

Simulation Modelling In a Availability Thermal Power Plant

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Abstract

The present paper deals with the opportunities for the availability simulation modelling and maintenance decision making in thermal power plant. These opportunities will be identified by evaluation of a simulation model to be built for the steam and water analysis system (SWAS) of a thermal power plant. This feasibility study covers two areas: development of an availability simulation model and decision making with the help of developed model. The present system of thermal plant under study consists of six subsystems with two possible states: working and failed. A probabilistic simulated model using Markov approach has been developed considering some assumptions. Availability decision matrix for each subsystem is also developed, which provide various availability levels. On the basis of this study, performance or availability of each subsystem of SWAS is analyzed and then maintenance priorities are decided for present system.

Keywords: Maintenance decision, Markov approach and Availability decision matrix.

Symbols and Notations

- Indicates the system is in operating state.
- Indicates the system is in failed state.
- S_i , $i=1-4$: Represent full working states of Turbines, Boiler, Condenser and Heaters subsystem respectively.
- E and F: Represent full working states of Condensation extraction pump and Feed pump subsystem respectively.
- E_1, F_1 : Denotes that the stand-by unit of the sub-system E and F are in working state.
- s_i , $i=1-4$: Represent failed states of Turbines, Boiler, Condenser and Heaters subsystem respectively.
- e and f: Represent failed states of Condensation extraction pump and Feed pump subsystem respectively.
- $P_0(t)$: Probability of full capacity working without standby

unit.

$P_i(t)$, $i=5, 6$ and 12 : Probabilities of full capacity working with standby units.

$P_i(t)$, $i=1-4, 7-11$ and $13-23$: Probabilities of the system in failed states.

ϕ_i , $i=1-6$: Mfigean failure rates of S_i ($i=1-4$), E and F subsystems respectively.

λ_i , $i=1-6$: Mean repair rates of S_i ($i=1-4$), E and F subsystems respectively.

$P_i'(t)$: Represents the derivative w.r.t. time (t).

A_v : Steady state availability of the system.

1. Introduction

Reliability and maintenance engineering are very important for plant availability. The better the reliability and maintainability the better the availability of a plant is. Many authors on the technical possibilities of and achievements that can be made by availability simulation have performed extensive, theoretical research. Rotab and Kabir [27] states that the steady state or long term availability is the easiest to obtain and can be obtained by using the MTBF as a measure for reliability and the MTTR as a measure for maintainability. The often-used expression for mean availability is then obtained as:

$$A(\infty) = \frac{MTBF}{MTBF + MTTR}$$

From this formula it can be concluded that increase of the reliability (MTBF) will increase the availability since the influence of maintainability will decrease. The larger time between failures will be in comparison with the repair time, the more the availability will approach one. This would mean the plant would always be available. At a highly aggregated level there can be three factors identified, they are plant design, operation and maintenance, which influence the availability. Lamb [26] describes the relation between availability, reliability and maintainability, with the help of fig. 1.

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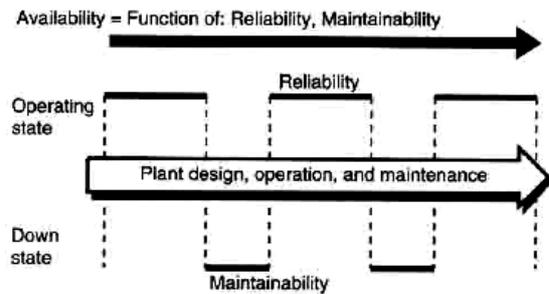


Fig 1. Relations between availability, reliability and maintainability

Van [15] state that the influence of certain pieces of equipment on reliability can be two folds. Either the equipment fails so often that there is loss of output due to often downtime, or the equipment fails only on exception but is of such complexity or criticality that it takes very long to replace or repair. The equipment that fails very frequently can be said to have very low reliability and the equipment that takes very long time to be replaced or repaired can be said to have very low maintainability. Both result in low availability and are thus considered critical in this study. Availability simulation modelling can provide insight in these cases by identifying exactly those pieces of equipment that are critical for availability. With a simulation model experiments can be made with different maintenance strategies and their influence on reliability and maintainability. Major deliverable of availability simulation modelling is that it quantifies the results of analysis and the analyses are based on real data, derived from the plant.

A thermal power plant is a complex engineering system comprising of various systems: Coal handling, Steam Generation, Cooling Water, Crushing, Ash handling, Power Generation, Feed water and most important Steam and water analysis system (SWAS). The optimization of each system in relation to one another is imperative to make the plant profitable and viable for operation. Effectiveness of thermal power plant is mainly influenced by the availability, reliability and maintainability of the plant, and its capability to perform as expected. Reliability analysis techniques have been gradually accepted as standard tools for the planning and operation of automatic and complex thermal power plants. Blischke and Murthy [43] suggested that since failure cannot be prevented entirely, it is important to minimize both its probability of occurrence and the impact of failures when they do occur. To maintain the designed reliability, availability and maintainability characteristics and to achieve expected performance, an effective maintenance program is a must and the effective maintenance is characterized by low maintenance cost.

The maintenance of repairable systems has been widely studied by many authors, considering different focus of interest, such as the repair/replacement policy, periodic inspections, degrading, optimization problems, among other topics. The behaviour of complex systems can be studied in terms of their reliability, availability and maintainability (RAM). For example, Kurien [17] developed a simulation model for analyzing the reliability and availability of an aircraft training facility. The model was useful for evaluating various maintenance alternatives. According to Ebling [9], factors that affect RAM of a repairable system include machinery operating conditions, maintenance and infra-structural facilities. Barabady and Kumar [14] conclude that from an economic point of view, high reliability is desirable to reduce the maintenance costs of systems. Reliability

analysis has helped in identifying the critical and sensitive subsystems in the electricity production system, which has a major effect on system failure. Therefore, a focus on reliability is critical for the improvement of equipment performance and ensuring that equipment is available for production as per production schedules.

For the prediction of availability, several mathematical models have been discussed in literature, which handle wide degree of complexities [for example, Balaguruswamy [10] and Dhillon [6]. Most of these models are based on the Markovian approach, wherein the failure and the repair rates are assumed to be constant. In other words, the times to failure and the times to repair follow exponential distribution. During the past decade, a large number of analysis tools (for example, Johnson and Malek [5], Cirado *et al.* [11], Butler [29], Koren and Gaertner [16] and Sanders and obal [42]) for reliability, availability, performance and performability modelling were developed. These tools encompass different modelling paradigms such as fault trees, Markov chains, Petri nets and Activity nets. Advantages of Markov chains are the capability of modelling systems with shared repair. According to Malhotra and Trivedi [20], if the system structure is dynamic rather than static, this can be modeled accurately by Markov chains but only approximately by fault trees or reliability block diagrams. Some of the Markov analysis tools are; EHARP: suggested by Somani *et al.* [3 and 4], SHARPE: described by Sahner and Trivedi [25], SURE: given by Butler [24], SURF-2: suggested by Beounes *et al.* [8], HIMAP: by Krishnamurthy *et al.* [12] and TANGRAM: by Bernson *et al.* [30]. Lim and Chang [41] studied a repairable system modeled by a Markov chain with two repair modes. A text of general interest for studying reliability systems and performance measures is that of Hoyland and Rausand [2]. Other texts of interest related to the topics studied in the present paper are Avel and Jensen [40], Birolini [1], Gnedenko and Ushakov [7] and Ushakov [13].

1.1 Architecture of the Paper

The section 2 presents and discusses the processing and description of steam and water analysis system used for making the transition diagram. The assumptions used for development of simulation model are also listed in this section. Section 3 describes the development of simulation model, with brief introduction of Markov approach. Section 4 describes the performance evaluation for decision-making in this study. Section 5 and 6 describes the results and conclusions respectively.

2. Steam And Water Analysis System (SWAS)

Operating power plants efficiency is very important in the economics of power generation. This requires that all the systems function at their peak performance over long term operation. Steam and water analysis system helps power plants to function efficiently and keeps them in continuous operation for optimal performance. Sharma [22] states that in SWAS, the chemically treated water flowing through the water walls of the boiler furnace gets evaporated into steam by absorption of heat. The steam is further heated in the super-heaters. The dry, high-pressure high temperature steam is then fed to the steam turbine. There, the steam is

expanded through the three cylinders and thermal energy of steam is converted into mechanical energy of the turbine shaft, which is utilized to rotate generator and produce electric energy. The steam discharged from the H.P. turbine is returned to reheaters in the boiler. After it is reheated, the steam flows to I.P. turbine and finally it expands in L.P. turbine. After doing the useful work in the steam turbine, the exhaust steam flows into a condenser where it is condensed to water. From the condenser, the condensed steam (condensate) is pumped through condensate extraction pump (CEP) to deaerator, after its temperature is raised in H.P. feed water heater with the help of steam taken from H.P. turbine. From the deaerator, the feed pump forces the feed water under pressure to the economizer in the boiler, after the temperature of feed water is raised in H.P. feed water heater with the help of steam taken from H.P. turbine. In the economizer, the hot flue gases leaving the boiler further heat up the feed water. From the economizer, the feed water enters the boiler drum to which water tube walls and superheaters of boiler are connected, to generate super-heated steam. The functioning of SWAS can be easily understood with the help of fig. 2.

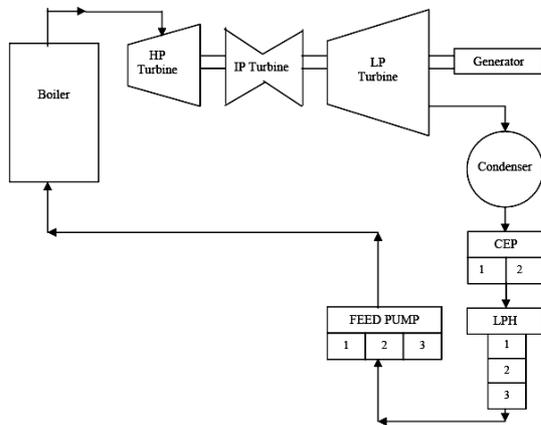


Fig. 2. Functioning of Steam and water analysis system (SWAS)

2.1 System Configuration

A typical system consists of a number of components or subsystems connected to each other logically either in series or in parallel in most cases. The performance of the system depends on its configuration and performance of its subsystems [31]. Before analyzing the failure data, it is better to describe the **configuration** of overall steam and water analysis system and classify it into various subsystems so that the failures can be categorized. For the simulation modelling, the SWAS consists of following six subsystems:

1. The 03 turbines in series denoted by S_1 , constituting one subsystem in which, failure of any subsystem one results in to system failure.
2. The boiler is used without any standby subsystem and denoted by S_2 , failure of which leads to system failure.
3. The only condenser as third subsystem and is denoted by S_3 , failure of which leads to system failure.
4. The heater subsystem is denoted by S_4 , consisting of three heaters in series .Failure of one reheater will lead to system failure.
5. E denotes the condensate extraction pump subsystem, which comprise of 02 pumps, at a time one is in operation,

while other is kept as standby. The system failure takes place when both fail.

6. The feed pump subsystem is denoted by F, which consists of three pumps, two are to work during operation, while one is kept as standby.

2.2 Assumptions

The assumptions used in developing the probabilistic model are:

1. There is no simultaneous failure (Khanduja *et al.* [28]).
2. At any given time, the system is either in full working state or in the failed state (Gupta *et al.* [35]).
3. Standby subsystems are of the same nature and capacity as that of active systems.
4. Service includes repair and/or replacement.
5. Failure/repair rates are constant over time and statistically independent (Kumar *et al.* [38]).
6. Sufficient repair facilities are available (Srinath [19]).
7. A repaired system is as good as new, performance wise, for a specified duration (Gupta *et al.* [36]).
8. System failure/repair follows the exponential distribution.

3. Availability Simulation Modelling

The availability simulation model has been developed for making the performance evaluation of SWAS using Markov concept. Markov modelling is based on the assumption that a system and its components can be in different states. A component, at lowest level, can be either up or down, while a system can be in any possible state identified depending on the components of which it is made up and the state they are in. A Markov model is a so-called state-space model and describes the transitions of one state to another. Wolstenholme [18] states that the transition probabilities only depend on the present state of the system. The model should include all components, the states they can be in and the frequency at which they change state. The flow of states for the system under consideration has been described in a transition diagram, which is based upon concepts given by Kumar *et al.* [39], as shown in fig. 3, which is logical representation of all possible state's probabilities encountered during the failure analysis of SWAS. According to O'Conner [23], a component has a failure frequency ϕ with which it changes from its up state to its down state and a repair frequency λ with which it changes from its down state to its upstate. The failure and repair rates of the different subsystems are used as standard input information to the model. Formulation is carried out using the joint probability functions based on the transition diagram. These probabilities are mutually exclusive and provide the scope to implement Markovian approach for availability analysis of power generation process.

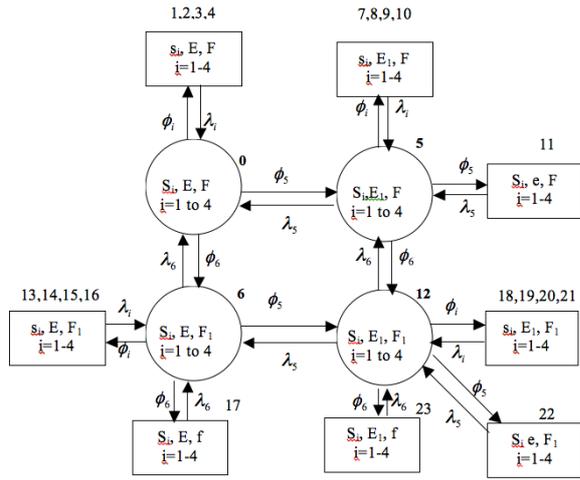


Fig 3. Transition Diagram of Steam and water analysis system (SWAS)

Markov model is defined by a set of probabilities P_{ij} , where P_{ij} is the probability of transition from any state i to any state j . For example, the equipment transits from operable state i to failed state j with probability P_{ij} . One of the most important features of the Markov process is that the transition probability P_{ij} ; depends only on states i and j and is completely independent of all past states except the last one, state i .

Let the probability of n occurrences in time t be denoted by $P_n(t)$, i.e.,

$$\text{Probability } (X = n, t) = P_n(t) \quad (n = 0, 1, 2, \dots)$$

Then, $P_0(t)$ represent the probability of zero occurrences in time t . The probability of zero occurrences in time $(t + \Delta t)$ is given by equation 1; i.e.

$$P_0(t + \Delta t) = (1 - \lambda \Delta t) \cdot P_0(t) \quad (1)$$

Similarly

$$P_1(t + \Delta t) = (\phi \Delta t) \cdot P_0(t) + (1 - \lambda \Delta t) \cdot P_1(t) \quad (2)$$

The Eq. 2, as stated by Srinath [19], shows the probability of one occurrence in time $(t + \Delta t)$ and is composed of two parts, namely, (a) probability of zero occurrences in time t multiplied by the probability of one occurrence in the interval Δt and (b) the probability of one occurrence in time t multiplied by the probability of no occurrences in the interval Δt . Then simplifying and putting $\Delta t \rightarrow 0$, one gets

$$\left(\frac{d}{dt} + \phi\right)P_1(t) = \lambda \cdot P_0(t) \quad (3)$$

Using the concept used in Eq. 3 and various probability considerations, the following differential equations associated with the transition diagram of SWAS are formed,

as described by Kumar *et al.* [37].

$$P'_0(t) + \sum_{i=1}^{i=6} \phi_i P_0(t) = \sum_{j=1}^{j=6} \lambda_j P_j(t) \quad (4)$$

For $i=5; m=5$

$$P'_5(t) + \sum_{r=1}^{r=6} (\phi_r + \lambda_m) P_i(t) = \sum_{j=1}^{j=6} \lambda_j P_{j+6}(t) + \phi_i P_{i-5}(t) \quad (5)$$

For $i=6; m=6$

$$P'_6(t) + \sum_{r=1}^{r=6} (\phi_r + \lambda_m) P_i(t) = \sum_{j=1}^{j=4} \lambda_j P_{j+12}(t) + \phi_i P_{i-6}(t) + \lambda_i P_{i+11}(t) + \lambda_{i-1} P_{i+6}(t) \quad (6)$$

For $i=12; m=5,6$

$$P'_{12}(t) + \sum_{r=1}^{r=6} (\phi_r + \lambda_m) P_i(t) = \sum_{j=1}^{j=6} \lambda_j P_{j+17}(t) + \phi_{i-6} P_{i-7}(t) + \phi_{i-7} P_{i-6}(t) \quad (7)$$

$$P'_i(t) + \lambda_i P_i(t) = \phi_i P_k(t), \text{ For } i=1-4, k=0 \quad (8)$$

$$P'_i(t) + \lambda_{i-6} P_i(t) = \phi_{i-6} P_k(t) \text{ For } i=7-11, k=5 \quad (9)$$

$$P'_i(t) + \lambda_{i-12} P_i(t) = \phi_{i-12} P_k(t) \text{ For } i=13-17, k=6 \quad (10)$$

$$P'_i(t) + \lambda_{i-17} P_i(t) = \phi_{i-17} P_k(t) \text{ For } i=18-23, k=12 \quad (11)$$

With the initial condition $P_0(0) = 1$ and zero otherwise.

Since any thermal plant is a process industry where raw material is processed through various subsystems continuously till the final product is obtained. Thus, as stated by Arora and Kumar [21], putting derivative of all probability equal to zero yields the long run availability of the thermal plant i.e. by putting $P'_i(t) = 0$ at $t \rightarrow \infty$ into differential Eq. (4 to 11), and solving these equations recursively, yields the following values of all state probabilities in terms of full working state probability i.e. P_0 .

$$P_1 = \frac{\phi_1}{\lambda_1} P_0, \quad P_2 = \frac{\phi_2}{\lambda_2} P_0, \quad P_3 = \frac{\phi_3}{\lambda_3} P_0, \quad P_4 = \frac{\phi_4}{\lambda_4} P_0,$$

$$P_6 = C_9 P_0, \quad P_5 = C_{10} P_0, \quad P_7 = \frac{\phi_1}{\lambda_1} P_5, \quad P_8 = \frac{\phi_2}{\lambda_2} P_5,$$

$$P_9 = \frac{\phi_3}{\lambda_3} P_5, \quad P_{10} = \frac{\phi_4}{\lambda_4} P_5, \quad P_{11} = \frac{\phi_5}{\lambda_5} P_5, \quad P_{12} = C_{11} P_0,$$

$$P_{13} = \frac{\phi_1}{\lambda_1} P_6, \quad P_{14} = \frac{\phi_2}{\lambda_2} P_6, \quad P_{15} = \frac{\phi_3}{\lambda_3} P_6, \quad P_{16} = \frac{\phi_4}{\lambda_4} P_6,$$

$$P_{17} = \frac{\phi_6}{\lambda_6} P_6, P_{18} = \frac{\phi_1}{\lambda_1} P_{12}, P_{19} = \frac{\phi_2}{\lambda_2} P_{12},$$

$$P_{20} = \frac{\phi_3}{\lambda_3} P_{12}, P_{21} = \frac{\phi_4}{\lambda_4} P_{12}, P_{22} = \frac{\phi_5}{\lambda_5} P_{12},$$

$$P_{23} = \frac{\phi_6}{\lambda_6} P_{12}$$

3.1 Normalizing Condition

The probability of full working capacity, namely, P_0 determined by using normalizing condition [32]: (i.e sum of the probabilities of all working states and failed states is equal to 1)

i.e. $\sum_{i=0}^{23} P_i = 1$, therefore putting the values of P_0 to P_{23} and

solving, one gets:

$$P_0 = 1 / [(1 + C_9 + C_{10} + C_{11})$$

$$(1 + \frac{\phi_1}{\lambda_1} + \frac{\phi_2}{\lambda_2} + \frac{\phi_3}{\lambda_3} + \frac{\phi_4}{\lambda_4}) +$$

$$+ \frac{\phi_5}{\lambda_5} (C_{10} + C_{11}) + \frac{\phi_6}{\lambda_6} (C_9 + C_{11})]$$
(12)

Where,

$$C_1 = \phi_5 + \phi_6,$$

$$C_2 = \phi_6 + \lambda_5,$$

$$C_3 = \phi_5 + \lambda_6,$$

$$C_4 = \lambda_5 + \lambda_6,$$

$$C_5 = \frac{\lambda_5 \phi_6}{C_3 C_4 - \phi_5 \lambda_5},$$

$$C_6 = \frac{\phi_6 C_4}{C_3 C_4 - \phi_5 \lambda_5},$$

$$C_7 = \frac{C_4 \phi_5}{C_2 C_4 - \phi_6 \lambda_6},$$

$$C_8 = \frac{\phi_5 \lambda_6}{C_2 C_4 - \phi_6 \lambda_6},$$

$$C_9 = \frac{C_6 + C_5 C_7}{1 - C_5 C_8},$$

$$C_{10} = C_7 + C_8 C_9,$$

$$C_{11} = \frac{C_{10} \phi_6 + C_9 \phi_5}{C_4}$$

3.2 Steady State availability

Now, the steady state availability of SWAS may be obtained as summation of all working states probabilities [33] as:

A_v . =Summation of all working states

i.e. $A_v = P_0 + P_5 + P_6 + P_{12}$

or $A_v = P_0 (1 + C_9 + C_{10} + C_{11})$ (13)

4. Performance Evaluation For Decision Making

The performance of steam and water analysis system of thermal power plant is mainly affected by the failure and repair rates of each subsystem [34]. The availability simulation model is used to evaluate the performance of SWAS for known input values of failure and repair rates of its components. From maintenance history sheet of SWAS and through the discussions with the plant personnel, appropriate failure and repair rates of all subsystems are taken and availability decision matrices (availability values) are prepared accordingly by putting these failure and repair rates values in Eq.13, the availability simulation model (A_v). This model forms the foundation for all other performance improvement activities (e.g. solution design and development, implementation and analysis). These unit parameters ensure the high availability/performance of the SWAS. This model includes all possible states of nature, i.e. failure events (ϕ_i) and the identification of all the courses

of action, i.e., repair priorities (λ_i). Tab. 1 to 6 represents the availability decision matrices for various subsystems of the SWAS. These matrices simply reveals the various availability levels for different combinations of failure and repair rates/priorities, which further helps in decision making of maintenance priorities for each subsystem i.e. which subsystem is most critical from maintenance point of view, for which immediate action is required and which one is least critical. On the basis of analysis made, the best possible combinations (ϕ, λ) may be selected. These availability values in availability decision matrices further help in decision making regarding the subsystem which ensures the maximum availability, as shown in tab. 7. The decision making regarding the optimum vales of failure/repair rates of each subsystem of concerned system can easily be taken from tab. 7.

5. Results and Discussion

The performance of each subsystem is analysed using the developed model. On the basis of availability values as given in tab. 1 to 6, the following observations are made, which reveals the effect of failure and repair rates of various subsystems on the availability of SWAS.

1. Tab. 1 reveals the effect of failure and repair rates of turbine subsystem on the availability of SWAS. It is observed that for some known values of failure / repair rates of other five subsystems, as failure rate of turbine increases from 0.002 (twice in 1000 hrs) to 0.01 (once in 100 hrs), the system availability decreases by about 6 %. Similarly as repair rate of turbine increases from 0.04 (4

times in 100 hrs) to 0.1 (once in 10 hrs), the system availability increases by about 1%.

2. Tab. 2 reveals the effect of failure and repair rates of boiler subsystem on the availability of SWAS. It is observed that for some known values of failure / repair rates of other five subsystems, as failure rate of boiler increases from 0.0006 (6 times in 10000 hrs) to 0.001 (once in 1000 hrs), the system availability decreases by about 1%. Similarly as repair rate of boiler increases from 0.02 (once in 50 hrs) to 0.1 (once in 10 hrs), the system availability increases by about 1%.
3. Tab. 3 reveals the effect of failure and repair rates of condenser subsystem on the availability of SWAS. It is observed that for some known values of failure / repair rates of other five subsystems, as failure rate of condenser increases from 0.005 (5 times in 1000 hrs) to 0.01 (once in 100 hrs), the system availability decreases by about 2%. Similarly as repair rate of condenser increases from 0.1 (once in 10 hrs) to 0.5 (twice in 10 hrs), the system availability increases by about 1.25%.
4. Tab. 4 reveals the effect of failure and repair rates of heaters subsystem on the availability of SWAS. It is observed that for some known values of failure / repair rates of other five subsystems, as failure rate of heaters increases from 0.005 (5 times in 1000 hrs) to 0.01 (once in 100 hrs), the system availability decreases by about 3.5%. Similarly as repair rate of heaters increases from 0.1 (once in 10 hrs) to 0.4 (4 times in 10 hrs), the system availability increases by about 3%.
5. Tab. 5 reveals the effect of failure and repair rates of condensation extraction pump subsystem on the availability of SWAS. It is observed that for some known values of failure / repair rates of other five subsystems, as failure rate of condensation extraction pump increases from 0.01 (once in 100 hrs) to 0.05 (5 times in 100 hrs), the system availability decreases by about 6%. Similarly as repair rate of condensation extraction pump increases from 0.125 (once in 8 hrs) to 0.425 (once in 2.3 hrs), the system availability increases slightly.
6. Tab. 6 reveals the effect of failure and repair rates of feed pump subsystem on the availability of SWAS. It is observed that for some known values of failure / repair rates of other five subsystems, as failure rate of feed pump increases from 0.02 (twice in 100 hrs) to 0.1 (once in 10 hrs), the system availability decreases by about 21%. Similarly as repair rate of feed pump increases from 0.1 (once in 10 hrs) to 0.5 (twice in 10 hrs), the system availability increases by about 6%.
7. Tab. 7 helps in decision making regarding the subsystem with maximum availability. It is observed that feed pump subsystem is having maximum availability (89.5%), which is followed by turbine, having availability 86%. The decision regarding the optimum values of failure and repair rates for maximum availability level for each subsystem can easily be taken from table 7. It also describes the optimum values of failure/repair rates of each subsystem of concerned system.
8. Tab. 1 to 6 depicts the effect of failure rates of various subsystems on system's availability, as indicated in tab. 8. It is evident from table 8 that the feed pump is most critical subsystem as far as maintenance aspect is concerned, as the effect of its failure rates on the system availability is much higher (21%) than other five

subsystems. Further Boiler is the least critical subsystem, as the effect of its failure rates on the system availability is lowest amongst all six subsystems.

Table 1. Availability decision matrix of Turbine subsystem of SWAS

λ_1 \ ϕ_1		Availability (Av) →					Constant values
		0.04	0.0550	0.0700	0.085	0.1	
0.002	0.8500	0.8546	0.8572	0.8589	0.8601	$\phi_2 = 0.0008, \phi_3 = 0.0076$ $\phi_4 = 0.0076, \phi_5 = 0.03, \phi_6 = 0.06$ $\lambda_2 = 0.06, \lambda_3 = 0.3, \lambda_4 = 0.25$ $\lambda_5 = 0.275, \lambda_6 = 0.3$	
0.004	0.8337	0.8425	0.8476	0.8510	0.8533		
0.006	0.8181	0.8309	0.8383	0.8432	0.8467		
0.008	0.8030	0.8195	0.8292	0.8356	0.8402		
0.01	0.7885	0.8082	0.8203	0.8281	0.8337		

Table 2. Availability decision matrix of Boiler subsystem of SWAS

λ_2 \ ϕ_2		Availability (Av) →					Constant values
		0.02	0.04	0.06	0.08	0.1	
0.0006	0.8330	0.8378	0.8394	0.8402	0.8407	$\phi_1 = 0.006, \phi_2 = 0.0076$ $\phi_4 = 0.0076, \phi_5 = 0.03, \phi_6 = 0.06$ $\lambda_1 = 0.07, \lambda_3 = 0.3$ $\lambda_4 = 0.25, \lambda_5 = 0.275, \lambda_6 = 0.3$	
0.0007	0.8314	0.8370	0.8389	0.8398	0.8404		
0.0008	0.8298	0.8362	0.8384	0.8394	0.8400		
0.0009	0.8281	0.8354	0.8379	0.8390	0.8397		
0.001	0.8267	0.8346	0.8373	0.8386	0.8394		

Table 3. Availability decision matrix of Condenser subsystem of SWAS

λ_3 \ ϕ_3		Availability (Av) →					Constant values
		0.1	0.2	0.3	0.4	0.5	
0.005	0.8304	0.8384	0.8411	0.8425	0.8433	$\phi_1 = 0.006, \phi_2 = 0.0008$ $\phi_4 = 0.0076, \phi_5 = 0.03, \phi_6 = 0.06$ $\lambda_1 = 0.07, \lambda_2 = 0.06$ $\lambda_4 = 0.25, \lambda_5 = 0.275, \lambda_6 = 0.3$	
0.0063	0.8263	0.8363	0.8397	0.8414	0.8425		
0.0076	0.8223	0.8343	0.8383	0.8404	0.8416		
0.0089	0.8183	0.8322	0.8369	0.8394	0.8407		
0.0102	0.8143	0.8301	0.8355	0.8383	0.8399		

Table 4. Availability decision matrix of Heaters subsystem of SWAS

λ_4 \ ϕ_4		Availability (Av) →					Constant values
		0.1	0.175	0.250	0.325	0.4	
0.005	0.8248	0.8396	0.8457	0.8490	0.8511	$\phi_1 = 0.006, \phi_2 = 0.0008$ $\phi_3 = 0.0076, \phi_5 = 0.03, \phi_6 = 0.06$ $\lambda_1 = 0.07, \lambda_2 = 0.06$ $\lambda_3 = 0.3, \lambda_5 = 0.275, \lambda_6 = 0.3$	
0.0063	0.8160	0.8344	0.8420	0.8461	0.8488		
0.0076	0.8075	0.8293	0.8383	0.8433	0.8464		
0.0089	0.7991	0.8242	0.8347	0.8403	0.8441		
0.0102	0.7909	0.8192	0.8311	0.8375	0.8418		

Table 5. Availability decision matrix of Condensate extraction pump subsystem of SWAS

λ_5 \ ϕ_5		Availability (Av) →					Constant values
		0.125	0.2	0.275	0.350	0.425	
0.01	0.8403	0.8405	0.8408	0.8409	0.8417	$\phi_1 = 0.006, \phi_2 = 0.0008$ $\phi_3 = 0.0076, \phi_4 = 0.0076, \phi_6 = 0.06$ $\lambda_1 = 0.07, \lambda_2 = 0.06$ $\lambda_3 = 0.3, \lambda_4 = 0.25, \lambda_6 = 0.3$	
0.02	0.8342	0.8392	0.8401	0.8402	0.8402		
0.03	0.8219	0.8349	0.8383	0.8395	0.8399		
0.04	0.8051	0.8282	0.8351	0.8377	0.8389		
0.05	0.7851	0.8194	0.8305	0.8351	0.8373		

Table 6. Availability decision matrix of Feed pump subsystem of SWAS

λ_6 ϕ_6	Availability (A_v) →					Constant values
	0.1	0.2	0.3	0.4	0.5	
0.02	0.8375	0.8728	0.8853	0.8916	0.8955	$\phi_1 = 0.006, \phi_2 = 0.0008$ $\phi_3 = 0.0076, \phi_4 = 0.0076, \phi_5 = 0.03$ $\lambda_1 = 0.07, \lambda_2 = 0.06$ $\lambda_3 = 0.3, \lambda_4 = 0.25, \lambda_5 = .0275$
0.04	0.7742	0.8380	0.8613	0.8374	0.8808	
0.06	0.7186	0.8053	0.8383	0.8557	0.8664	
0.08	0.6695	0.7746	0.8163	0.8386	0.8524	
0.1	0.6260	0.7459	0.7951	0.8219	0.8387	

Table 7. Optimum values of failure and repair rates of subsystems of SWAS

S.No.	Subsystem	Failure rates (ϕ_i)	Repair rates (λ_i)	Maximum availability level
1.	Turbine	$\phi_1 = 0.002$	$\lambda_1 = 0.1$	86 %
2.	Boiler	$\phi_2 = 0.0006$	$\lambda_2 = 0.1$	84 %
3.	Condenser	$\phi_3 = 0.005$	$\lambda_3 = 0.5$	84 %
4.	Heaters	$\phi_4 = 0.005$	$\lambda_4 = 0.4$	85 %
5.	Condensate Extraction pump	$\phi_5 = 0.01$	$\lambda_5 = 0.425$	84%
6.	Feed pump	$\phi_6 = 0.02$	$\lambda_6 = 0.5$	89.5%

Table 8: List of subsystems of SWAS in order of their maintenance priority

Maintenance priority No.	Subsystem	Effect of failure rate (ϕ_i) on availability
1.	Feed pump	-21 %
2.	Turbine/ Condensate Extraction pump	-6.0 %
3.	Heaters	-3.5 %
4.	Condenser	-2.0 %
5.	Boiler	-1.0 %

6. Conclusion

It can be concluded from tables 1-6, that as failure rate increases, the availability goes on decreasing and as repair rate increases, the availability goes on increasing. The Eq. 13 depicts the availability simulation model, which helps in performance evaluation for decision making regarding maintenance for SWAS of thermal plant. The system availability has been excellent, mainly because of the low failure rate, supported by the state of the art repair facilities. It can thus be concluded that this model is effectively used for evaluation of performance of various sub-systems of SWAS, which further helps in decision making. It is also concluded that feed pump is most critical and boiler is the least critical subsystem as far as maintenance aspect is concerned. It is also concluded that feed pump subsystem is having maximum availability. The optimum values of failure and repair rates for maximum availability level for each subsystem are available. Such results are found highly beneficial to the plant management for the availability analysis and maintenance decision making of steam and water analysis system of a thermal plant.

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