{2j} * T + \tilde{\beta}_R \ln R_j + \tilde{\xi}_j$$

where $\tilde{\theta}_j$, $\tilde{\beta}_H$, $\tilde{\beta}_R$, $\ln R_j$ and $\ln \rho_j$ are defined as previously. T is a dummy variable which equals to 1 for 2010; D_{1j} equals 1 if the police number in location j increased from 2005 to 2010 and D_{2j} indicates whether the crime rate in location j decreases from 2005 to 2010. In equation (19), the " δ "s are the parameters to be estimated, with δ_1 capturing the time trend; δ_2 , δ_3 and δ_6 capture treatment group specific effects and δ_4 , δ_5 and δ_7 represents the true treatment effect which is the interest of the difference in difference analysis. To avoid endogeneity, I still move house prices to the left hand side.

In equation (19), the left hand side variable is from the sorting model, in order to make comparison, I also estimate the difference in difference effect using a traditional hedonic price model in which the left hand side variable is the house value. The hedonic price model is defined as follows:

$$(20) \quad \ln P_{i,j,t} = \ln \rho_{j,t} + \omega_t h_{it} + \delta_1 T + \delta_2 D_{1j} + \delta_3 D_{2j} + \delta_4 D_{1j} * T + \delta_5 D_{2j} * T + \delta_6 D_{1j} * D_{2j} \\ + \delta_7 D_{1j} * D_{2j} * T + \varepsilon_{i,j,t}$$

Where $\ln P_{i,j,t}$ is the logarithmic form of the house value in location j of time period t ; h_{it} represents the characteristics of the house i in time t ; $\rho_{j,t}$ is a scaling parameter and $\varepsilon_{i,j,t}$ is the error term. Other variables are defined the same as those in equation (19).

Data sources

Date used in this study comes from several sources, all of which are publicly available. The choice set used to analyze individuals' residential decisions in this paper is the metropolitan statistical areas (MSAs) in the United States. The individual income prediction and the house prices estimation are also at MSA level. A map of all the MSAs in the United States is shown in figure 1. Though figure 1 shows that there are many MSAs that are not contiguous to each other,

most MSAs share the same border. Data used to estimate discrete choice model of residential location choice, individual income and housing service price are obtained from the American Community Survey (ACS) 2005 and 2010 sample. The ACS sample provides a variety of data at MSA level including individual information as well as dwelling characteristics. In the estimation of location specific incomes, I consider the household head as the decision maker, and during my analysis, all householder attributes are relevant to household head. Variables used to estimate housing service price include house value, the number of rooms, the number of bedrooms, the age of the house, the units of the structure and the acres of the house. Variables used to predict income include the sex, age, race, and education attainment of the household head. All these data can be downloaded from Integrated Public Use Microdata Series (IPUMS) which is a project dedicated to collecting and distributing United States census data. The data used to estimate mobility cost are calculated from the data describing the birth state of household head and the location where they live now, which can be also obtained from IPUMS. The crime data used in my study are obtained from the Federal Bureau of Investigation's (FBI) annual report entitled "Crime in the United States". These annual reports include the total reported numbers of violent and property crime incidents. Police force data are also obtained from the FBI's website. FBI provides the employee data for all the metropolitan counties in each state and the MSA-level employee data can be obtained by combining the county-level data. For the second stage analysis, information about local employment, per capita personal income and population is needed. All these data are obtained from the Bureau of Economic Analysis. After aggregating the data and dropping the MSAs that are not included in any of the above datasets, there are 221 metropolitan statistical areas left. Since the ACS sample is very large, I random select 20,000 observations from the sample to do the analysis.

The list of all the variables used in my study and the summary statistics of all the variables are given in Table A1. The summary statistics show that most of the houses in the sample are smaller than 10 acres and a house with 6 rooms and 3 bedrooms is the most common type. For individual variables, it shows that most household head in the sample are white female and aged older than 60.

Estimation Results

Estimation Results of Incomes and House Prices

By using a two-step strategy, the effect of crime on household dwelling decision, taking mobility cost into account, can be estimated easily. Before carrying out the first step-discrete choice model, I must first estimate individual incomes and house service prices first. In the sample data, we can only observe individual income in the location where he/she lives, thus we need to predict the individual incomes in every location. Using MSA-level population data in 2005 and 2010, the estimation results of location specific mean income described in equation (14) for each year are shown in table A2. For educational attainment variables, the base group includes the individuals with high school degree. For both years, the results show that males earn more money than females after controlling for other variables, and white people earn more than people of other races as expected. People over 60 years old earn less than people who are younger than 60, which is consistent with the reality that many people are retired after age 60. Individuals who dropped out of high school earn less than those with higher education attainment.

Table A3 shows the estimation results of housing service prices described in equation (13). Because in the dataset, the number of rooms and bedrooms is top coded, I create a dummy variable for each number of rooms and bedrooms and the description of the variables is shown in table A1. For the year 2010, the more than 7 rooms does not affect house prices significantly and

the effect of the housing unit of boat, tent and van is not statistically significant for either years. The other variables have significant effects on house value in both years. The estimation results show that newer and larger houses yield more housing services. Comparing the housing service price (in logs) in 2005 and 2010, it rose about 36.5% from 2005 to 2010. According to the results, not all the room variables are signed correctly in 2010. I attribute this to the fact that we actually have many correlated measures of size and counts of rooms of different types (total rooms and bedrooms).

Estimation Results of Residential Sorting Model

When using a sorting model to analyze location choice, there are usually two stages. The first stage is a multinomial Logit model for the personal choice and the second stage is an ordinary least square estimation at the location level. In the first stage, specification of the choice is very important for analyzing the Logit model. The estimation results of the discrete choice equation (17) are shown in table 1. For the long-run mobility cost, all results are statistically significant at the 1% level. As expected, living out of individuals' birth state and birth region has negative effects on utility in both 2005 and 2010. Cost continues to increase with living out of one's birth region and macro region. Leaving one's birth state and birth region has almost the same effect on residential location choice in 2005 and 2010. However the cost associated with living out of one's birth macro region increased in 2010. The results for short-run mobility cost show that living in a different state from the one lived in a year before has a significant utility cost in both 2005 and 2010, and the cost continues to increase with living in a different region than one year before. What is different from the long-run mobility cost is that the cost associated with living in a different region as one year before in 2010 is larger than that in 2005. The cost of living in a different macro region as one year before is not statistically significant in 2010. This

may be explained by the fact that in the short-run there are less people who change the macro region where they live because of the poor economy.

What needs to be mentioned here is that the most important thing in the first stage estimation is to get the location fixed effect $\tilde{\theta}_j$ which is not shown in table 1⁶. However, when the choice set is large like in this paper, the estimation of the Logit model to get $\tilde{\theta}_j$ will become difficult. One of the most commonly used methods is random selection, during which some alternatives are randomly selected from the remaining nonchosen alternatives that the decision maker faces. Using the random selection method, we can estimate parameters for all the observations in the sample. However, as shown in equation (18), the focus of the first stage estimation is to get the fixed effect parameter $\tilde{\theta}_j$ for each location and the larger $\tilde{\theta}_j$ is, the more attractive the location is. In order to get the whole vector of $\tilde{\theta}_j$, Berry et al. (1994) introduced a method to relate market shares to a scalar unobserved choice characteristic. In this paper, I apply Berry's method to estimate $\tilde{\theta}_j$ ⁷ indirectly. Even though the location fixed effect $\tilde{\theta}_j$ represents the preference of people to live in this location, we cannot say that people prefer to live in the location with higher $\tilde{\theta}_j$ because the size of county also affects $\tilde{\theta}_j$. For large MSAs the share of observations who live in these MSAs may be larger than the share of observations who live in the MSAs with a small population. Without controlling for population, according to the rank of $\tilde{\theta}_j$, the most attractive metropolitan area for people to live in both 2005 and 2010 is New York-Northeastern, NJ. The least attractive metropolitan area is Iowa City, IA and Alexandria, LA for 2005 and 2010 respectively. However, we cannot make any conclusions without controlling for population. Controlling for population gives us more precise conclusions and the results show

⁶ There are 221 fixed effects, which are not reported in table 1 for the sake of space.

⁷ We arbitrarily set $\tilde{\theta}_j$ equal for zero for the Abilene, TX, MSA.

that even after controlling for population, New York-Northeastern is still the most attractive location for both year, but Kokomo, IN became the least attractive location for both 2005 and 2010, which is different from the results without controlling the population. Thus, in the analysis, population needs to be taken into account to control for city-size effects.

These MSA-level fixed effects are used in the second stage regression as described in equation (18), and the estimated results for both years are shown in table 2. To control population, in the regression, I divide the MSA-level fixed effect by the population in each location. In the estimation, I use the number of property crime and violent crime as the regressors and the focus of the estimation is the coefficient for both regressors. Table 2 shows that the effects of both kind of crime are statistically significant and these coefficients represent the elasticities of WTP with respect to property crimes and violent crimes. For both 2005 and 2010, people would like to pay more money to move to a location with lower violent crime occurrence which is consistent with reality. However, for property crime, it is opposite and people are willing to pay more to move to a place with higher property crime occurrence. The same result is also found by previous researchers. Lynch et al. (2001) and Case et al. (2005) showed that the number of violent crimes significantly reduced house values, whereas the number of property crimes had a positive and significant impact on the sales price. This can be explained as higher house prices are more enticing to property crime because the value of the goods inside is expected to be more than that of a lower priced home. Also, locations with higher house prices are richer and more attractive for people to live because people living in richer locations usually have higher income. As a result, people with large amounts of money can spend more on security devices for their home so that non-violent crime does not deter them. Since households make decision depending on the trade-off between income, house prices and crime, people are still

willing to pay to move to a place with higher house value even though it costs people more to move to a location with high property crime occurrence. It should be mentioned that the study area in this paper is metropolitan statistics areas where more wealth in the U.S. is concentrated. Thus, the results could only account for the phenomenon in wealthier locations. Also, simply counting the number of crimes in this paper may provide a distorted picture of how public safety varies over space because of spatial differences in the distribution of crimes and reporting behavior. This may also explain the positive sign for property crime. Comparing the magnitude of the coefficient for both types of crimes, we can find that violent crime has a larger effect than property crime, which means that people care more about the number of violent crimes. Comparing the results for 2005 and 2010 we find that the elasticity of WTP with respect to property crime changes slightly, but the elasticity with respect to violent crime increases by 36% which indicate that in 2010 people are willing to pay more to move to a location with lower violent crime occurrence. To explain what the estimates implied with more detail, we can consider the following example. In 2005, the number of violent crime in Abilene, TX is 640, while in the same year the number of violent crimes in Albuquerque, NM is 6,630 which is roughly ten times as big as Abilene. The estimated elasticity of WTP with respect to violent crime in 2005 is -0.11 which implies that the decrease in violent crime by moving from Albuquerque to Abilene would correspond to increase in WTP of 98%.

Now it comes to the analysis of MWTP for the decrease in crime occurrences. As mentioned before in this paper, $\tilde{\beta}_C = MWTP_i \times \frac{C_j}{I_{i,j}}$, thus we can recover the MWTP for crime rate using this formula. During the calculation, I used the median value of household income and both kinds of crime in the full sample, which measured the median household's WTP for the decrease in crime. In 2005, the median value of household income is \$71,000 (in 2005 dollars)

and the median number for violent and property crimes is 12 and 93⁸ respectively. In 2010, the median household income is \$71,651 (in 2005 dollars)⁹ and the median number for both kinds of crime is 11 and 105 respectively. Applying the formula, the calculated MWTP for a one hundred unit decrease in violent crime is \$651 and \$977 for 2005 and 2010 respectively. MWTP for a one hundred unit increase in property crime is \$23 and \$27 for 2005 and 2010 respectively. From the MWTP we can also conclude that people care more about violent crime and are willing to pay more money to move to a safer place. However, though people still willing to pay more money to move to a place where the property crime occurred more frequently, the amount they are willing to pay is small. The WTP elasticities and MWTP for property crime and violent crime are shown in table 3.

The estimated coefficients for other location attributes include the fraction of population employed and per capital personal income which may reflect the economic level of the location. Both the variables are statistically significant. Though we expect that the fraction of population employed may affect household location choice in a positive way, the results show people are willing to pay less to move to a location with higher fraction of population employed. This may be explained as the fact that, if the fraction of population employed is high, it means that more work place has been taken and there is less possibility that a person will find a job in this location. The results also show that metropolitan areas with higher per capital personal income are more appealing for people.

Results of Difference in Difference Analysis

The results for difference in difference analysis are shown in table 4. As shown before, there are two treatments here: one is the increase in police number (D_1) and the other is the

⁸ The number of crime is measured by hundred occurrence.

⁹ The CPI inflation calculator is used to transform the 2010 dollars into 2005 dollars which will facilitate the comparison.

decrease in crime rate (D_2). The police variable is measured by the change of the total number of police employed in each MSA. Our interest in this estimation is the coefficients for all the three terms interacted with time period T (D_1*T , D_2*T and D_1*D_2*T). For the sorting model, the coefficient for D_{1t} is -0.39 and statistically significant at the 10% level. This means that people are willing to pay 39% less to move to a location with higher numbers of police. This can be explained by the fact that the increase in police number may be an indicator of high crime rate and also people need to pay more by tax to cover the cost of additional police. The effect of the crime rate decrease on WTP is not statistically significant in the sorting model. However, people are willing to pay 41% more to move to a location in which the crime rate decreases and the police number increases. Though there are maybe more police in bad areas generally, when controlled by numbers of crimes then more police is a good thing. When comparing the coefficients estimated from sorting model with those get from the hedonic price model, it should be pointed out that the WTP elasticities are not directly comparable. The coefficients from the hedonic price model represents the change of house prices associated with the decrease in crime rate and increase in police force while the estimates from the sorting model not only reflect the change in house prices but also the change in income and disutility from moving. Thus, the estimates from hedonic price model may be misleading. The coefficients in the hedonic price model represent house prices elasticities with respect to the two treatments. To translate the house prices elasticities into MTP, we need to first multiply the coefficient from the hedonic price model by the share of income spent on house, and here I use the average share of 2005 and 2010 which is 0.32 to calculate MTP. Thus, the elasticity of WTP for the police number increase is 0.35 which is slightly lower than that from the sorting model. However, in the hedonic price model, the true effect of the crime rate decrease and the effects from both treatments are not

statistically significant. For the other location characteristics, people are willing to pay less to move to a location where the employment rate is high and metropolitan areas with higher per capital personal income is more appealing for people.

Conclusions

In this paper, I estimate the effect of crime on household location choice using a two stage residential sorting model where the choice set is defined at the level of the metropolitan areas. In the first stage a discrete choice model is estimated to get the MSA level fixed effect and in the second stage, these fixed effects are estimated on the number of property and violent crime and other location attritions. In this paper, the household head is regarded as the decision maker and the characteristics of the household head are used to predict their income in each MAS. In order to get the house prices, a linear function is used to regress house value on a set of dwelling attributes. Finally, a difference in difference model is introduced to analyze the effects of crime rate decrease and police force increase on households' WTP.

The first stage estimation results show that living out of individuals' birth states and birth regions have negative effect on their utility and cost continue to increase with living out of one's birth region and macro region. Also, the results for short-run mobility cost show that living in a different state than one year before has a significant utility cost in both 2005 and 2010 and the cost continues to increase with living in a different region than one year before. However, the cost of living in a different macro region than one year before is not statistically significant in 2010. This may be explained by the fact that in the short-run there are fewer people changing the macro region where they live. The focus in the second stage analysis is the estimated coefficients on the number of violent and property crime which represent the elasticities of WTP with respect to these two kinds of crime. The results show that people are willing to pay more to move to a

location with lower violent crime occurrence and are also willing to pay more to move to a place with higher property crime. This can be explained by the fact that higher house prices are more enticing to property crime because the value of the goods inside is expected to be more than that of a lower priced home. Also, people with large amounts of money can spend more on security devices for their home so that non-violent crime does not deter them. When recovering the WTP for the two types of crime using elasticities, it shows that people are willing to pay \$651 and \$977 for a one hundred unit decrease in violent crime and \$23 and \$27 for a one hundred unit increase in property crime for 2005 and 2010 respectively, which indicates that, though people still willing to pay money to move to a place where the property crime occurred more frequently, the amount they are willing to pay is small. The difference in difference results for the sorting model show that people are willing to pay less to move to a location in which the police number increases and pay more to move to a location where the crime rate decreases and police force increased. This can be explained by the fact that the increase in police number may be an indicator of high crime rate as well as higher tax payments to cover expenditures on additional police. When comparing the difference in difference results for the sorting model with that for the hedonic price model I find that the elasticity of WTP for the police number increase in the hedonic price model are slightly lower than that from the sorting model.

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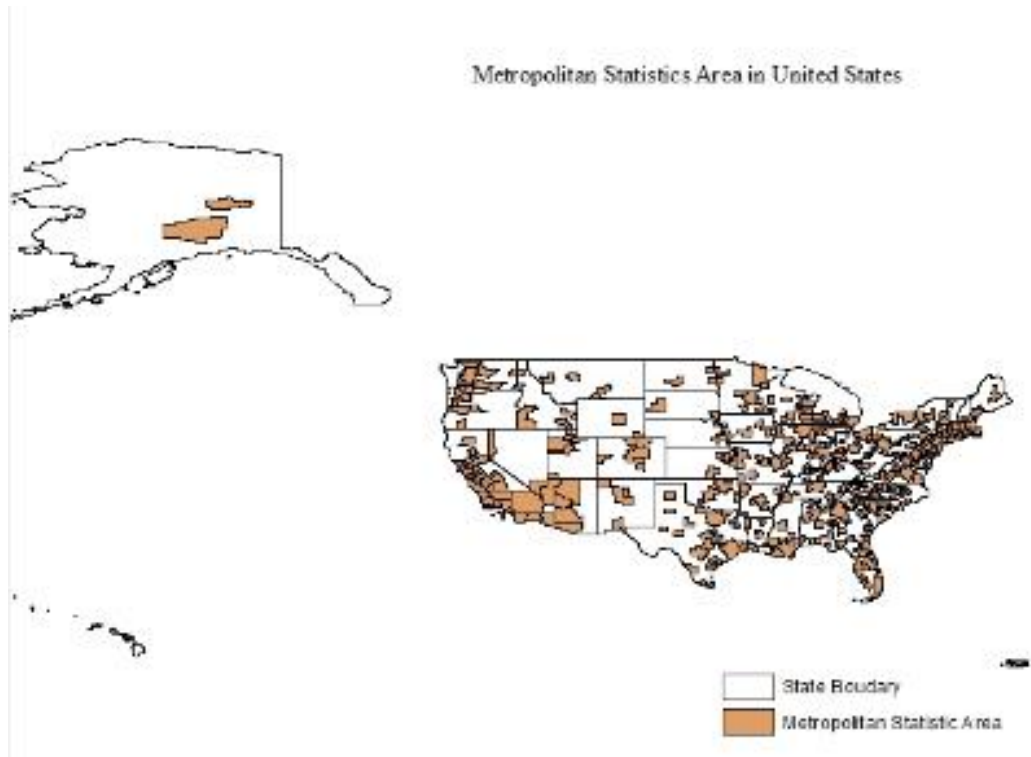


Figure 1. Metropolitan Statistics Areas in United States

Table 1 Results of Multinomial Logit Estimation

variable		2005	2010
Long-run	Living out of birth state $\tilde{\mu}_s$	-3.735***	-3.763***
Mobility	Living out of birth region $\tilde{\mu}_r$	-1.347***	-1.305***
Cost	Living out of birth macro region $\tilde{\mu}_m$	-0.501***	-0.540***
	Scaling parameter σ	-0.062	0.009
Short-run	Living in different state as one year before $m_{i,j,t}^s$	-4.499***	-4.487***
Mobility	Living in different region as one year before $m_{i,j,t}^r$	-3.789***	-4.156***
Cost	Living in different macro region as one year before $m_{i,j,t}^m$	-0.855***	-0.224
	Scaling parameter σ	-0.032	0.043

Note: ***represents statistically significant at %1 level. All data used in the estimation are obtained from 2005 and 2010 American Community Survey data which could be downloaded from the IPUMS website.

Table 2 Results of Second Step Estimation

Variable	Description	2005		2010	
		value	t-statistic	value	t-statistic
Constant	Intercept	-7.73	-0.99	-3.48	-0.53
Log(ProCri)	Number of property crime	0.03	4.22	0.04	4.93
Log(VioCri)	Number of violent crime	-0.11	-2.45	-0.15	-2.88
Log(Employment)	Fraction of population employed	-3.71	-2.92	-2.58	-2.17
Ln(PerInc)	Per capital personal income	6.52	6.2	5.42	5.06

Note: The estimation results are controlled for the population effect by using the MSA-level fixed effect. Crime data are obtained from FIB 2005 and 2010 crime report.

Table 3. Marginal Willingness to Pay for Property Crime and Violent Crime

	2005		2010	
	Property Crime	Violent Crime	Property Crime	Violent Crime
WTP elasticity	0.03	\$23	0.04	\$27
MWTP	-0.11	\$651	-0.15	\$977

Note: MWTP is calculated by multiplying the WTP elasticity by the median household income and dividing by the median number of each type of crime. The median household income is 71,000 and 71,651 (in 2005 dollars) for 2005 and 2010 respectively. The median number of property crime and violent crime in 2005 is 93 and 12, and the median number of property crime and violent crime in 2010 is 105 and 11. All the crimes are measured by hundred occurrence.

Table 4. Results for Difference in Difference Estimation

Variable	Description	Sorting Model	Hedonic Model
T	Time period	-0.78*	0.42
D ₁	=1 if police number increase	0.39**	1.09**
D ₂	=1 if crime rate decrease	0.05	0.13
D ₁ *T	The true effect of police number increase	-0.39*	-1.08*
D ₂ *T	The true effect of crime rate decrease	-0.22	-0.72
D ₁ *D ₂ *T	The true effect of both police number increase and crime rate decrease	0.41*	1.15
Log(Employ- ment)	Fraction of population employed	-0.65*	-1.63
Log(PerInc)	Per capital personal income	0.46**	1.21**

Note: *** means statistically significant at 1% or above; ** means statistically significant at 5% level and * means statistically significant at 10%. Crime data are obtained from FBI crime report of 2005 and 2010. Income and employment data are obtained from Bureau of Economic Analysis of 2005 and 2010.

Table A1 Description of Census Variables

Variable	Label	Mean	Mean
		2005	2010
ACRE10	House on 10 acres or more	0.024	0.022
ROOMS2	2 rooms in dwelling	0.003	0.003
ROOMS3	3 rooms in dwelling	0.017	0.014
ROOMS4	4 rooms in dwelling	0.064	0.062
ROOMS5	5 rooms in dwelling	0.184	0.167
ROOMS6	6 rooms in dwelling	0.233	0.211
ROOMS7	7 rooms in dwelling	0.186	0.179
ROOMS8	8 rooms in dwelling	0.144	0.146
ROOMS9	9 rooms in dwelling	0.169	0.215
BEDROOMS1	1 bedroom in dwelling	0.014	0.015
BEDROOMS2	2 bedrooms in dwelling	0.135	0.129
BEDROOMS3	3 bedrooms in dwelling	0.479	0.466
BEDROOMS4	4 bedrooms in dwelling	0.288	0.293
BEDROOMS5	5 bedrooms in dwelling	0.083	0.095
BUILDYR1	Less than 10 years old dwelling	0.114	0.175
BUILDYR 2	20-30 years old dwelling	0.169	0.151
BUILDYR 3	30-40 years old dwelling	0.148	0.131
BUILDYR 4	40-50 years old dwelling	0.150	0.139
BUILDYR 5	50-60 years old dwelling	0.116	0.109
BUILDYR 6	60-70 years old dwelling	0.185	0.184

BUILDYR 7	More than 70 years old dwelling	0.119	0.111
UNITSSTR1	Mobile home or trailer	0.042	0.038
UNITSSTR2	Boat, tent, van, other	0.000	0.000
UNITSSTR3	1-family house, detached	0.855	0.852
UNITSSTR4	1-family house, attached	0.056	0.061
UNITSSTR5	2-family building	0.014	0.014
UNITSSTR6	3-4 family building	0.008	0.008
UNITSSTR7	5-9 family building	0.006	0.006
UNITSSTR8	10-19 family building	0.005	0.006
UNITSSTR9	20-49 family building	0.005	0.004
UNITSSTR10	50+ family building	0.008	0.010
VALUEH	House value	293624.160	299374.700
WHITE	Race of the household head =white	0.639	0.607
MALE	Sex of the household head =male	0.230	0.265
AGE	Age of the household head >60	0.814	0.806
HSDROP	High school drop out	0.048	0.040
SOMECOLL	Complete some college study	0.220	0.223
COLLGRAD	College graduate	0.365	0.397
INCTOT_HEAD	Total personal income of household head	55369.050	60187.180
METAREA	Identification number of metropolitan statistical area		
BPL	Birth state of the household head		

Note: Because of top coding, a dummy variable is created for each number of rooms and bedrooms. Data are obtained from 2005 and 2010 American Community Survey data.

Table A2 Summary of Income regress

Variable	Description	2005		2010	
		Mean	Std Dev	Mean	Std Dev
constant	Intercept	9.683	0.665	2.880	0.731
MALE	Sex of the household head =male	0.640	0.474	0.584	0.456
AGE	Age of the household head>60	-0.231	0.471	-0.270	0.480
WHITE	Race of the household head =white	0.146	0.483	0.151	0.601
HSDROP	High school drop out	-0.277	0.777	-0.182	0.593
SOMECOLL	Complete some college study	0.215	0.551	0.278	0.520
COLLGRAD	College graduate	0.619	0.516	0.681	0.435

Note: The data used for predicting income are obtained from 2005 and 2010 American Community Survey data which can be download from IPUMS website.

Table A3 Housing Service Estimated Parameters

Variable	Description	2005		2010	
		Parameter	t Value	Parameter	t Value
INTERCEPT	Intercept	2.52	11.90	3.44	32.56
ROOMS2	2 rooms in dwelling	0.64	2.84	-0.34	-2.46
ROOMS3	3 rooms in dwelling	0.55	2.58	-0.30	-2.60
ROOMS4	4 rooms in dwelling	0.47	2.19	-0.36	-3.15
ROOMS5	5 rooms in dwelling	0.58	2.67	-0.32	-2.84
ROOMS6	6 rooms in dwelling	0.72	3.32	-0.25	-2.20
ROOMS7	7 rooms in dwelling	0.83	3.82	-0.13	-1.16
ROOMS8	8 rooms in dwelling	0.95	4.40	-0.01	-0.09
ROOMS9	9 rooms in dwelling	1.15	5.30	0.17	1.51
BEDROOMS2	2 bedrooms in dwelling	0.17	3.43	0.15	2.94
BEDROOMS3	3 bedrooms in dwelling	0.26	5.05	0.30	5.78
BEDROOMS4	4 bedrooms in dwelling	0.43	8.32	0.50	9.52
BEDROOMS5	5 bedrooms in dwelling	0.59	10.76	0.73	13.25
BUILDYR1	Less than 10 years old dwelling	0.38	19.97	0.19	9.58
BUILDYR r2	20-30 years old dwelling	0.32	17.91	0.15	7.63
BUILDYR 3	30-40 years old dwelling	0.22	12.48	0.08	4.01
BUILDYR 4	40-50 years old dwelling	0.08	4.58	-0.01	-0.67
BUILDYR 5	50-60 years old dwelling	0.12	6.44	0.00	0.16
BUILDYR 6	60-70 years old dwelling	0.11	6.55	0.02	1.00
ACRE10	House on 10 acres or more	0.23	7.66	0.16	4.70

UNITSSTR2	Boat, tent, van, other	-0.21	-0.95	0.06	0.28
UNITSSTR3	1-family house, detached	1.56	65.66	1.59	58.90
UNITSSTR4	1-family house, attached	1.70	57.25	1.72	52.87
UNITSSTR5	2-family building	1.86	41.00	1.96	38.94
UNITSSTR6	3-4 family building	1.93	34.03	1.89	31.52
UNITSSTR7	5-9 family building	1.77	28.55	1.85	26.14
UNITSSTR8	10-19 family building	1.81	26.41	1.84	26.92
UNITSSTR9	20-49 family building	1.99	28.39	1.98	24.46
UNITSSTR10	50+ family building	2.14	38.80	2.12	37.54

Note: All the data used in this estimation are obtained from 2005 and 2010 American Community Survey data.